

Generation and Application of Carrier Envelope Phase Controlled Single-Cycle Optical Pulse Train

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Generation of sub-single-cycle pulses in the optical region

- Introduction
- Review of basic concepts
- Modeling molecular modulation
- Present status of experiments
- How to determine pulse duration
- Advance concepts

Prefix for small and large numbers:

micro 10^{-6}

mega 10^6

nano 10^{-9}

giga 10^9

pico 10^{-12}

tera 10^{12}

femto 10^{-15}

peta 10^{15}

atto 10^{-18}

exa 10^{18}

zepto 10^{-21}

zetta 10^{21}

yotta 10^{-24}

yocto 10^{24}

Man made
today:

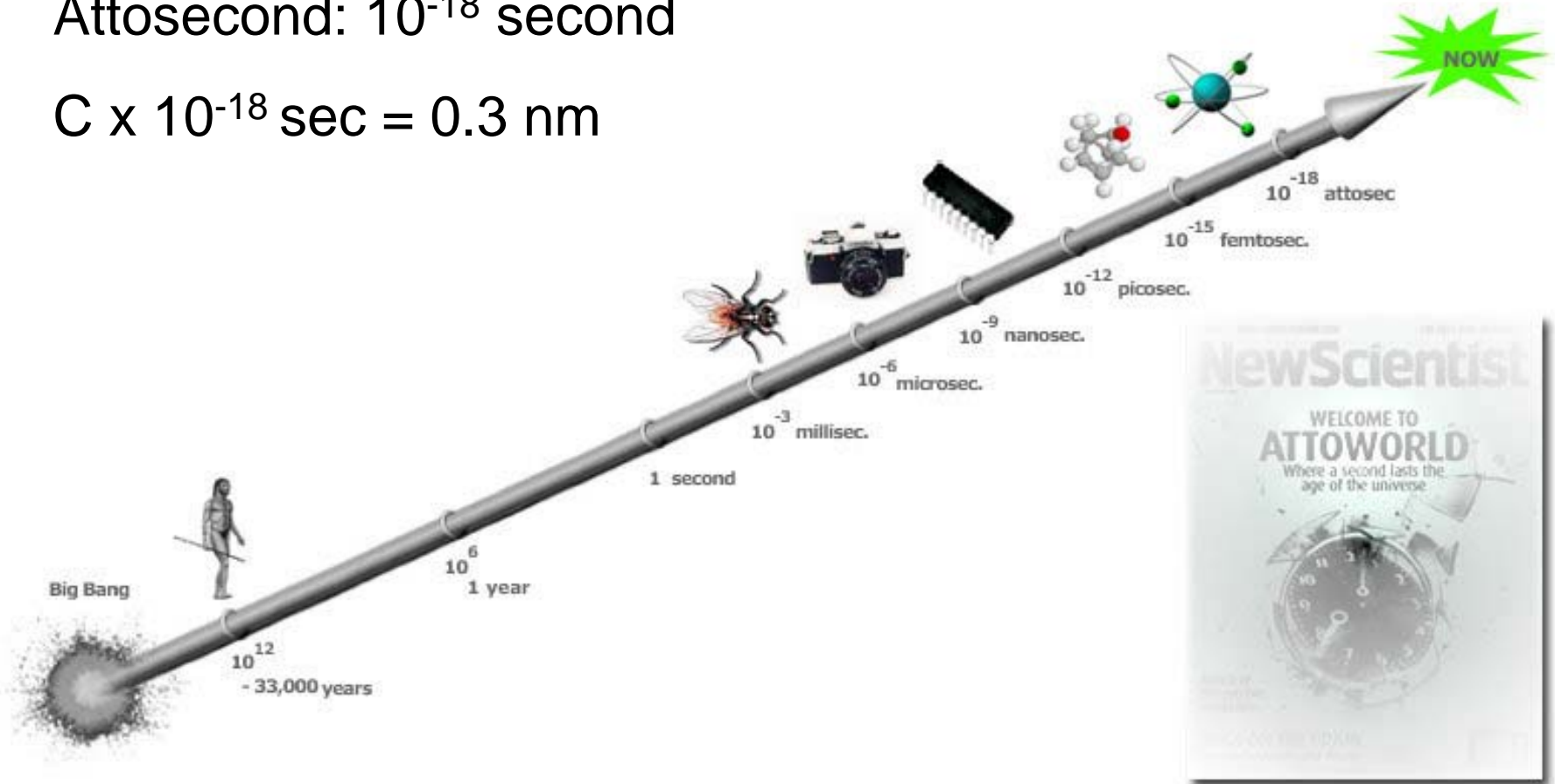
shortest time -- about 100 as

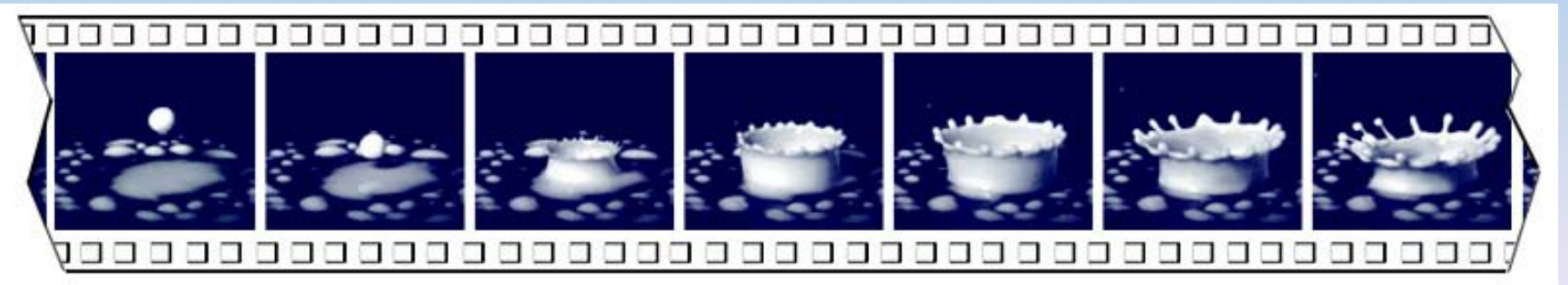
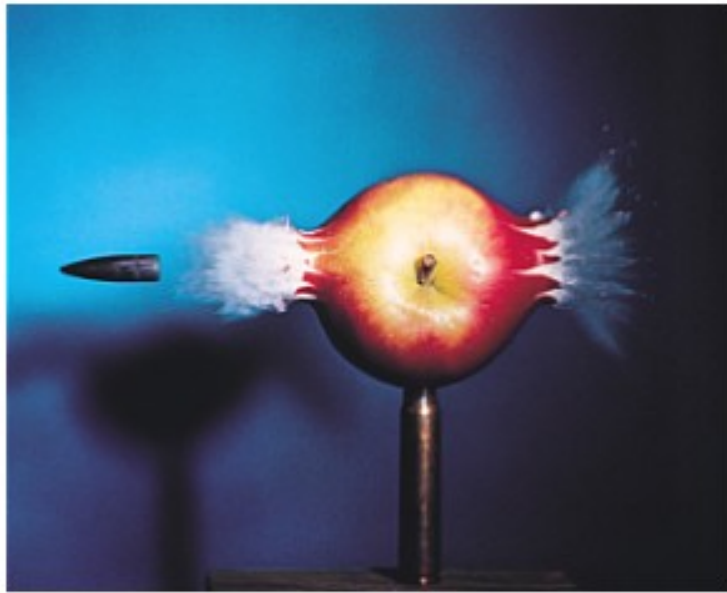
most intense light -- 10^{23} W/cm²

Attoworld

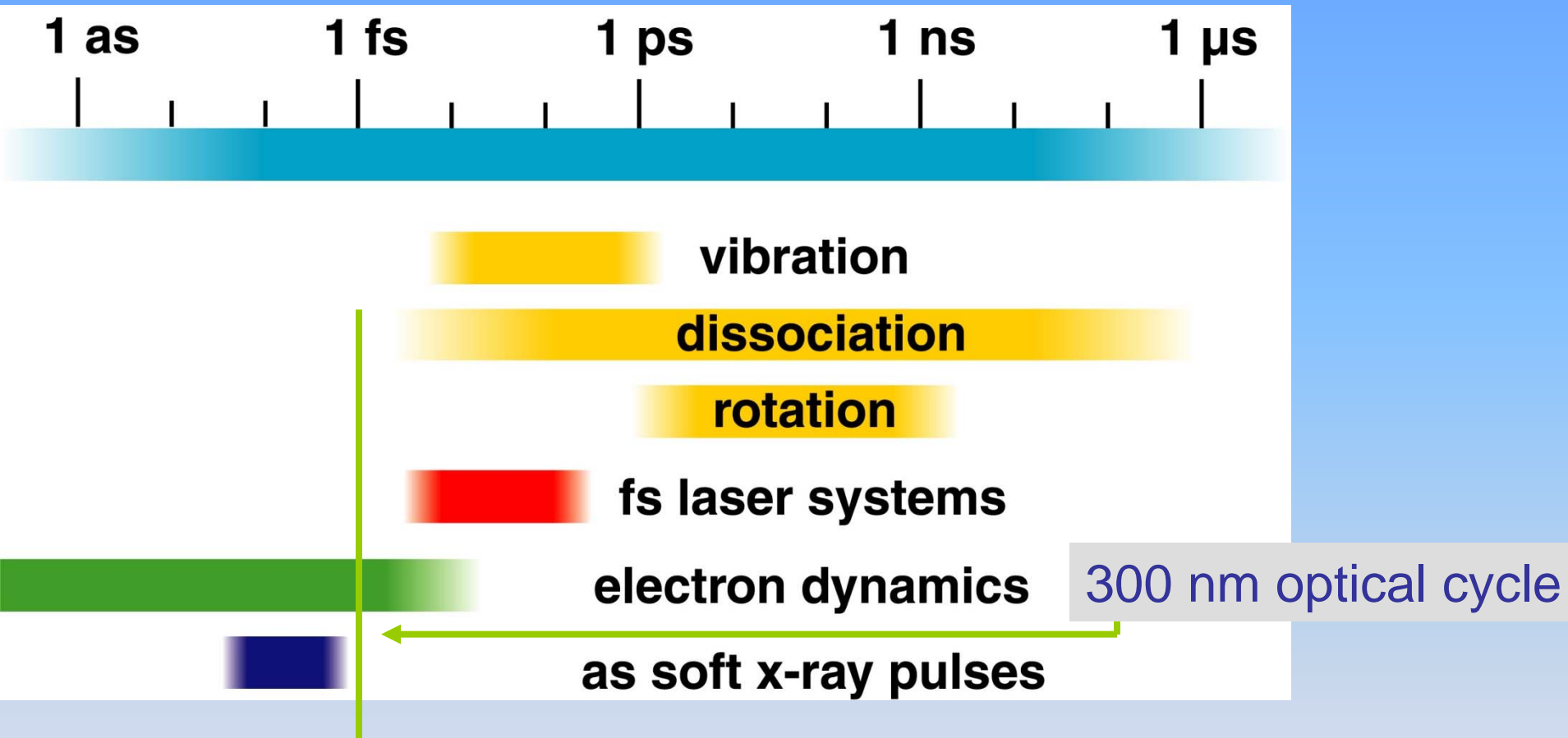
Attosecond: 10^{-18} second

$c \times 10^{-18} \text{ sec} = 0.3 \text{ nm}$



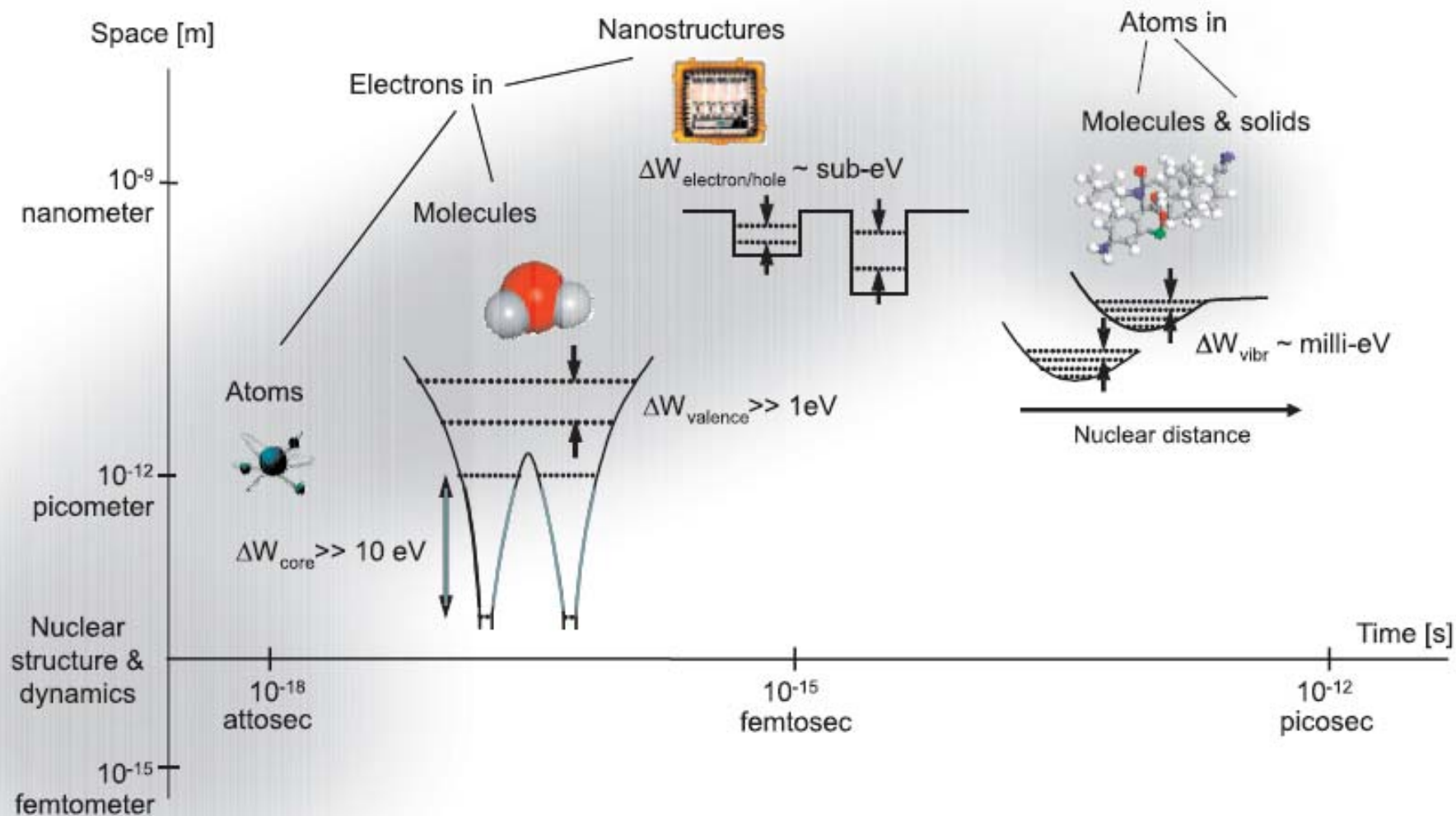


Time scales

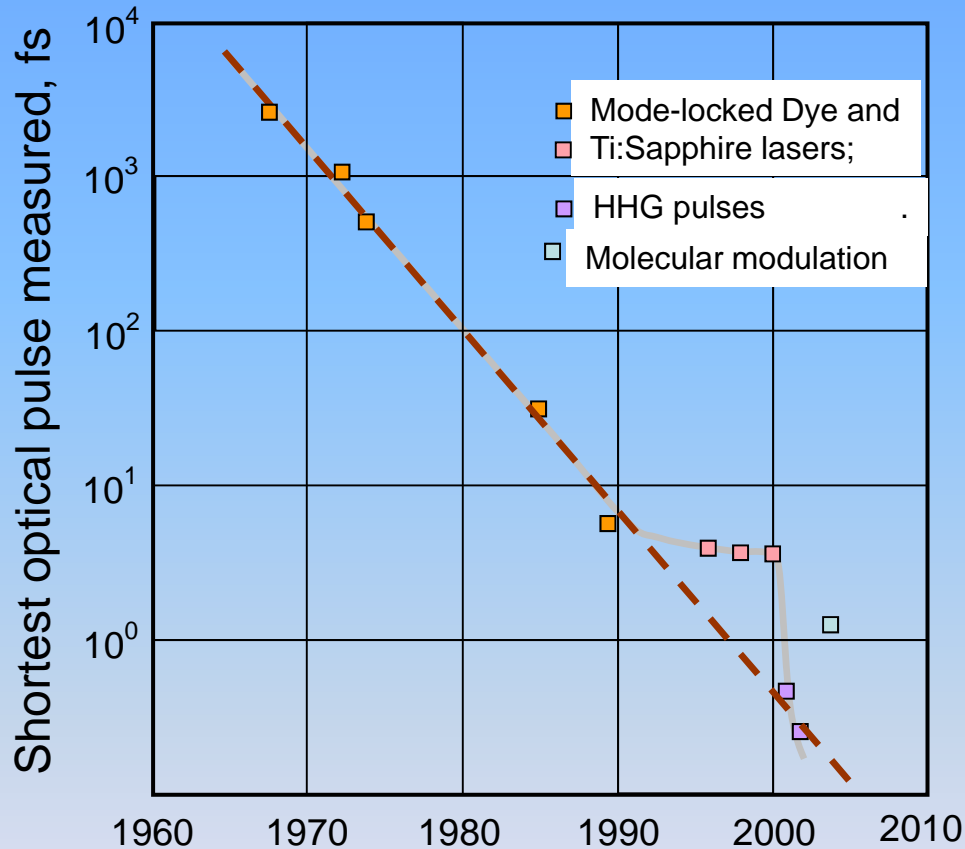


Short pulses can be used to monitor and control
molecular and **electronic** motion

Characteristic length and time scales for structure and dynamics in the microcosm

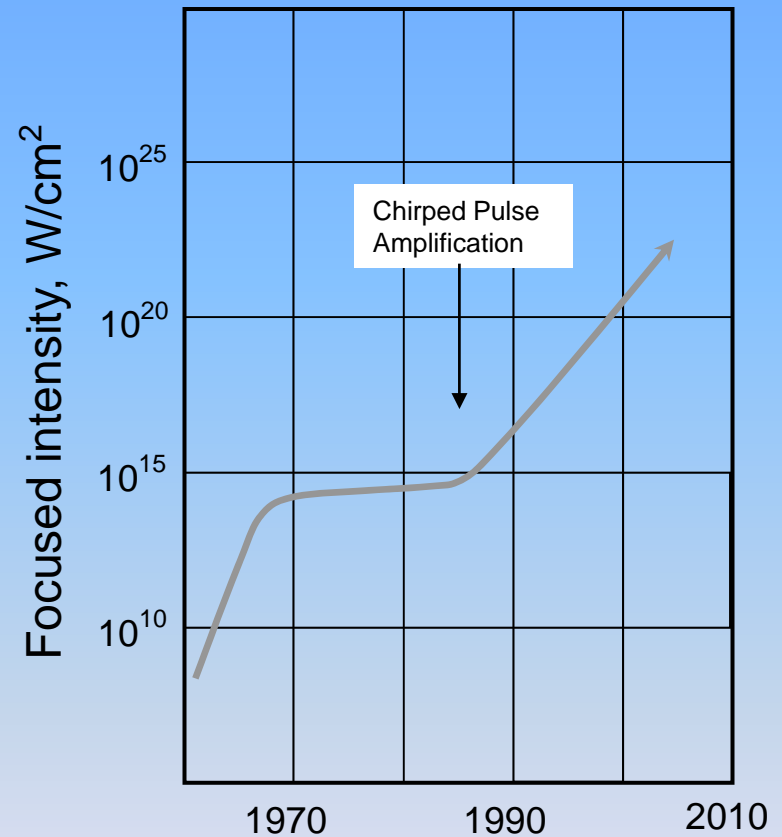


Laser pulses got shorter over the years



Ultrafast science

Peak intensity increased

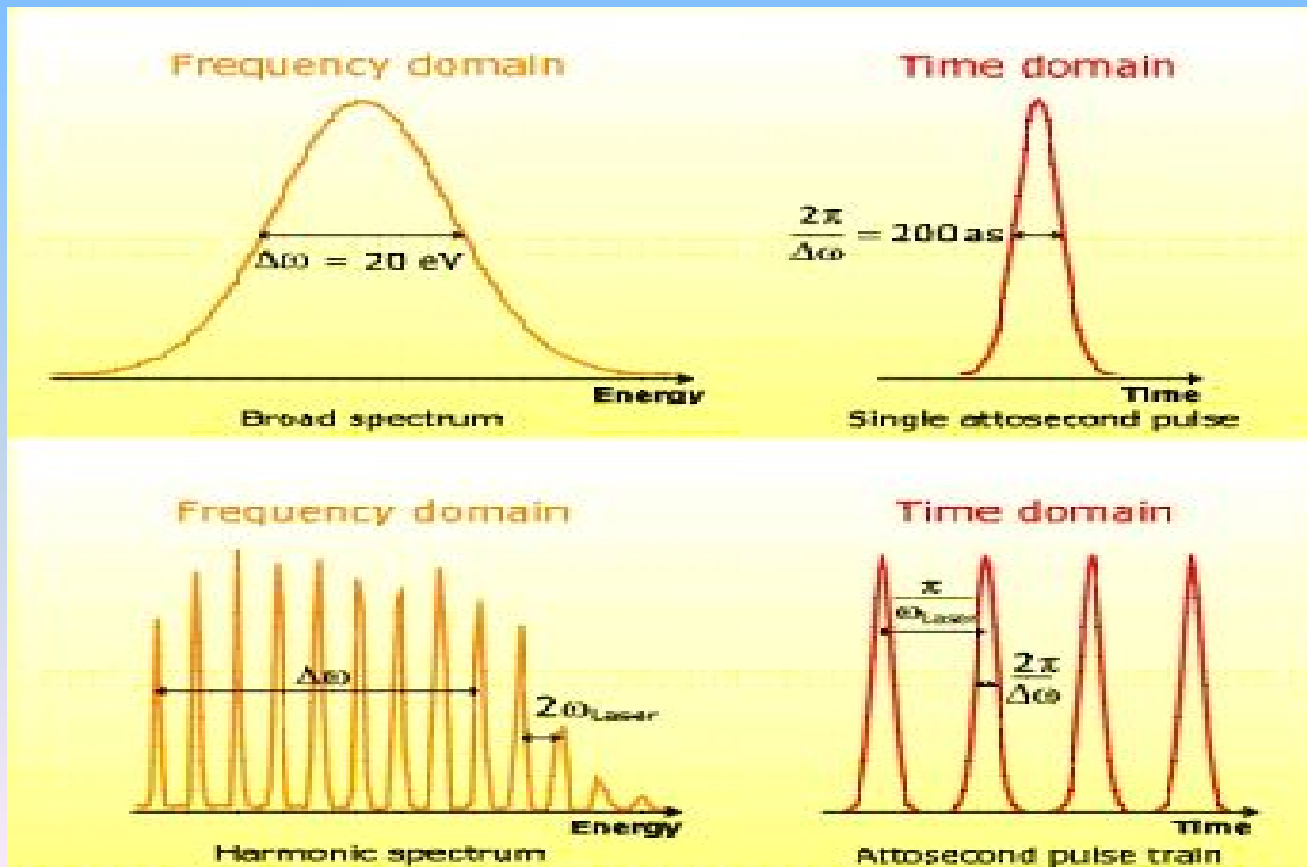


High field physics

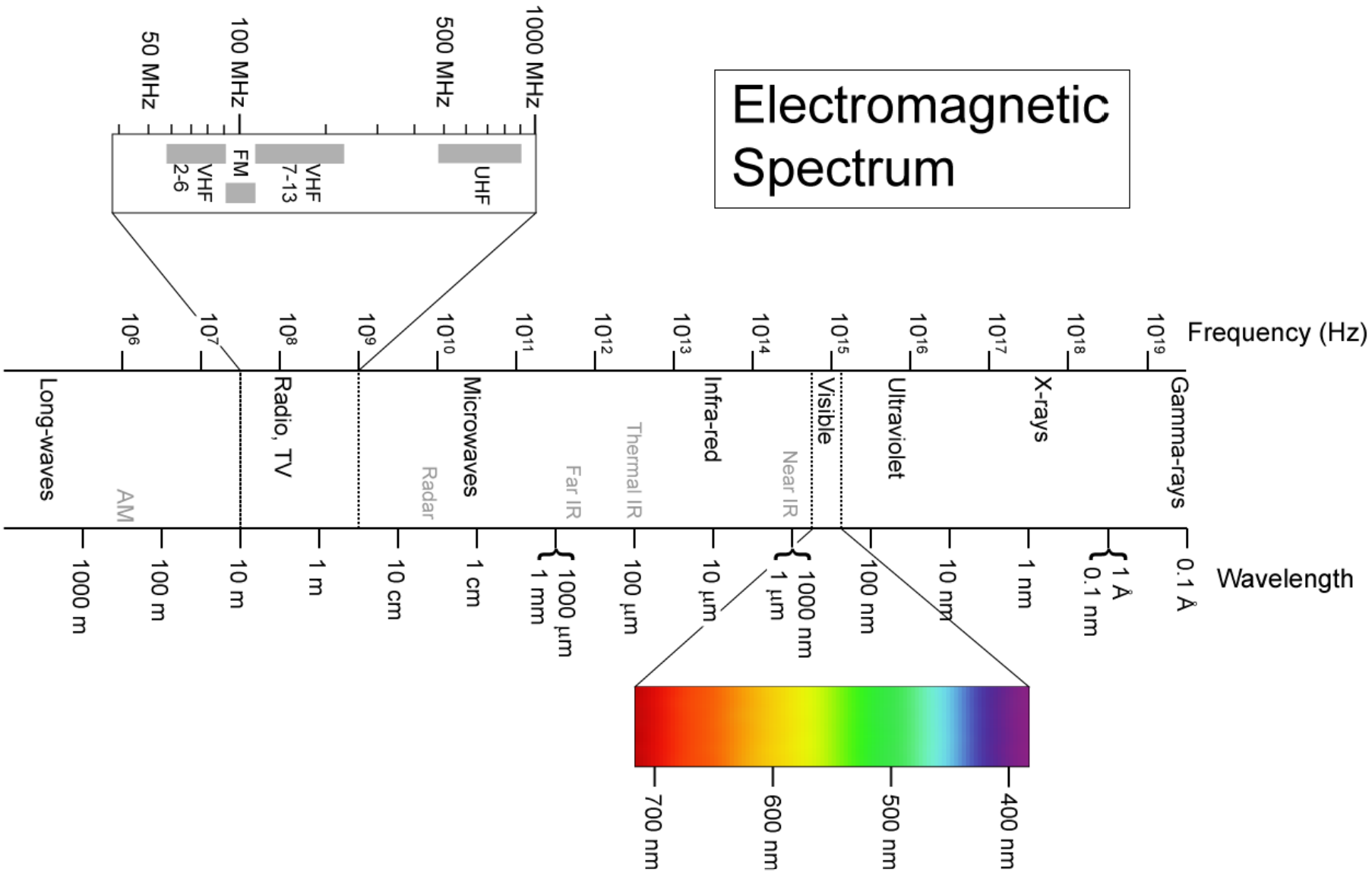
Correlation between time and frequency

$$x(t - t_0) \xleftrightarrow{FT} e^{-j\omega t_0} X(\omega)$$

Fourier transform:
$$X(\omega) = \int_{-\infty}^{\infty} x(t) e^{-i\omega t} d\omega$$

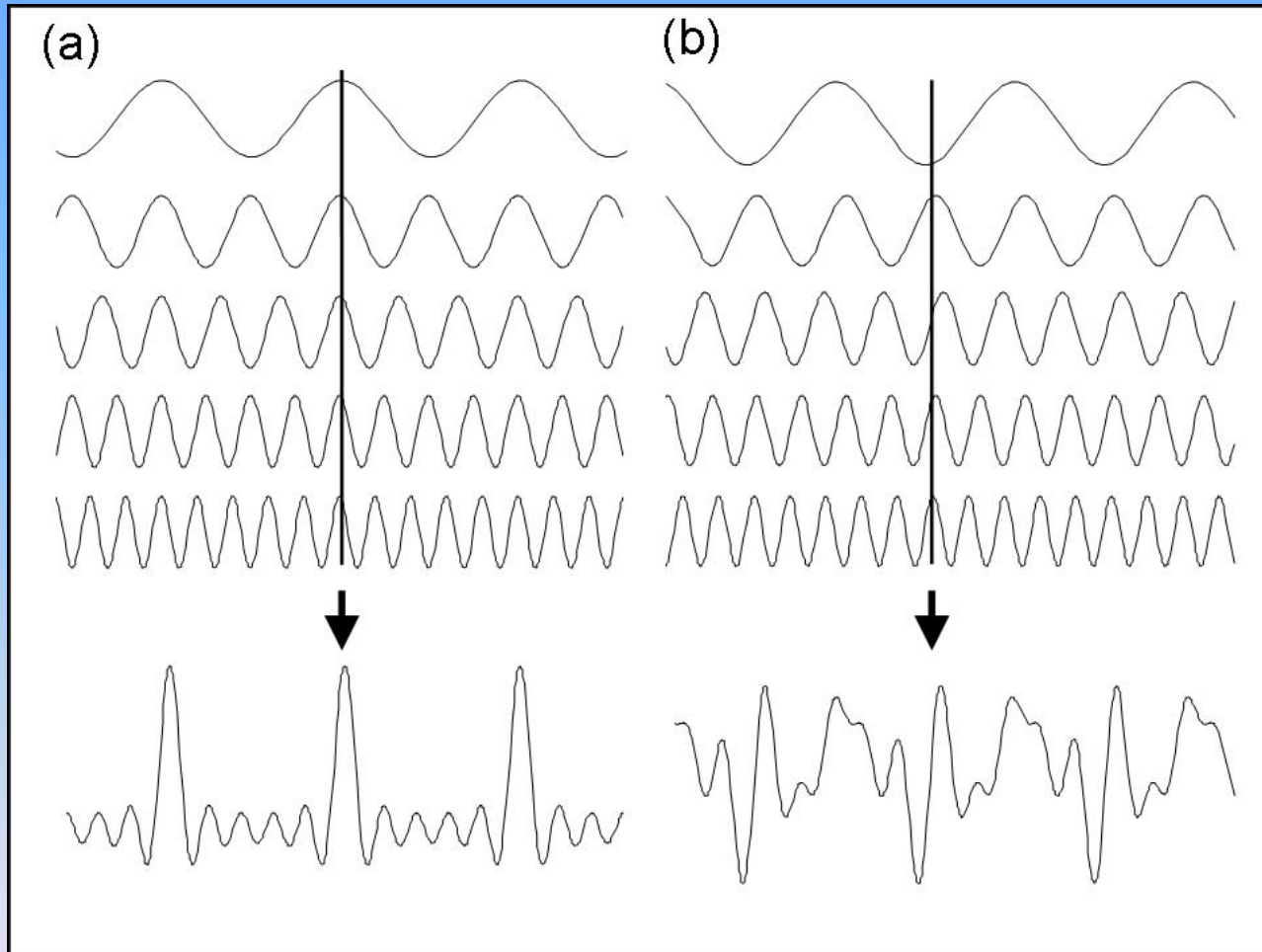


Electromagnetic Spectrum



Effect of random phase

Principle of optical interference of coherent light fields



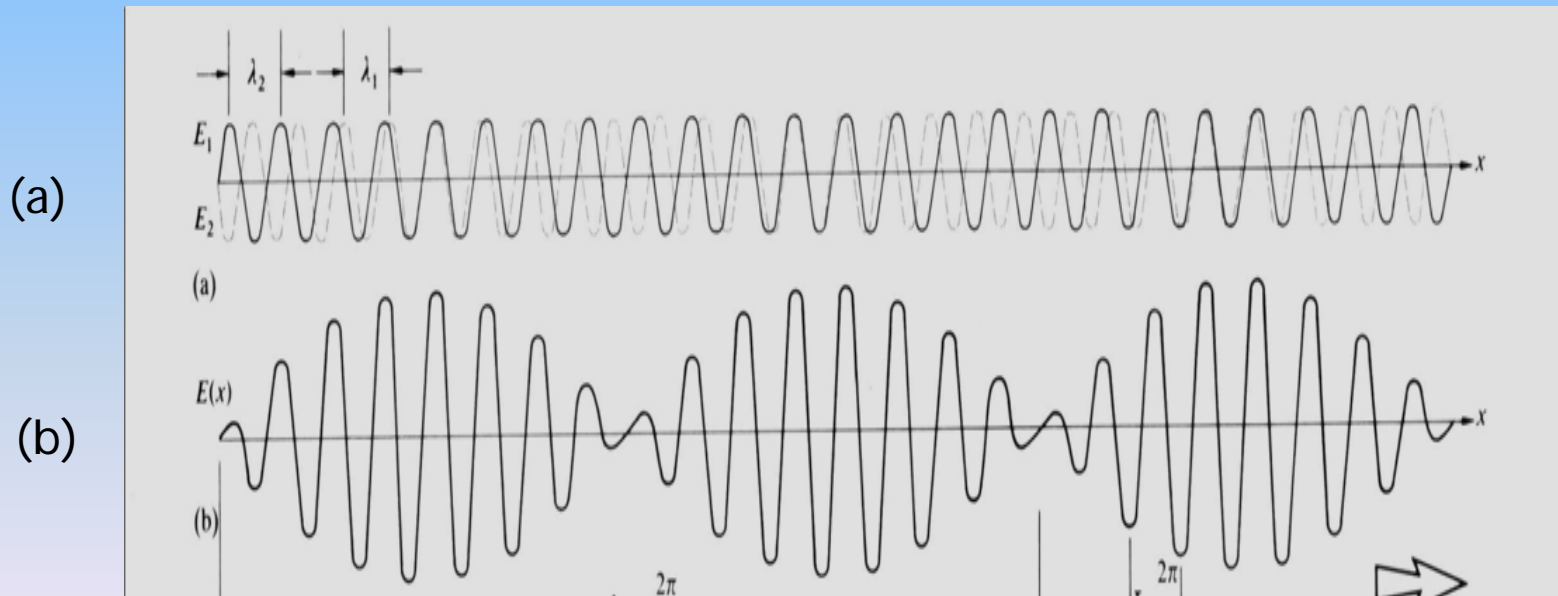
In phase

Random phase

What is a single cycle optical pulse

(a) Monochromatic light: sinusoidal wave propagation

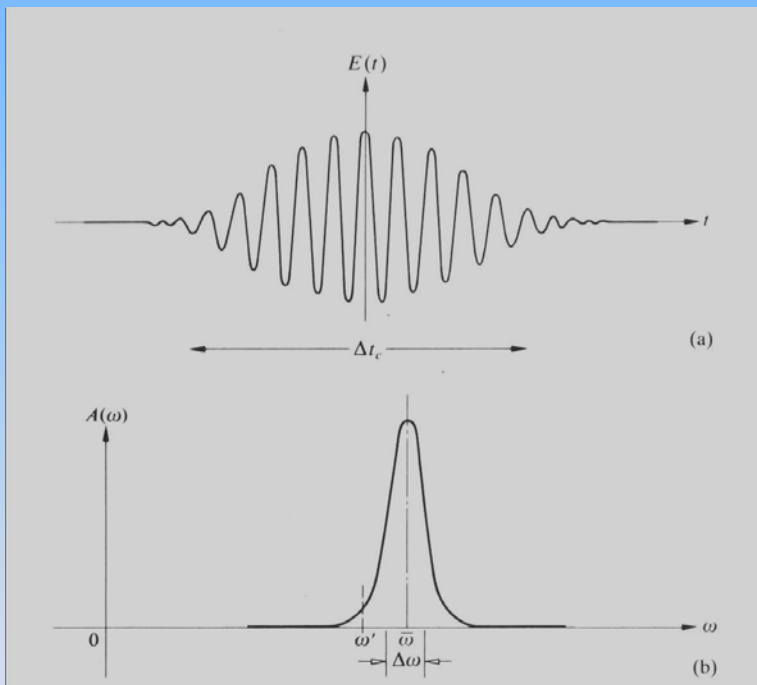
(b) Beating of two waves, ω_1 and ω_2



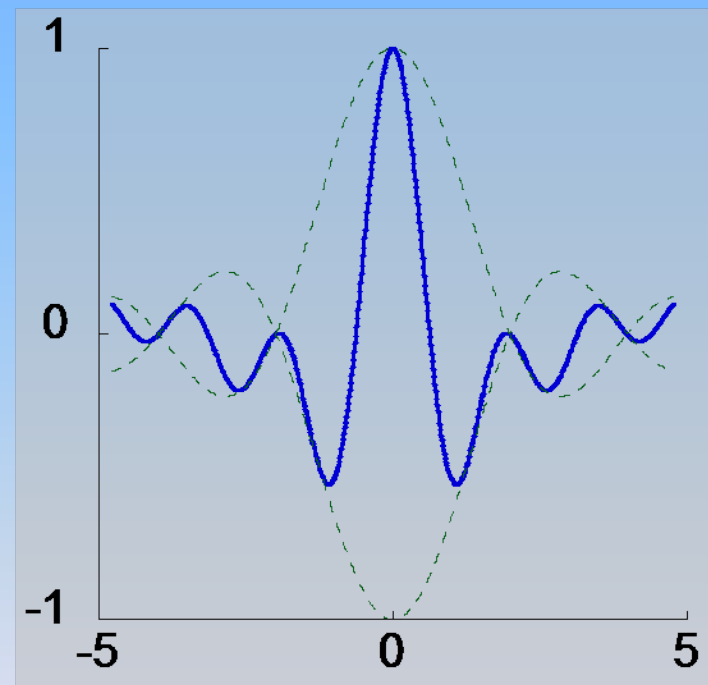
What is a single cycle optical pulse

(c) Many waves propagating to form a wave packet (left)

(d) Ultimate wavepacket is a single-cycle and sub-cycle pulse pulse (right)



(c)



(d)

Optical cycle

$$E(t) = \tilde{E}(t) + c.c.$$

$$\tilde{E}(t) = A(t)e^{i(\omega_0 t + \phi)}$$

$$\omega_0 = \frac{\int_0^\infty \omega |E(\omega)|^2 d\omega}{\int_0^\infty |E(\omega)|^2 d\omega}$$

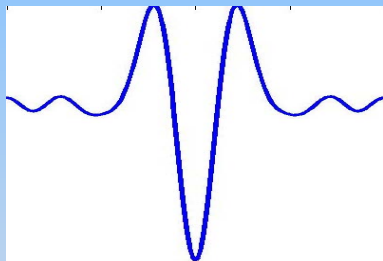
Carrier frequency

$E(\omega)$: Fourier transform of $E(t)$

Single cycle waveforms

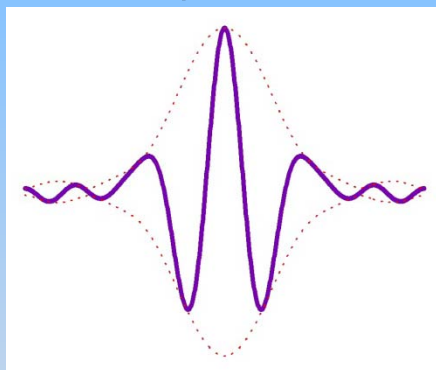
Inverted cosine

$$\phi_n = \pi$$



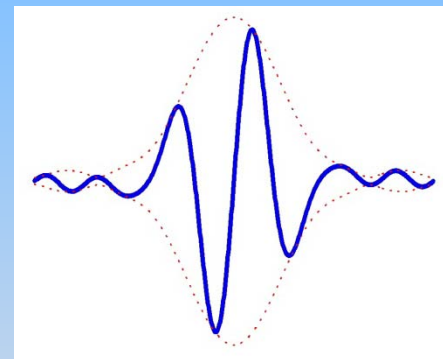
cosine pulse

$$\phi_n = 0$$



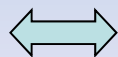
sine pulse

$$\phi_n = \pi/2$$



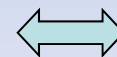
780 nm

200 nm



12,820 cm⁻¹

50,000 cm⁻¹

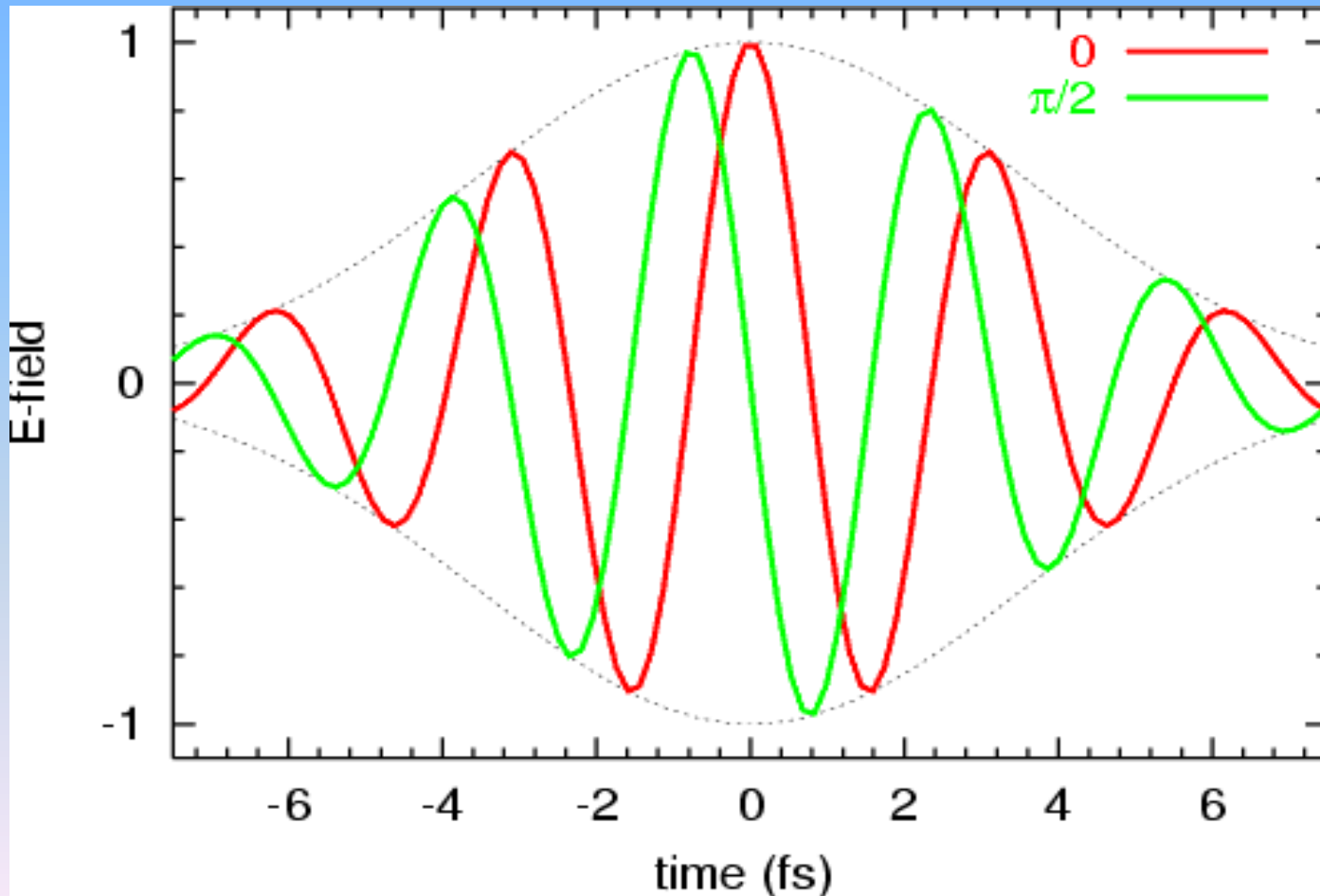


2.6 fs

684 as

Carrier envelope phase

$$E(t) = E_0(t) \cos(\omega_0 t + \underline{\phi})$$

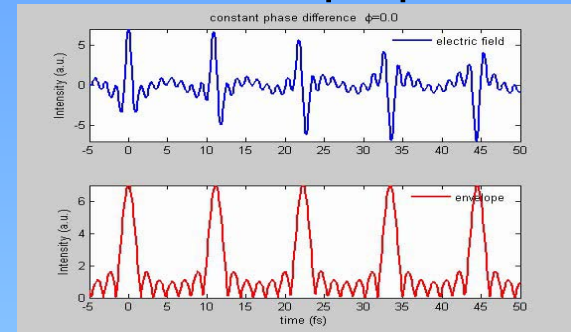
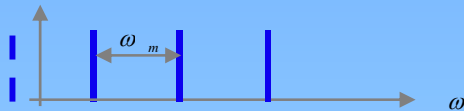


Constant carrier envelope phase

$$E(t) = \sum_n E_n(t) \cos(\omega_n t + \phi_n)$$

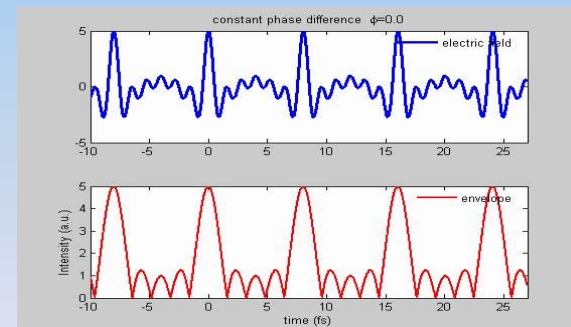
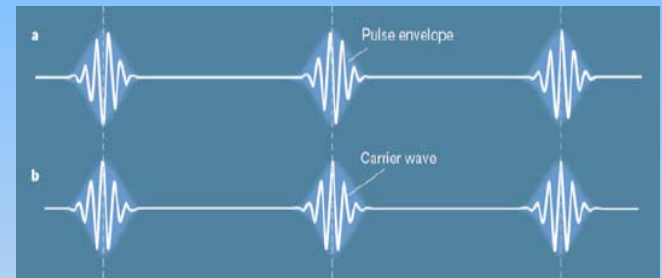
$\Phi_n =$ carrier envelope phase

incommensurate $\omega_n = n\omega_m + \omega_{ceo}$ $\phi_n = \omega_{ceo}t + \phi'_n$



commensurate $\omega_q = n\omega_m$ $\phi_n = \phi_{CEP} + n\phi_m$

$$E(t) = \sum_n A_n(t) \cos(n\omega_m (t + \phi_m / \omega_m) + \phi_{CEP})$$



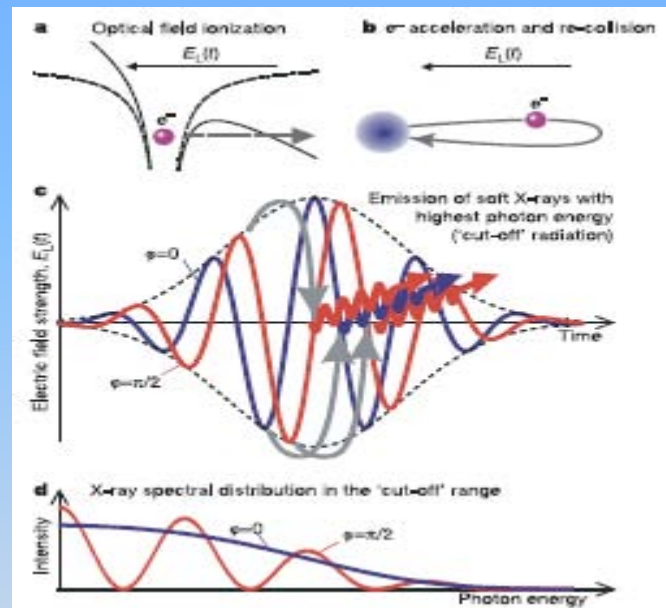
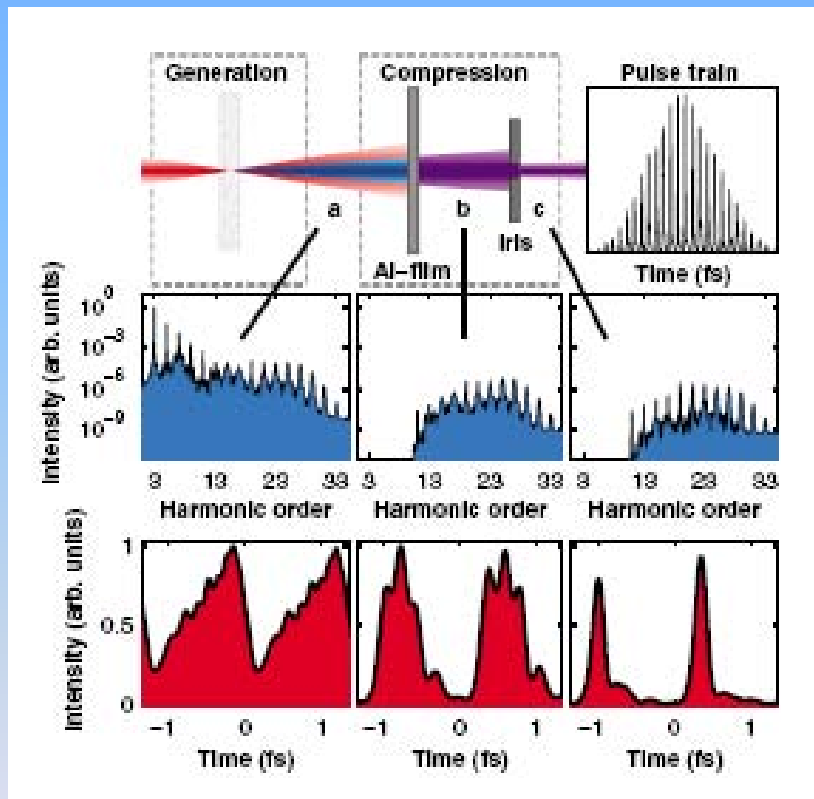
Constant CEP requires that the frequencies are commensurate and the relative phases form an arithmetic series

Ingredients of an attosecond single-cycle optical pulse:

1. Broad spectrum – 2 or more octaves
2. In phase condition
3. Constant carrier envelope phase:
 - Commensurate frequencies
 - Constant phase difference between adjacent spectral components
4. Stable and controllable carrier envelope phase

Methods of generating attosecond pulses

A High-order harmonic generation of phase-stabilized femtosecond pulse



Advantages: single pulse
100 attosecond

Disadvantages: 30-100 eV photons
very low power
constitutes a few cycles

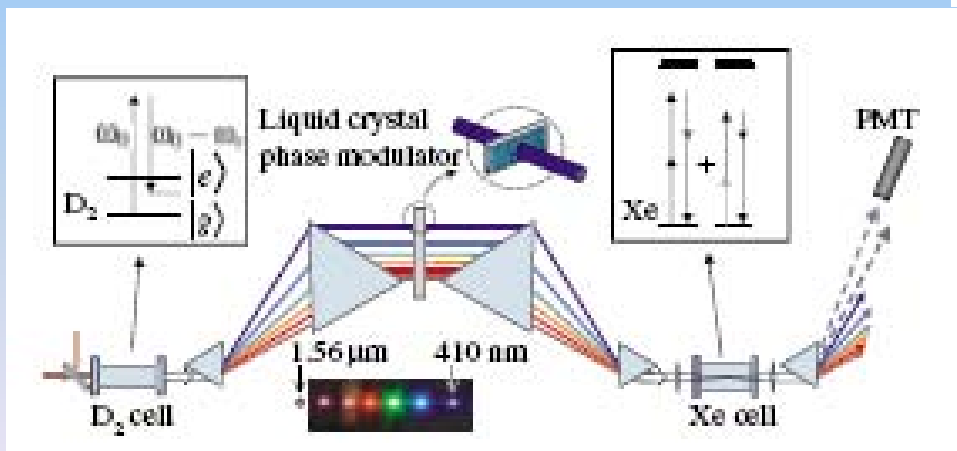
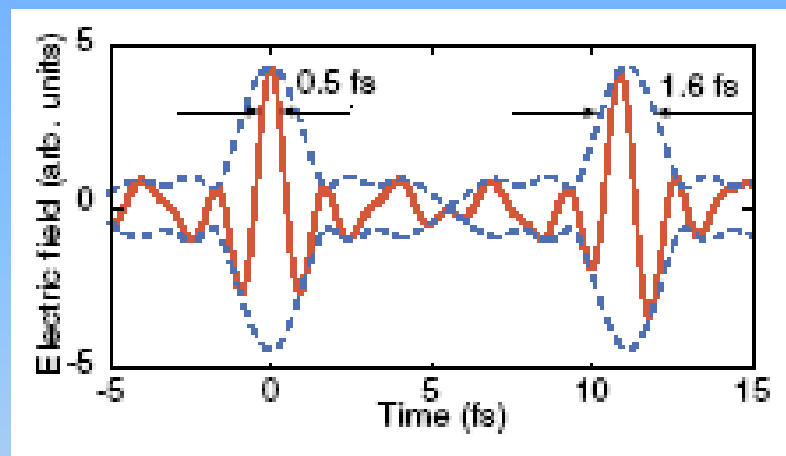
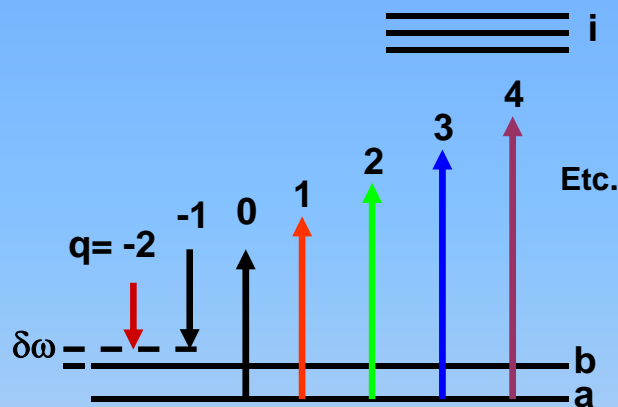
Krauze et.al., Nature 421, 611 (2003)

R. Lopez-Martens et. al., PRL 94, 033001 (2005)

Methods of generating attosecond pulses

B

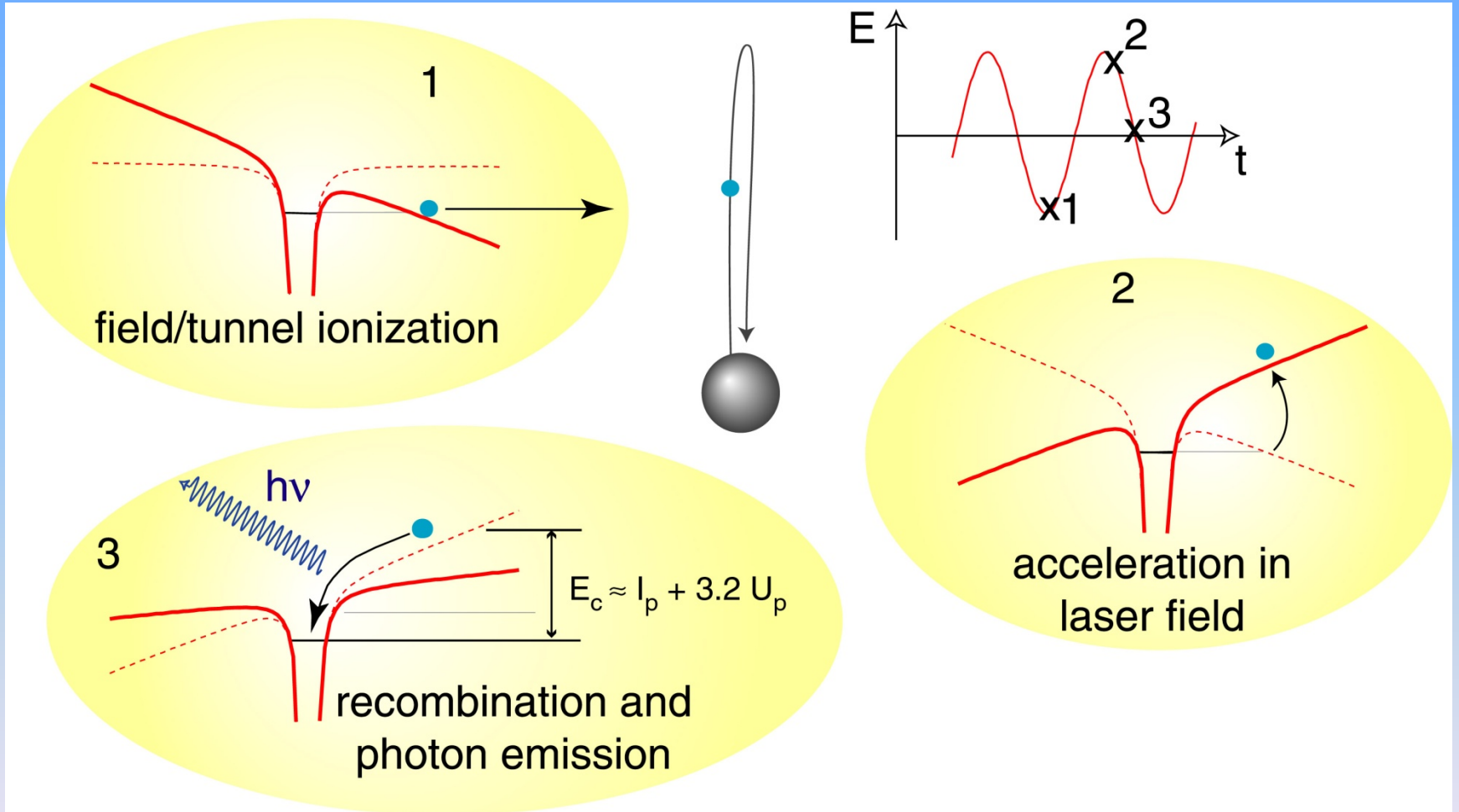
High-order stimulated Raman scattering using molecular modulation



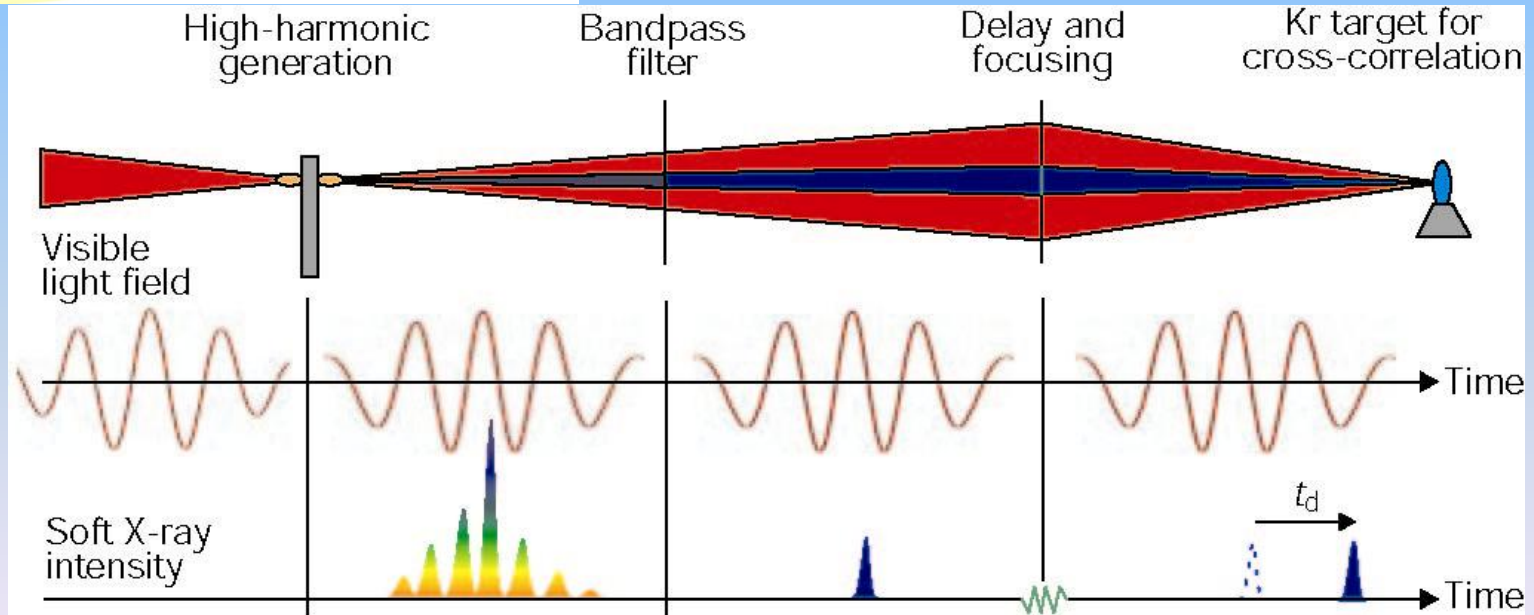
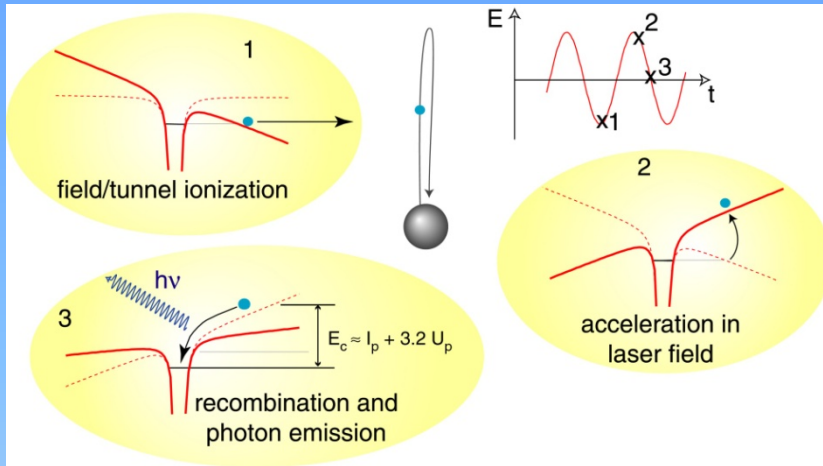
Advantages: IR-UV region
 good power
 single-cycle

Disadvantages: complex setup
 8-50 fs pulse spacing
 limited to ~ 300-500 as

Three-step model



Isolated Attosecond-pulse production



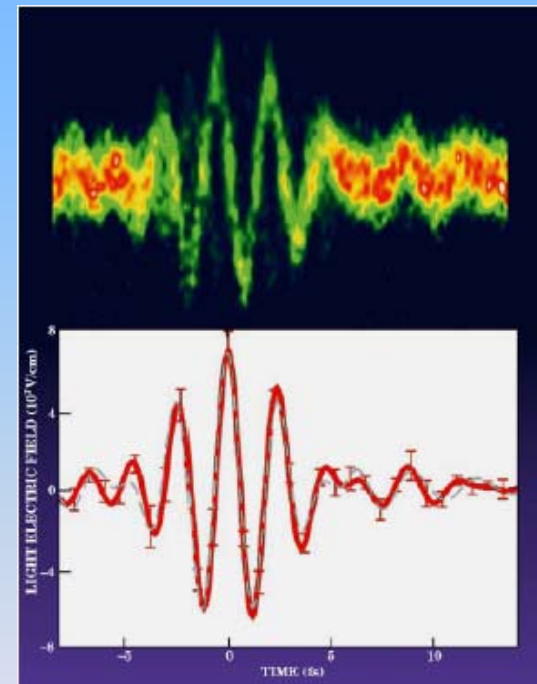
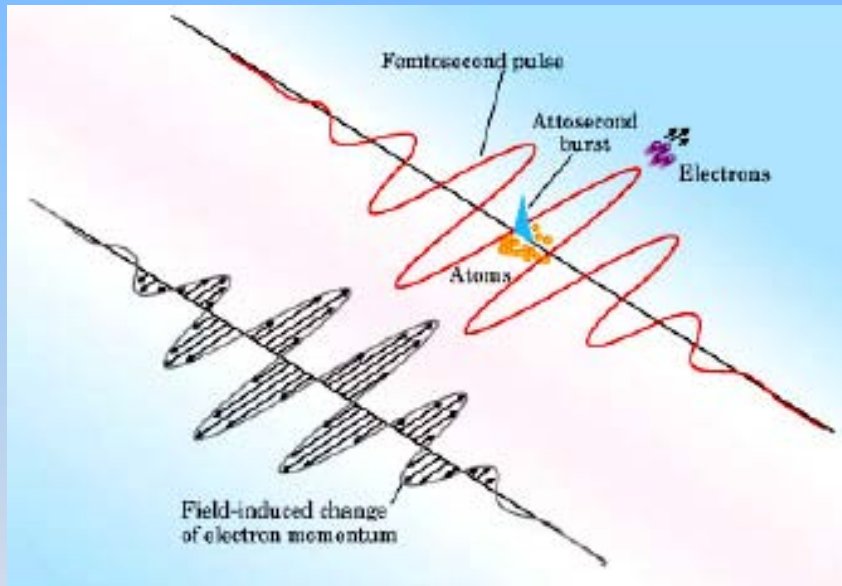
M. Hentschel et al, Nature **414**, 509 (2001)

PHYSICS TODAY October 2004

Search and Discovery

Attosecond Bursts Trace the Electric Field of Optical Laser Pulses

The familiar textbook sketch of light's oscillating electric field can now be drawn directly from measurements.



A. Baltuska et al., Nature **421**, 611 (2003)

E. Goulielmakis et al., Science **305**, 1267 (2004)

Attosecond spectroscopy in condensed matter

A. L. Cavalieri¹, N. Müller², Th. Uphues^{1,2}, V. S. Yakovlev³, A. Baltuška^{1,4}, B. Horvath¹, B. Schmidt⁵, L. Blümel⁵, R. Holzwarth⁵, S. Hendel², M. Drescher⁶, U. Kleineberg³, P. M. Echenique⁷, R. Kienberger¹, F. Krausz^{1,3} & U. Heinzmann²

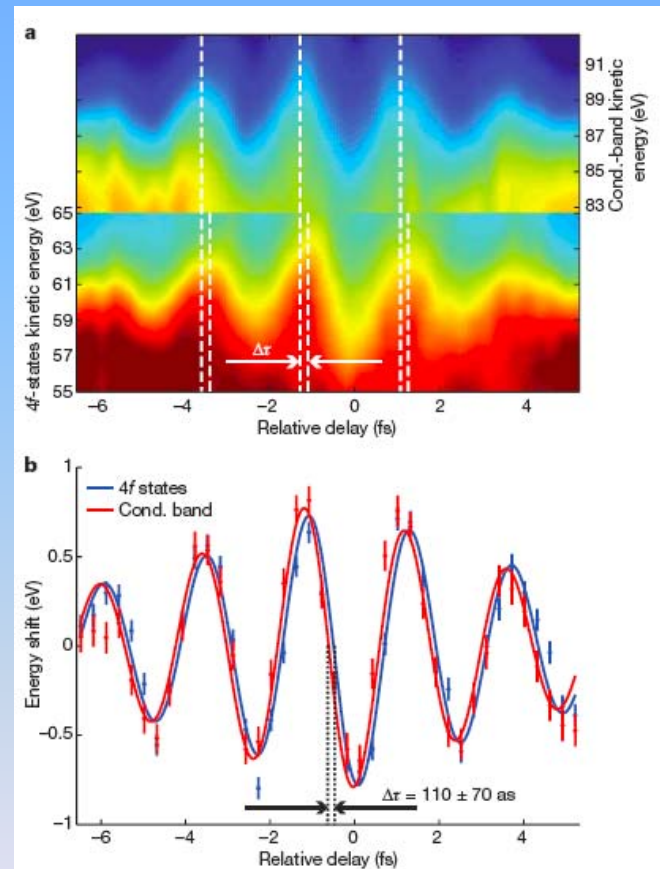
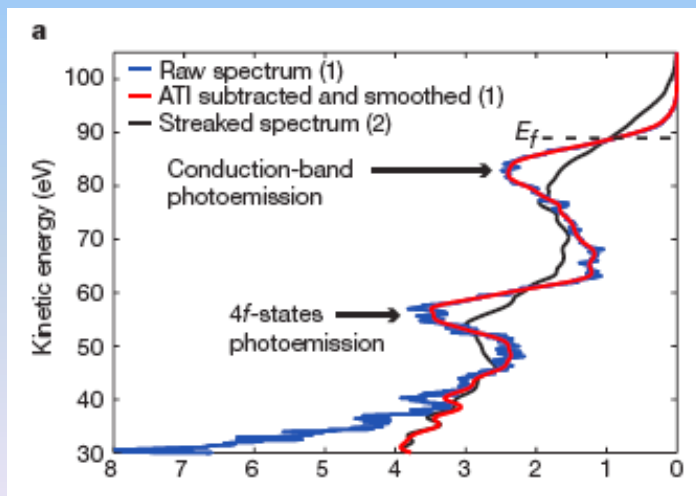
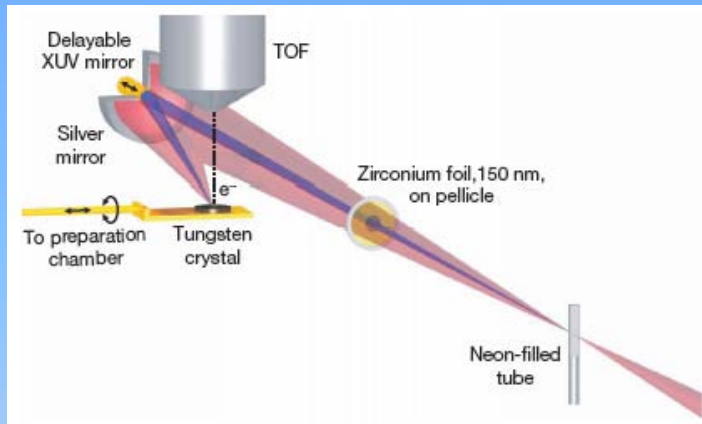


Figure 3 | Evidence of delayed photoemission. a, The 4f and conduction-band spectrograms, following cubic-spline interpolation of the measured data

Common theme

Photon energies 30 eV to 100 eV (EUV to soft x-ray region)

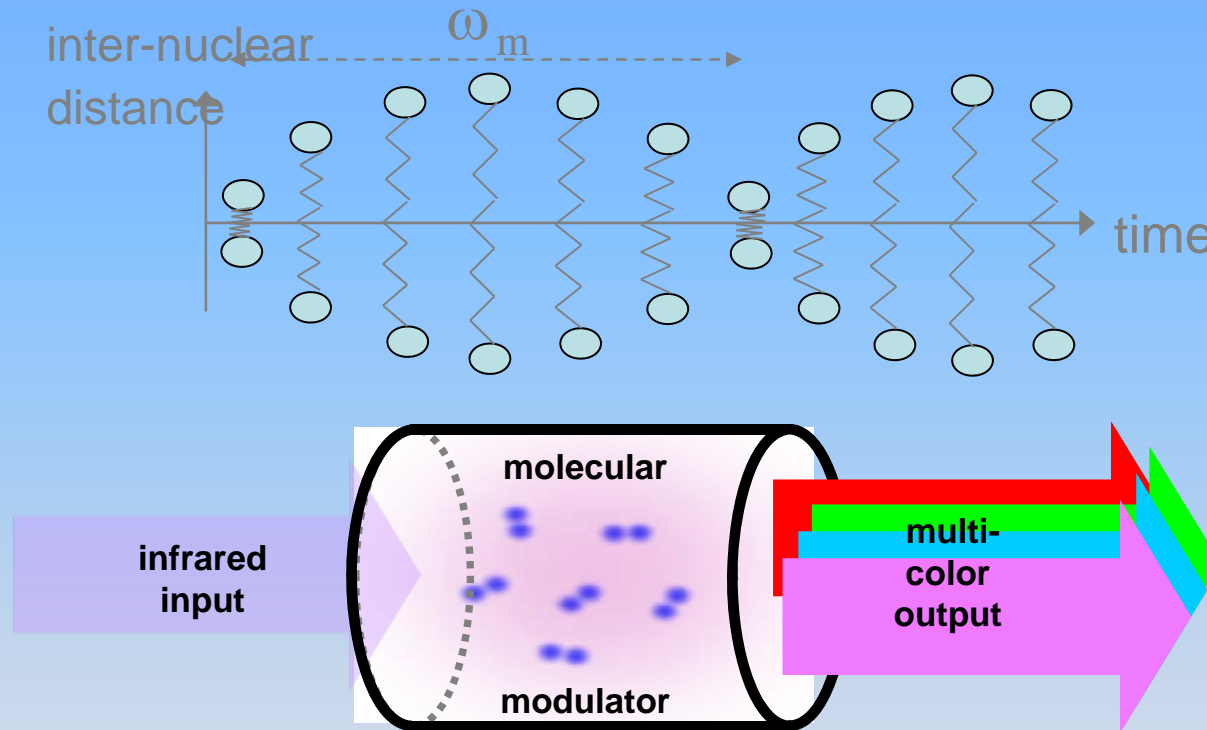
Traditional pump-probe measurements

Photoelectron or photoion detection

Weak pulses - long signal acquisition time

Molecular Modulation

Molecular modulation is analogous to electro-optic modulation



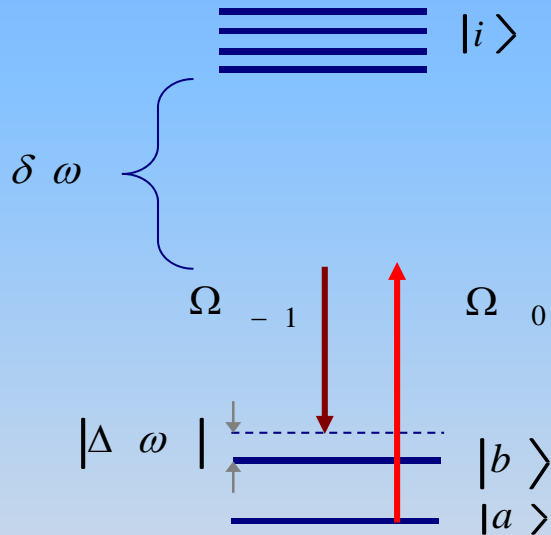
Refractive Index $n = n_0 + \delta \cos \omega_m t$

$$\omega_q = \omega_0 + q\omega_m \quad q = -2, -1, 0, 1, 2, 3, \dots$$

Alexei Sokolov
Steve Harris

Coherent Molecular Excitation

- Two strong laser fields adiabatically drive the molecules into a maximally coherent state.



Maximal coherence, $\rho_{ab} = 0.5$

$$\frac{\partial \rho_{aa}}{\partial \tau} = i(\Omega_{ab}\rho_{ba} - \Omega_{ba}\rho_{ab}) + \gamma_{\parallel}\rho_{bb}$$

$$\frac{\partial \rho_{bb}}{\partial \tau} = -i(\Omega_{ab}\rho_{ba} - \Omega_{ba}\rho_{ab}) - \gamma_b\rho_{bb}$$

$$\frac{\partial \rho_{ab}}{\partial \tau} = i(\Omega_{aa} - \Omega_{bb} + \delta + i\gamma_{\perp})\rho_{ab} + i\Omega_{ab}(\rho_{bb} - \rho_{aa})$$

$$\Omega_{aa} = \frac{1}{2} \sum_q a_q |E_q|^2$$

$$\Omega_{bb} = \frac{1}{2} \sum_q b_q |E_q|^2$$

$$\Omega_{ab} = \Omega_{ba}^* = \frac{1}{2} \sum_q d_q E_q E_{q+1}^*$$

Coherent Molecular Excitation

$$H_{eff} = -\hbar \begin{bmatrix} \Omega_{aa} & \Omega_{ab} \\ \Omega_{ba} & \Omega_{bb} - \delta \end{bmatrix}$$

$$\Omega_{aa} = \frac{1}{2} \sum_q a_q |E_q|^2$$

$$\Omega_{bb} = \frac{1}{2} \sum_q b_q |E_q|^2$$

$$\Omega_{ab} = \Omega_{ba}^* = \frac{1}{2} \sum_q d_q E_q E_{q+1}^*$$

$$a_q = \frac{1}{2\hbar^2} \sum_j \left(\frac{|\mu_{ja}|^2}{\omega_j - \omega_a - \omega_q} + \frac{|\mu_{ja}|^2}{\omega_j - \omega_a + \omega_q} \right)$$

$$b_q = \frac{1}{2\hbar^2} \sum_j \left(\frac{|\mu_{jb}|^2}{\omega_j - \omega_b - \omega_q} + \frac{|\mu_{jb}|^2}{\omega_j - \omega_b + \omega_q} \right)$$

$$d_q = \frac{1}{2\hbar^2} \sum_j \left(\frac{\mu_{aj}\mu_{jb}}{\omega_j - \omega_b - \omega_q} + \frac{\mu_{aj}\mu_{jb}}{\omega_j - \omega_a + \omega_q} \right)$$

Coherent Molecular Excitation

Solution to the Hamiltonian:

● Eigenfunctions $|\pm\rangle = \cos \theta^{(\pm)} |a\rangle + \sin \theta^{(\pm)} e^{-i\varphi} |b\rangle$ $\Omega_{ab} = |\Omega_{ab}| e^{i\varphi}$

$$\tan \theta^{(\pm)} = \frac{2|\Omega_{ab}|}{\Omega_{aa} - \Omega_{bb} + \delta \pm \sqrt{(\Omega_{aa} - \Omega_{bb} + \delta)^2 + 4|\Omega_{ab}|^2}}$$

● Eigenvalues: $E_{\text{eff}} = -\hbar\lambda^{(\pm)} = \frac{\hbar}{2}(\Omega_{aa} + \Omega_{bb} - \delta) \pm \frac{\hbar}{2}\sqrt{(\Omega_{aa} - \Omega_{bb} + \delta)^2 + 4|\Omega_{ab}|^2}$



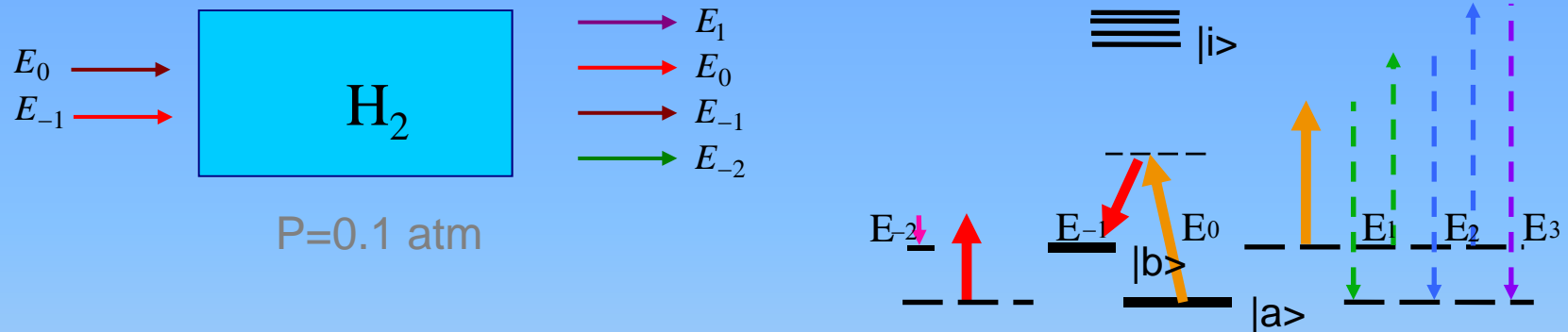
Coherence:

$$\rho_{ab}^{(\pm)} = \frac{1}{2} e^{i\varphi} \sin 2\theta^{(\pm)} = \pm \frac{\Omega_{ab}}{\sqrt{(\Omega_{aa} - \Omega_{bb} + \delta)^2 + 4|\Omega_{ab}|^2}}$$

$$|\rho_{ab}| = 0.5 \quad |\Omega_{ab}| \gg |\Omega_{aa} - \Omega_{bb} + \delta|$$

Sideband Generation and Propagation

- Adiabatically prepared molecules modulate the driving fields producing a wide comb

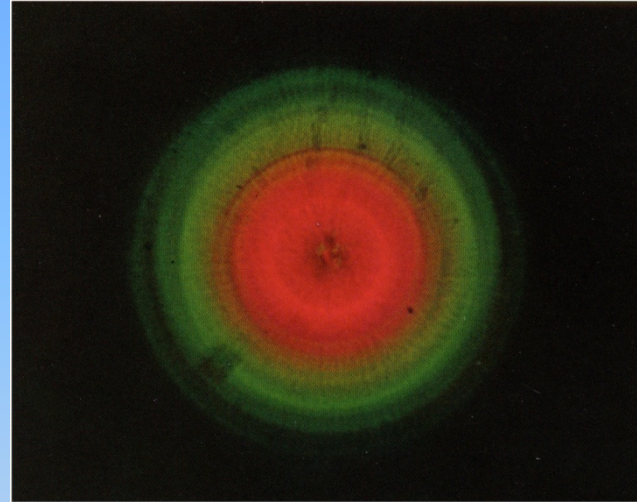
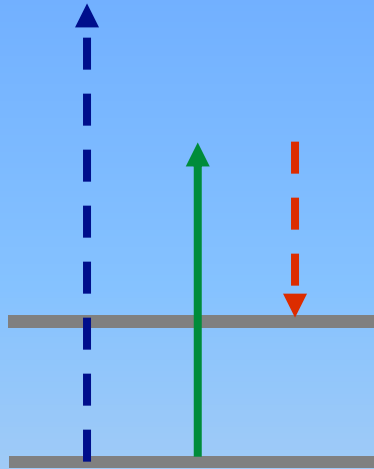


- Propagation equation for the q th sideband: $\omega_q = \omega_{q-1} + \omega_0 - \omega_{-1}$

$$\frac{\partial E_q}{\partial z} = -j\eta\hbar\omega_q N \left(\underbrace{a_q \rho_{aa} E_q + d_q \rho_{bb} E_q}_{\text{dispersion}} + \underbrace{b_q^* \rho_{ab} E_{q-1} + c_q^* \rho_{ab}^* E_{q+1}}_{\text{coupling}} \right)$$

At maximum coherence, $\rho_{ab} = 0.5$ the dispersion and coupling terms become comparable. Phase-matching is then not important, and generation is collinear.

Stimulated Raman Scattering



Traditional SRS:

- ★ Generation occurs at **high gas pressure**
- ★ Molecular excitation occurs **on-resonance**
- ★ Anti-Stokes generation occurs **off-axis**
- ★ **Few** Stokes and anti-Stokes orders are observed.

Why low temperature

- Put all molecules into one ro-vibrational state
make all molecules contribute to the process

$$\frac{\partial E_q}{\partial \xi} = \frac{iN\hbar\omega_q}{\epsilon_0 c} \left(a_q \rho_{aa} E_q + b_q \rho_{bb} E_q + d_{q-1} \rho_{ba} E_{q-1} + d_q^* \rho_{ab} E_{q+1} \right)$$

- Reduce Doppler width to increase the coherence
molecules with equal detuning but opposite in sign will
off-set their contribution to the coherence build up

$$\Delta v_D = \frac{v_0}{c} \sqrt{\frac{2kT}{m}} = \frac{1}{\lambda_0} \sqrt{\frac{2kT}{m}} = 1.285 \times 10^{11} \frac{1}{\lambda_0(nm)} \sqrt{\frac{T(K)}{\mu}}$$

$$T = 300K \quad \Delta v_D, D_2 = 778 \text{ MHz}$$

$$T = 77K \quad \Delta v_D, D_2 = 389 \text{ MHz}$$

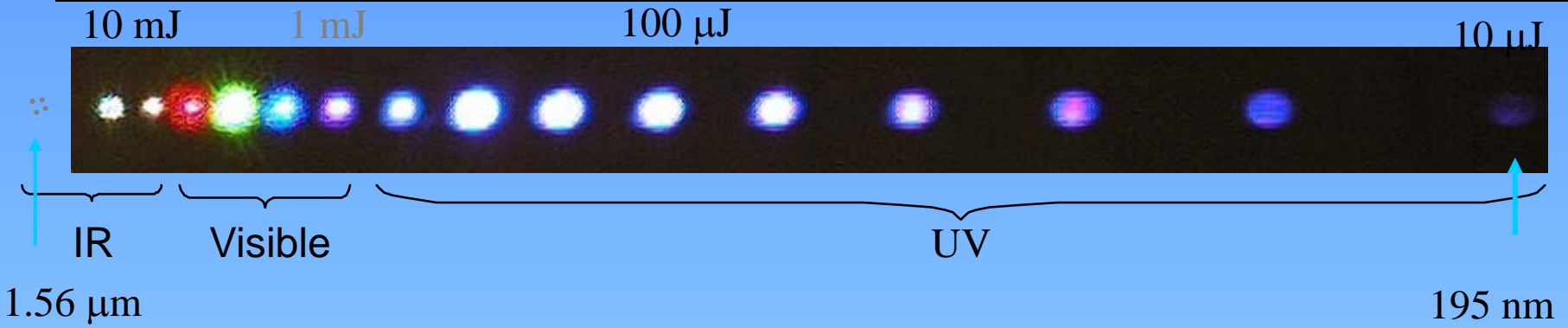
$$T = 300K \quad \Delta v_D, H_2 = 1100 \text{ MHz}$$

$$a_q = \frac{1}{2\hbar^2} \sum_j \left(\frac{|\mu_{ja}|^2}{\omega_j - \omega_a - \omega_q} + \frac{|\mu_{ja}|^2}{\omega_j - \omega_a + \omega_q} \right)$$

$$b_q = \frac{1}{2\hbar^2} \sum_j \left(\frac{|\mu_{jb}|^2}{\omega_j - \omega_b - \omega_q} + \frac{|\mu_{jb}|^2}{\omega_j - \omega_b + \omega_q} \right)$$

$$d_q = \frac{1}{2\hbar^2} \sum_j \left(\frac{\mu_{aj}\mu_{jb}}{\omega_j - \omega_b - \omega_q} + \frac{\mu_{aj}\mu_{jb}}{\omega_j - \omega_a + \omega_q} \right)$$

D₂ Vibration Spectra: 16 sidebands, spaced by 2994 cm⁻¹

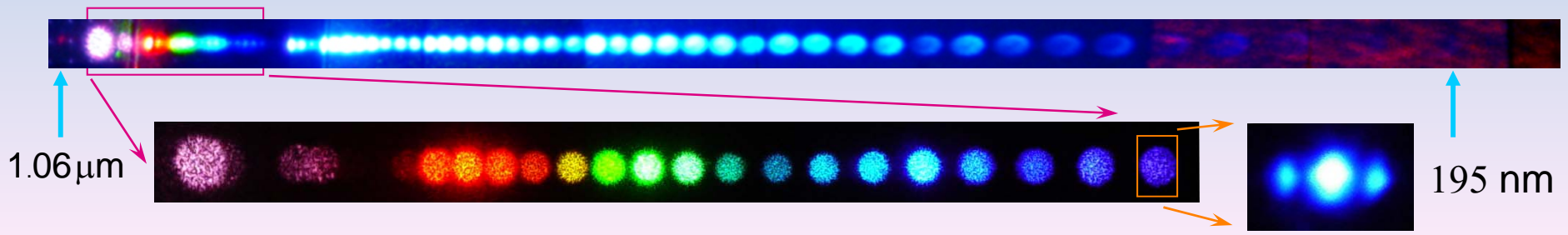


H₂ Rotation Spectra: 29 sidebands, spaced by 587 cm⁻¹



Phys. Rev. A (R)(1997)
 Phys. Rev. Lett. 81 (1998)
 Opt. Lett. 24 (1999)
 Phys. Rev. Lett. 84 (2000)
 Phys. Rev. Lett. 85 (2000)
 Phys. Rev. A 63 (2001)
 Phys. Rev. Lett. 91 (2003)
 Phys. Rev. Lett. 93 (2005)

Multiplicative Spectra: ~ 200 sidebands, spaced by < 587 cm⁻¹



Motivation

- form subfemtosecond pulses
- produce THz pulse train
- generate tunable high power vacuum uv pulses
- arbitrary waveform synthesis

Use gas phase hydrogen at room temperature

Pros:

- **large** Raman transition of 4155 cm^{-1} for Q(1)
- **2/3** population in single quantum state ($v=0, j=1$) at room temperature
- many parameters are **known**
- **nondestructible**
- room temperature is **easy to operate**

Cons:

- **large Doppler** width
- requires two tunable high-power high-resolution lasers **spaced 4155 cm^{-1}** apart
- smaller pulse train pulse-to-pulse spacing

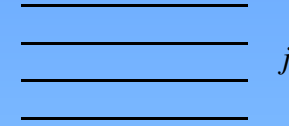
Simulation

$$\Omega_{aa} = \frac{1}{2} \sum_q a_q |E_q|^2$$

$$\Omega_{bb} = \frac{1}{2} \sum_q b_q |E_q|^2$$

$$\Omega_{ab} = \Omega_{ba}^* = \frac{1}{2} \sum_q d_q E_q E_{q+1}^*$$

$$H_{eff} = -\hbar \begin{bmatrix} \Omega_{aa} & \Omega_{ab} \\ \Omega_{ba} & \Omega_{bb} - \delta \end{bmatrix}$$



$$a_q = \frac{1}{2\hbar^2} \sum_j \left(\frac{|\mu_{ja}|^2}{\omega_j - \omega_a - \omega_q} + \frac{|\mu_{ja}|^2}{\omega_j - \omega_a + \omega_q} \right)$$

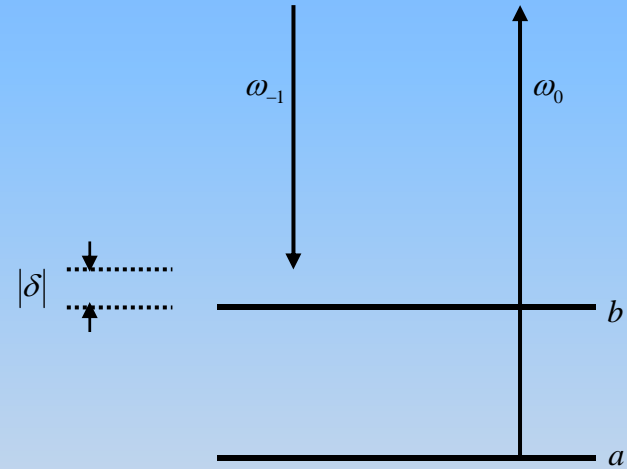
$$b_q = \frac{1}{2\hbar^2} \sum_j \left(\frac{|\mu_{jb}|^2}{\omega_j - \omega_b - \omega_q} + \frac{|\mu_{jb}|^2}{\omega_j - \omega_b + \omega_q} \right)$$

$$d_q = \frac{1}{2\hbar^2} \sum_j \left(\frac{\mu_{aj}\mu_{jb}}{\omega_j - \omega_b - \omega_q} + \frac{\mu_{aj}\mu_{jb}}{\omega_j - \omega_a + \omega_q} \right)$$

$$\frac{\partial \rho_{aa}}{\partial \tau} = i(\Omega_{ab}\rho_{ba} - \Omega_{ba}\rho_{ab}) + \gamma_{\parallel}\rho_{bb}$$

$$\frac{\partial \rho_{bb}}{\partial \tau} = -i(\Omega_{ab}\rho_{ba} - \Omega_{ba}\rho_{ab}) - \gamma_b\rho_{bb}$$

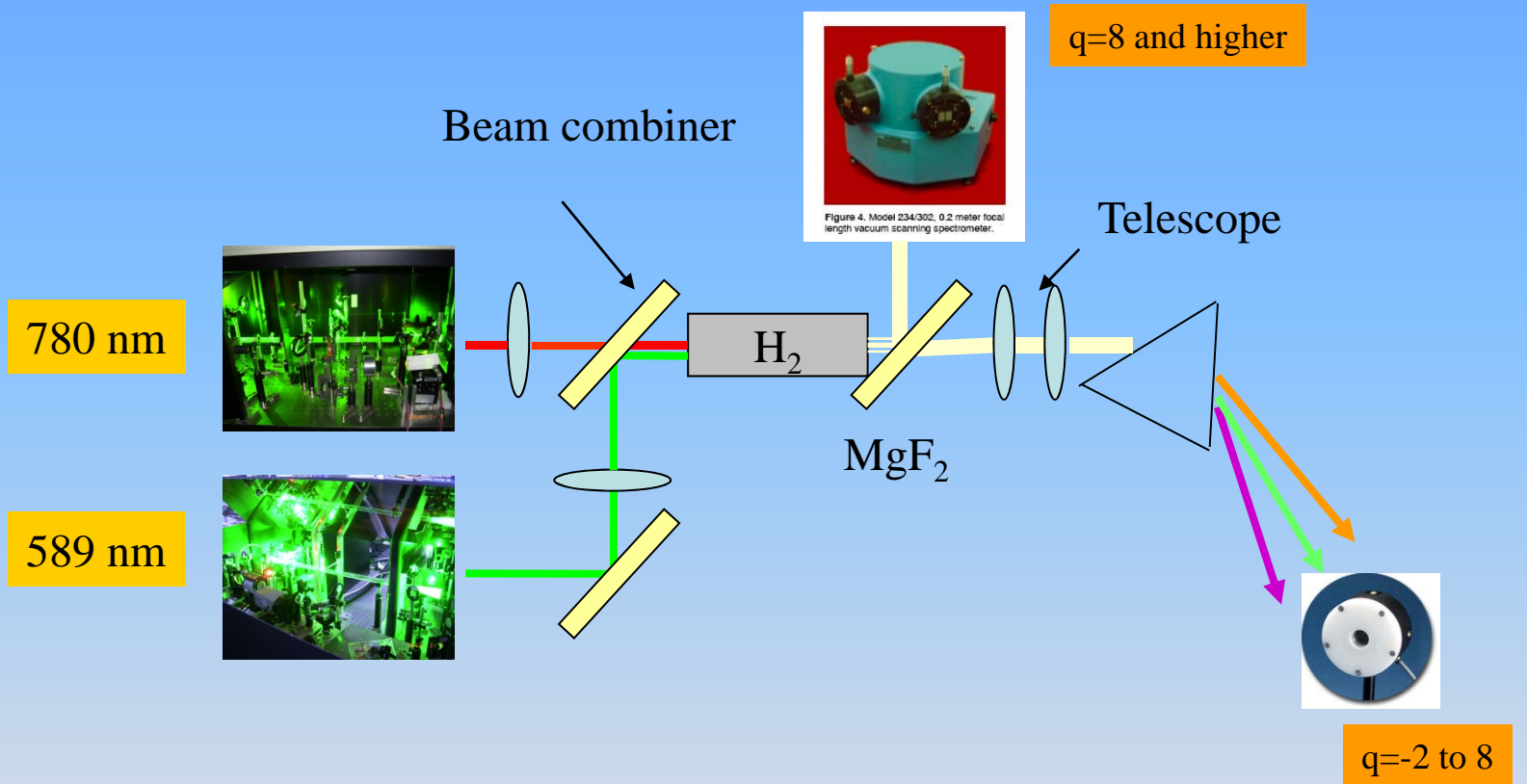
$$\frac{\partial \rho_{ab}}{\partial \tau} = i(\Omega_{aa} - \Omega_{bb} + \delta + i\gamma_{\perp})\rho_{ab} + i\Omega_{ab}(\rho_{bb} - \rho_{aa})$$



Thanks to Prof. Fam Le Kien for the full set of matrix element data

$$\frac{\partial \mathcal{E}_q}{\partial \mathcal{Z}} = -j\eta\hbar\omega_q \left[N(a_q\rho_{aa}E_q + d_q\rho_{bb}E_q) + 0.666N(b_q^*\rho_{ab}E_{q-1} + b_{q+1}\rho_{ab}^*E_{q+1}) \right]$$

Experimental Arrangement



$\delta\omega_{\text{laser}} \sim 100 \text{ MHz}$

$\Delta t_{\text{laser}} \sim 5 \text{ ns}$

$\lambda_0 = 589 \text{ nm}$

$\lambda_{-1} = 780 \text{ nm}$

Intensity $\sim 12 \text{ GW/cm}^2$

$\Omega_{\text{ab}, z=0} \sim 2 \text{ GHz}$

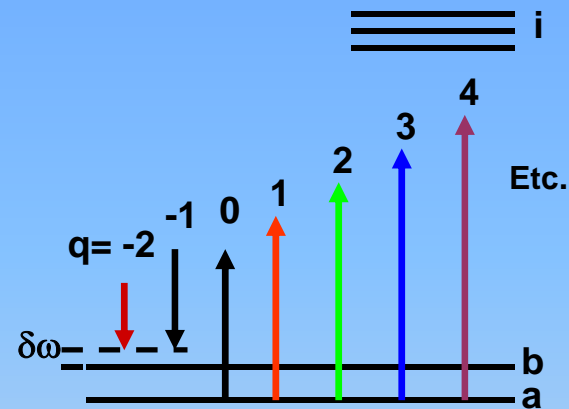
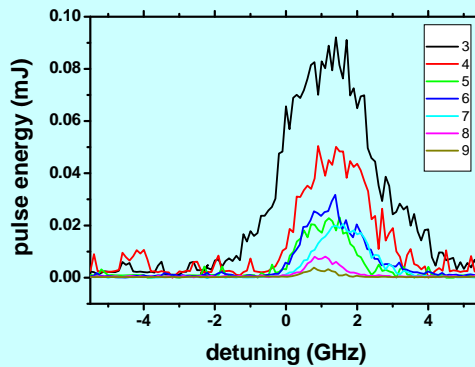
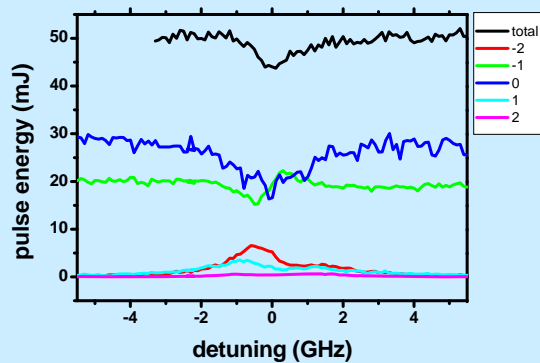
$\rho_{\text{ab}} \sim 0.4$

$t_{\text{delay}} \sim 0-1 \text{ ns}$

H₂ pressure $\sim 1 \text{ atm.}$

H₂ Doppler width 250-750 MHz

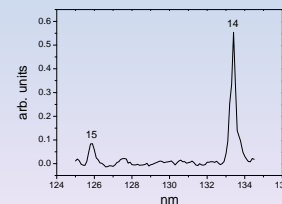
Raman sidebands generated



q = 3, $\lambda =$	339.6	nm
6	238.6	nm
9	183.9	nm
12	149.6	nm
14	133.0	nm

Total spectral span $>70,000 \text{ cm}^{-1}$
($\sim 500 \text{ as}$)

15th order at 126
nm observed



$$\omega_q = n \omega_m$$

Note:

589 nm \leftrightarrow 16978 cm⁻¹ (4 x 4155.2 = 16621 cm⁻¹)

780 nm \leftrightarrow 12822.8 cm⁻¹ (3 x 4155.2 cm⁻¹ = 12465.6 cm⁻¹)

The sidebands are not commensurate.

New input wavelengths:

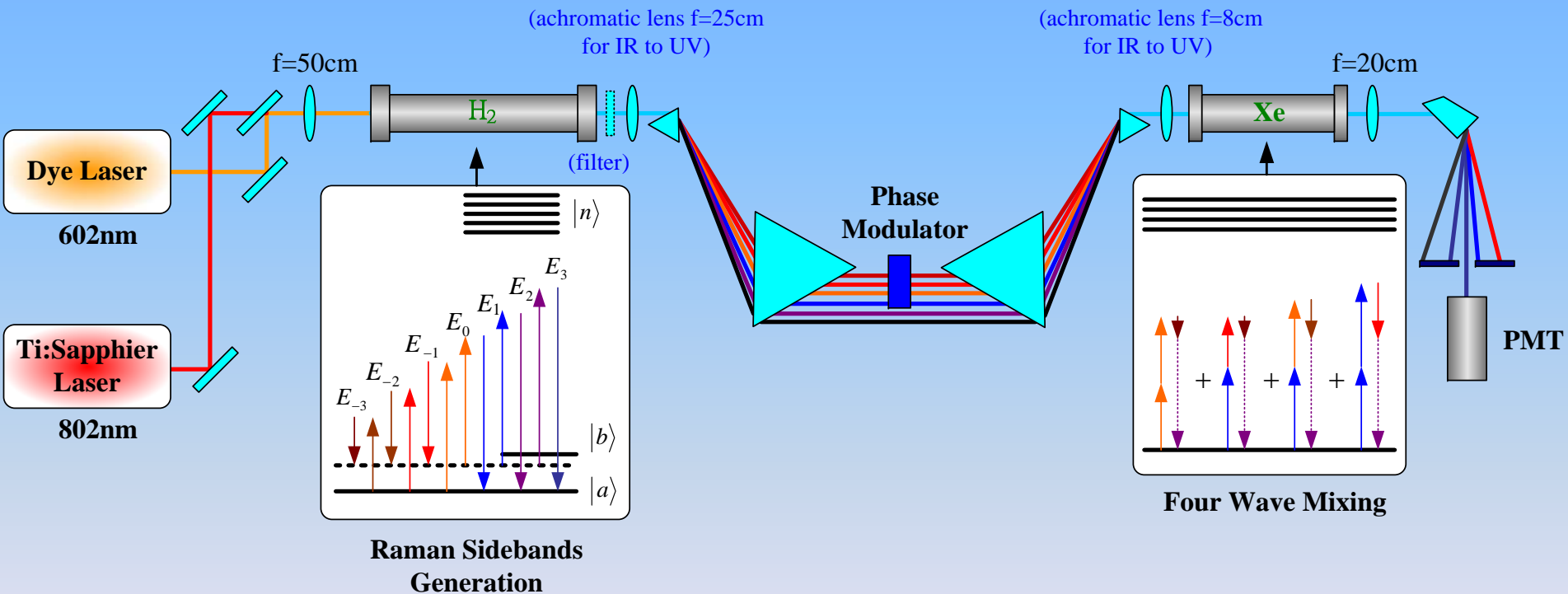
$\omega_0 = 16621 \text{ cm}^{-1}$ (602 nm)

$\omega_{-1} = 12465.6 \text{ cm}^{-1}$ (802 nm)

These wavelengths produce a commensurate set of sidebands, as shown on the right:

Raman Order	nm	cm ⁻¹	4 wave-mixing order
	∞	0	
-3	2407	4155	
-2	1203	8310	1
-1	802	12465	2
0	602	16620	3
1	481	20775	4
2	401	24930	5
3	344	29085	6
4	301	33240	7
5	267	37395	8
6	241	41550	9
7	219	45705	10
8	201	49860	11
9	185	54015	

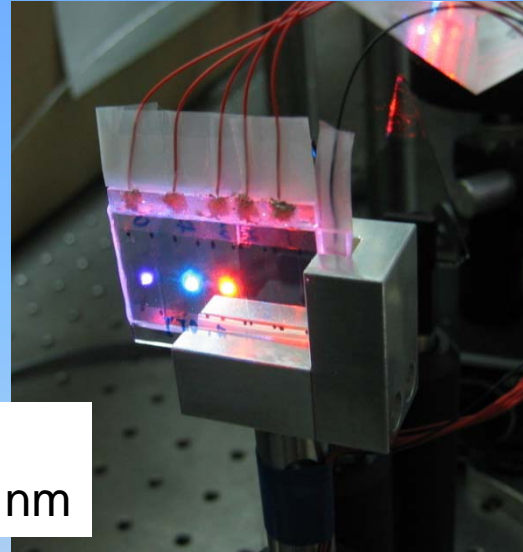
Phase adjustment Setup



LC phase modulator

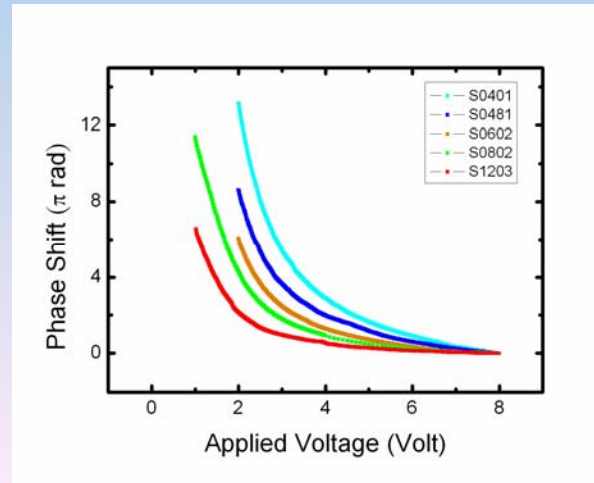
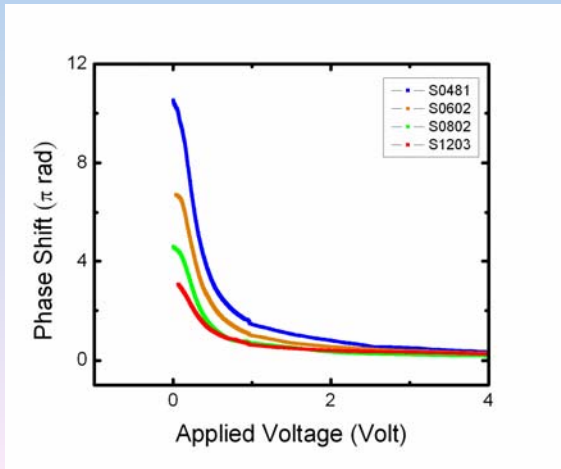


6 sidebands

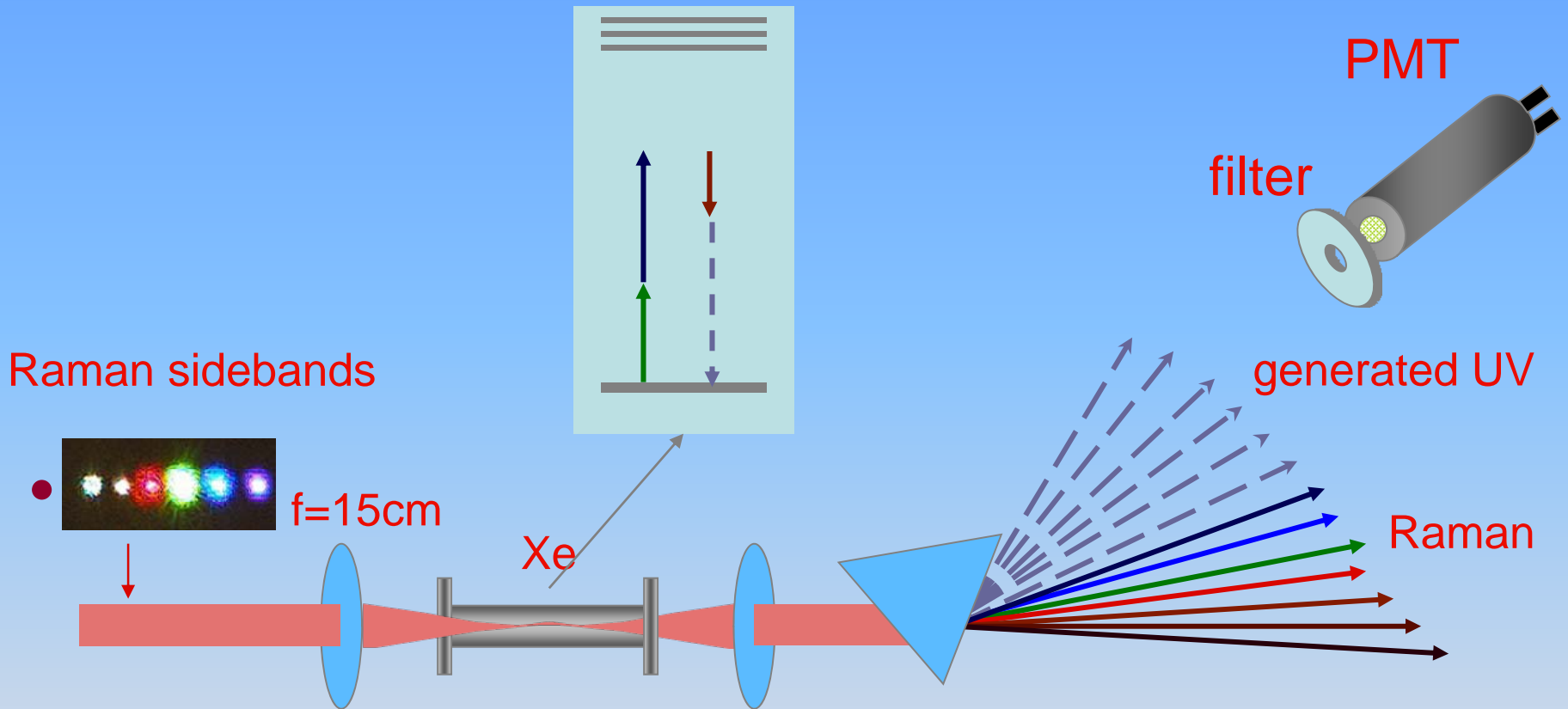


7 sidebands

λ_{cutoff}
430 nm --> 380 nm



Four-wave Mixing



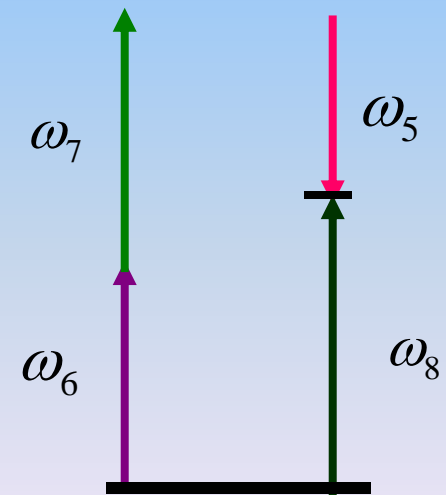
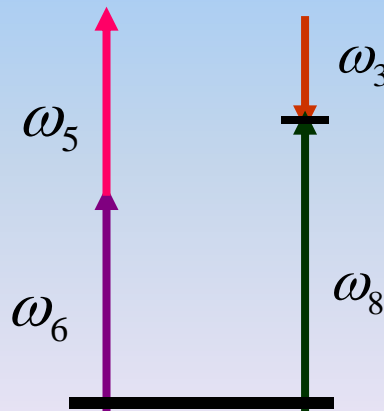
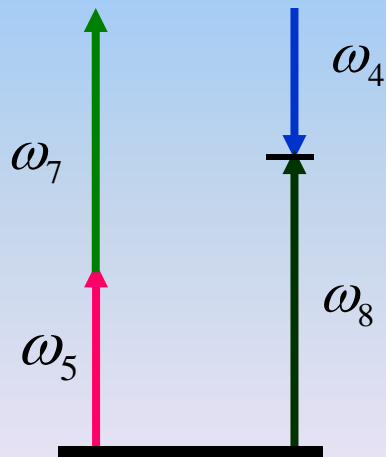
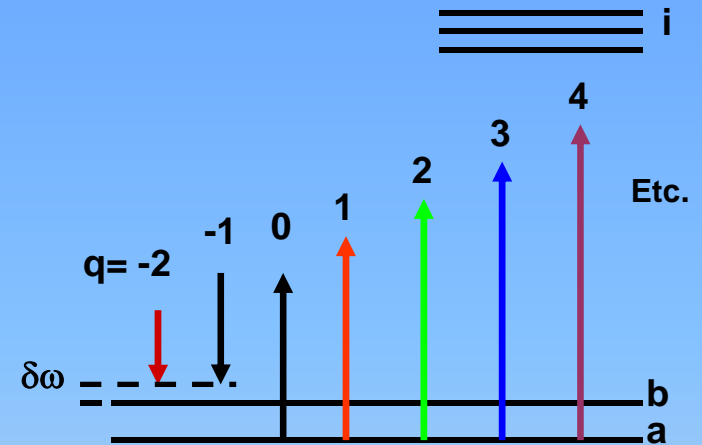
UV sidebands are generated at efficiencies 10^{-8} to 10^{-12} by a four-wave mixing process in a xenon cell at ~ 100 torr. Phasematching allows only the two photons up one photon down type of conversion. A total of $n-1$ different UV sidebands, beginning at the next short wavelength sideband, are generated.

Multiple quantum paths interference

Four wave mixing: $\omega_5 + \omega_7 - \omega_4 = \omega_8$

$\omega_6 + \omega_5 - \omega_3 = \omega_8$

$\omega_6 + \omega_7 - \omega_5 = \omega_8$



Four Wave Mixing in Xe

$$E_\alpha = \chi E_i E_j E_k^*$$

$$\phi_\alpha = \phi_i + \phi_j - \phi_k$$

$$\begin{array}{l} 7 : 5 + 5 - 3 \\ 5 + 4 - 2 \\ 5 + 3 - 1 \\ 4 + 4 - 1 \end{array}$$

$$\Rightarrow \begin{cases} \phi_5 - \phi_3 = \phi_4 - \phi_2 = \phi_3 - \phi_1 = 2s \\ \phi_5 - \phi_2 = \phi_4 - \phi_1 = 3t \end{cases}$$

$$\phi_5 = \phi_1 + 4s$$

$$\phi_4 = \phi_2 + 2s$$

$$\Rightarrow \frac{-) \phi_5 = \phi_2 + 3t}{\phi_1 - \phi_2 = 3t - 4s}$$

$$\frac{-) \phi_4 = \phi_1 + 3t}{\phi_1 - \phi_2 = 2s - 3t}$$

$$\Rightarrow$$

$$\phi_1 - \phi_2 = 3t - 4s$$

$$\phi_1 - \phi_2 = 2s - 3t$$

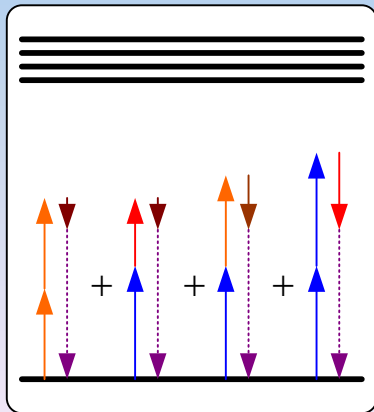
$$\Rightarrow$$

$$3t - 4s = 2s - 3t$$

$$t = s$$

$$\Rightarrow$$

$$\begin{cases} \phi_2 = \phi_1 + \Delta \\ \phi_3 = \phi_1 + 2\Delta \\ \phi_4 = \phi_1 + 3\Delta \\ \phi_5 = \phi_1 + 4\Delta \end{cases}$$



In phase condition

1: 1203nm

2: 802nm

3: 602nm

4: 481nm

5: 401nm

6: 344nm

7: 301nm

7=6+6-5, 6+5-4, 6+4-3, 6+3-2, 6+2-1.

5+5-3, 5+4-2, 5+3-1.

4+4-1

6, 5, 4 : 6+6-5, 6+5-4

$$\Phi_{65} = \Phi_{54}$$

+3 : 6+4-3, 5+5-3

$$\Phi_{65} = \Phi_{54} = \Phi_{43}$$

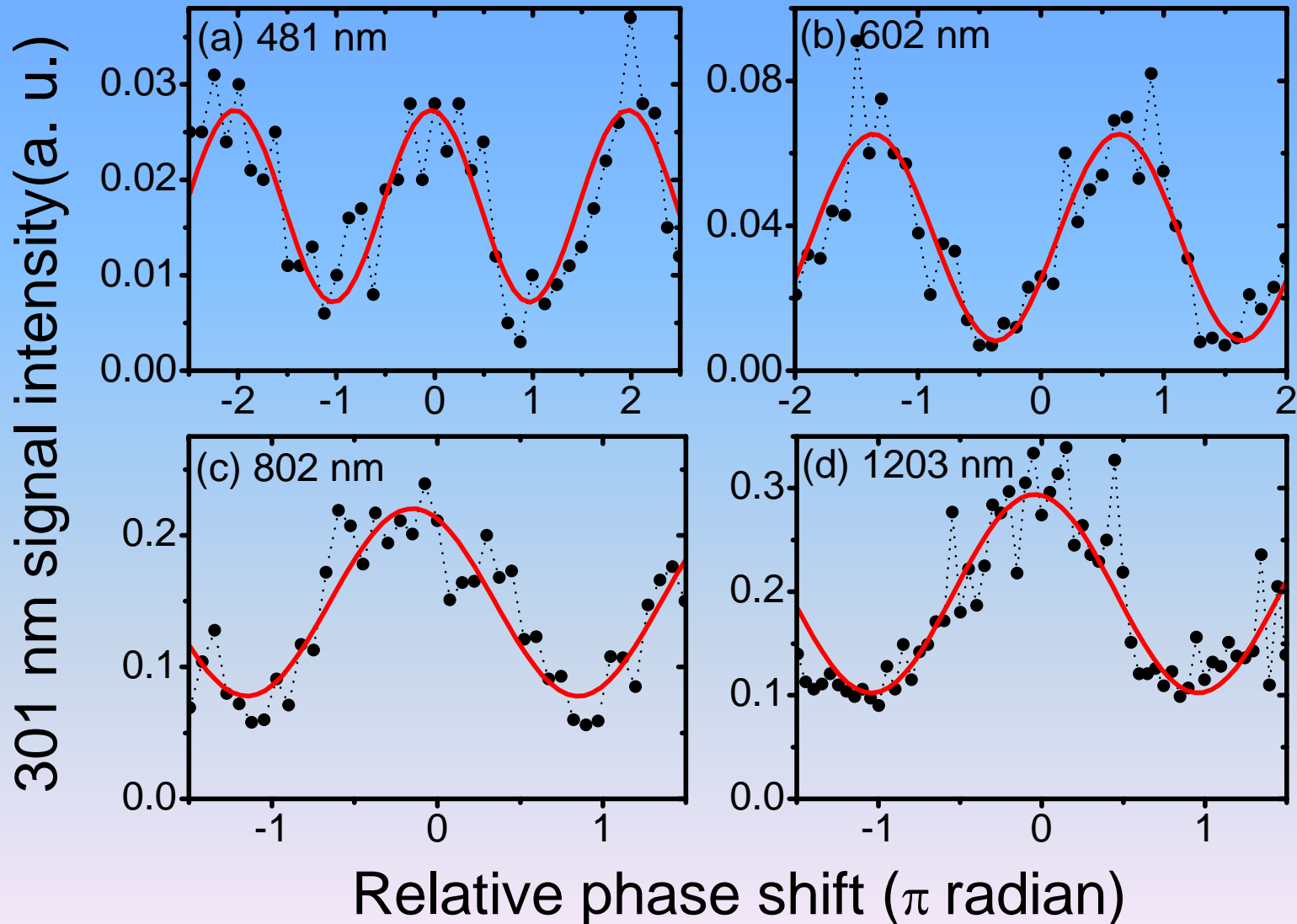
+2 : 6+3-2, 5+4-2

$$\Phi_{65} = \Phi_{54} = \Phi_{43} = \Phi_{32}$$

+1 : 6+2-1, 5+3-1, 4+4-1

$$\Phi_{65} = \Phi_{54} = \Phi_{43} = \Phi_{32} = \Phi_{21}$$

Searching in phase condition



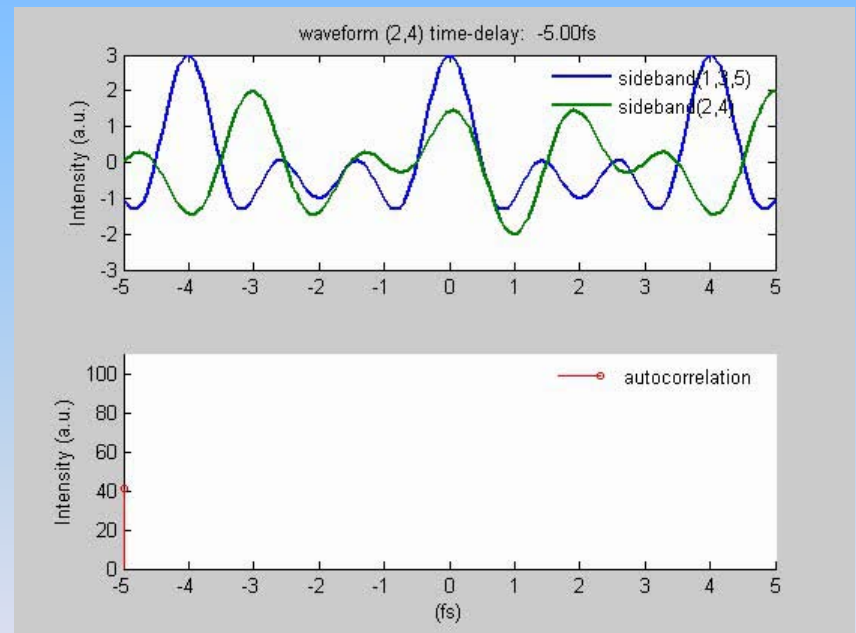
How to measure the pulse width?

Autocorrelation is standard way to measure ultrafast pulsewidth. However it could not be done here because of the wide bandwidth.

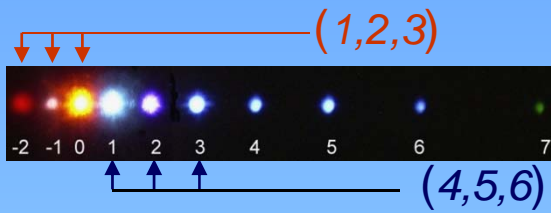
Solution: Correlation using pulses formed by the sidebands themselves.

Synthesize two pulses from the subsets of sidebands and electronically delay one pulse with respect to the other. Measure the resulting four-wave signal with a photomultiplier.

simulation

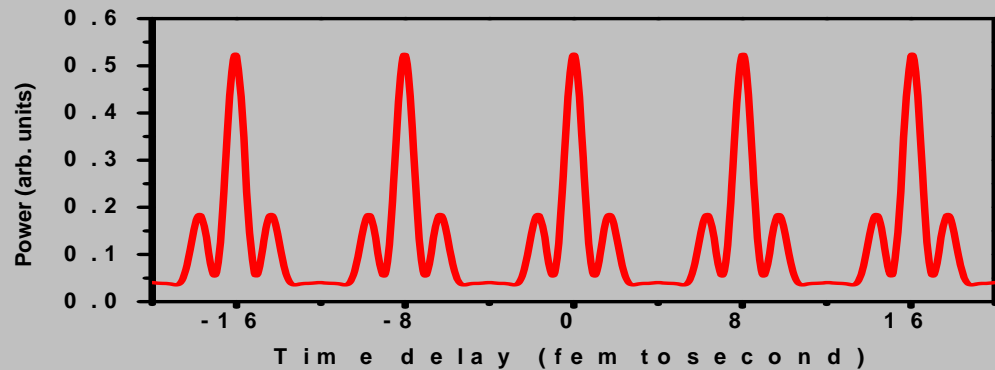
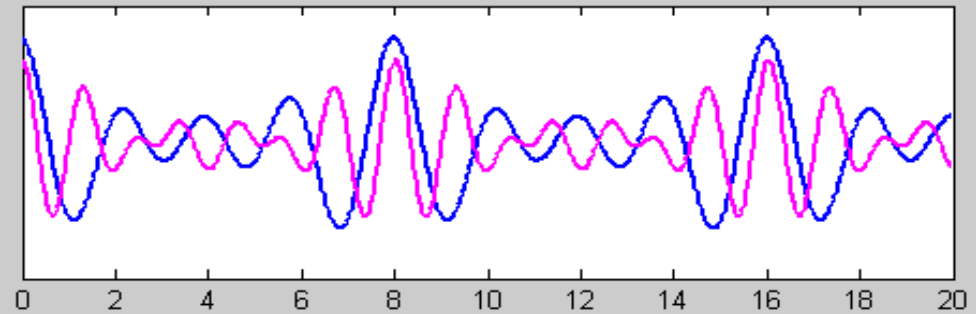


Cross Correlation of Single Cycle Pulse Train

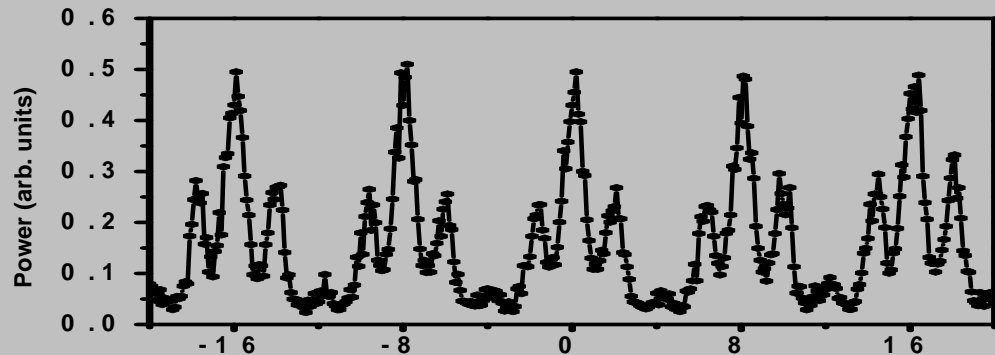


Sideband Orders

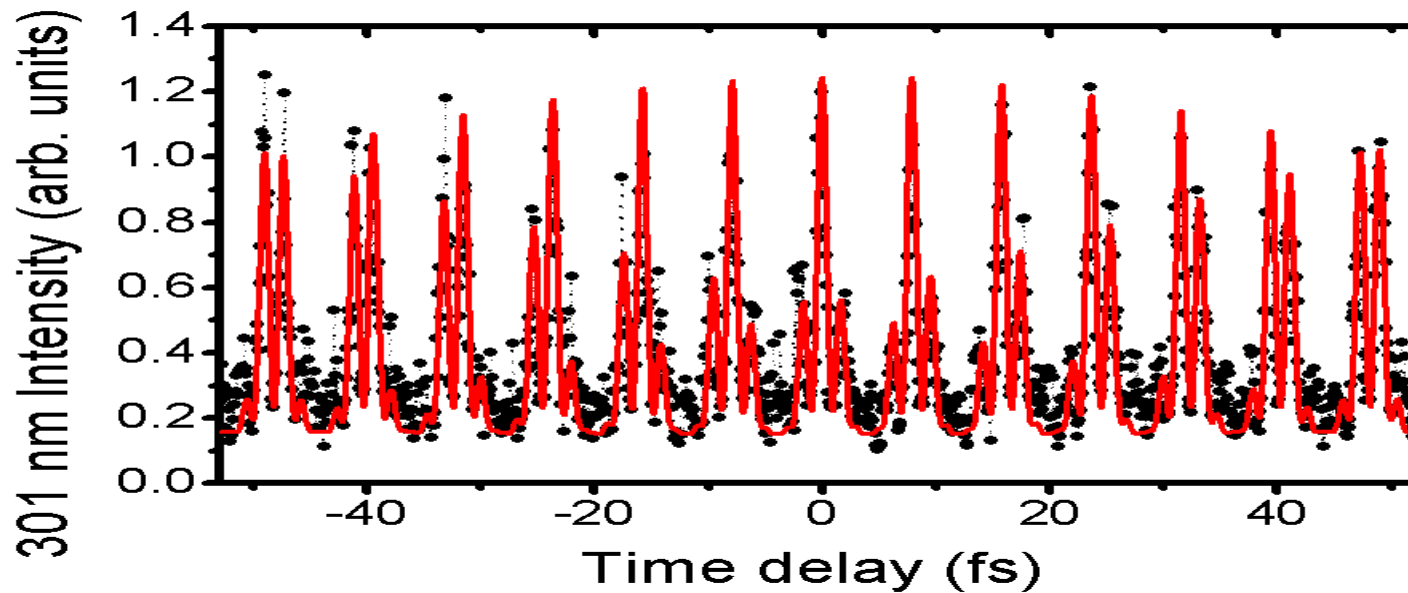
Simulation →



Experiment →

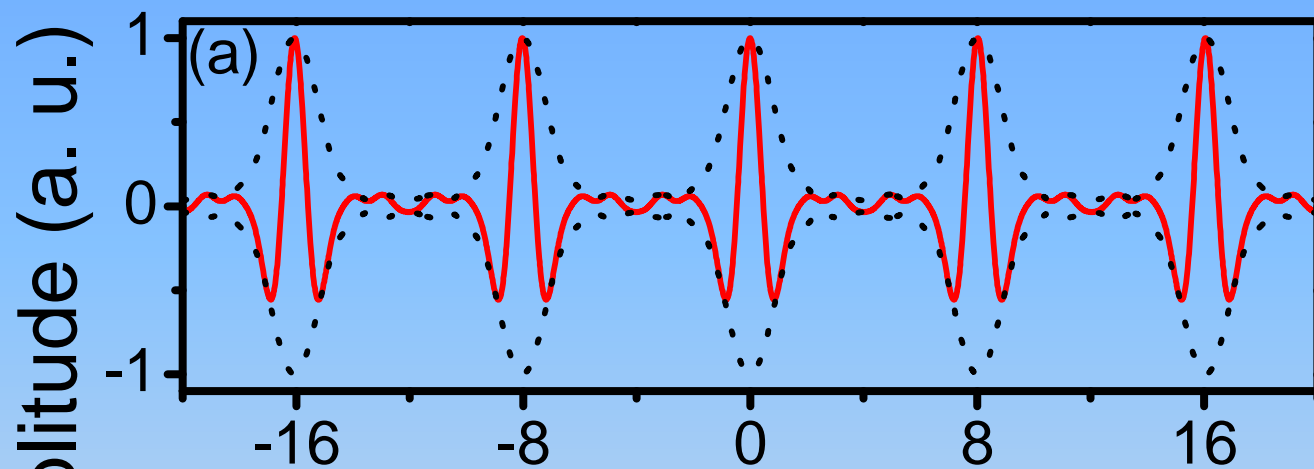


Cross correlation signal of incommensurate pulses

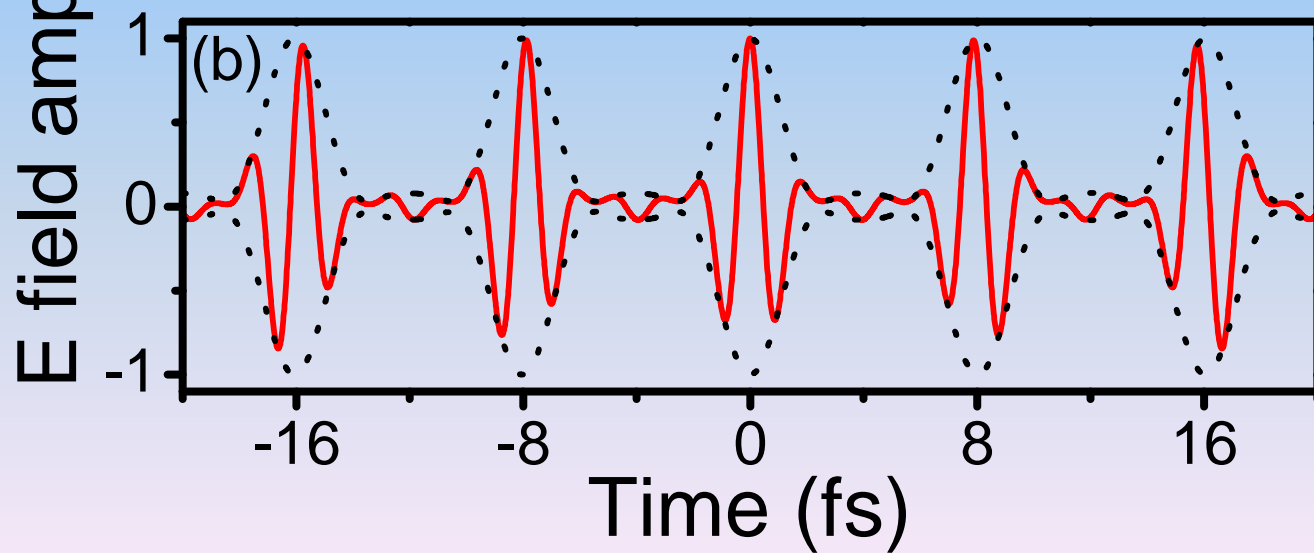


CEO frequency $\sim 349 \text{ cm}^{-1}$
Waveform repeats every 96 fs

Pulse train

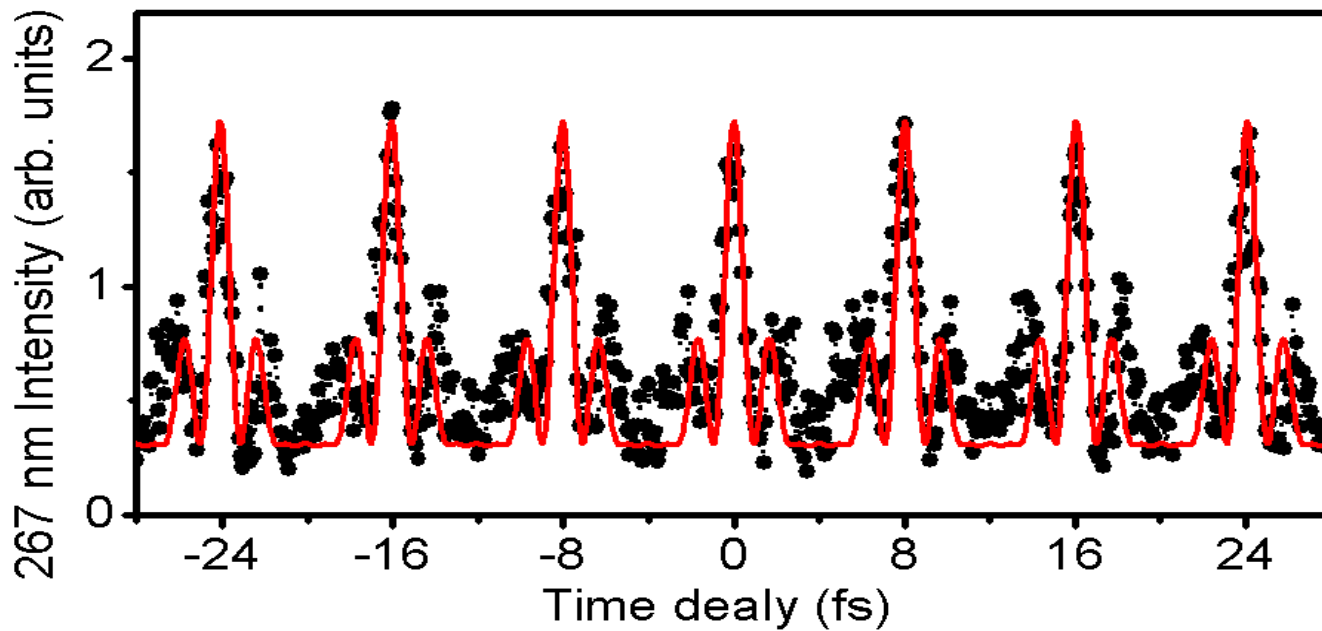


Commensurate



Incommensurate

7 beam correlation in Xe



Carrier envelope phase is constant to ~ 2.5 part in 10^6

Total phase slip of < 0.18 cycles over 1 million pulses

Status of sub-cycle optical pulse generation by molecular modulation

IAMS sub-cycle source

0.833 cycle per pulse

1.4 fs envelope

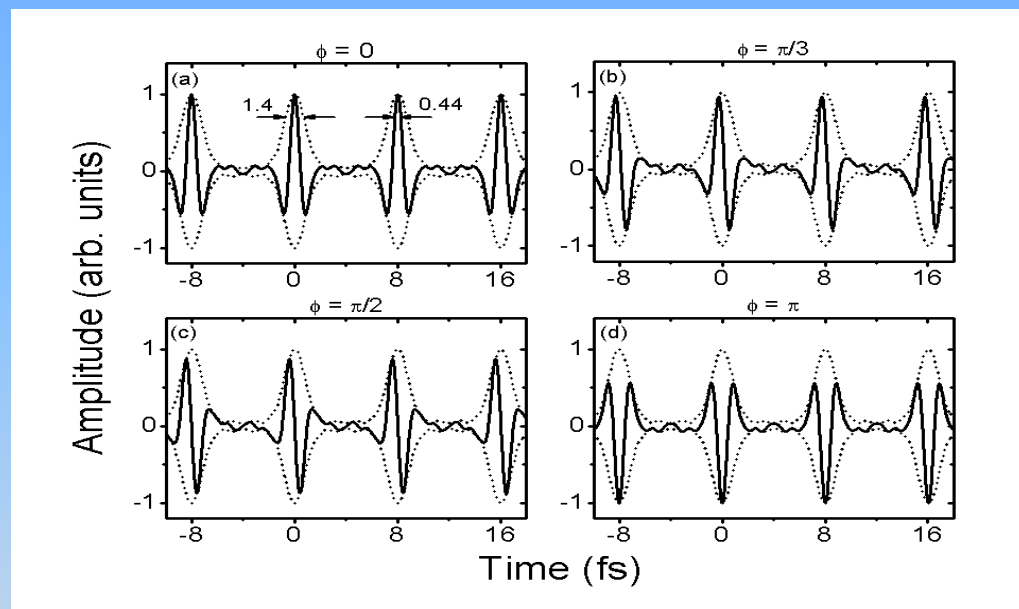
440 as cycle width

constant carrier envelope phase

2 ns pulse train duration

8.0 fs pulse spacing

~1 MW peak power

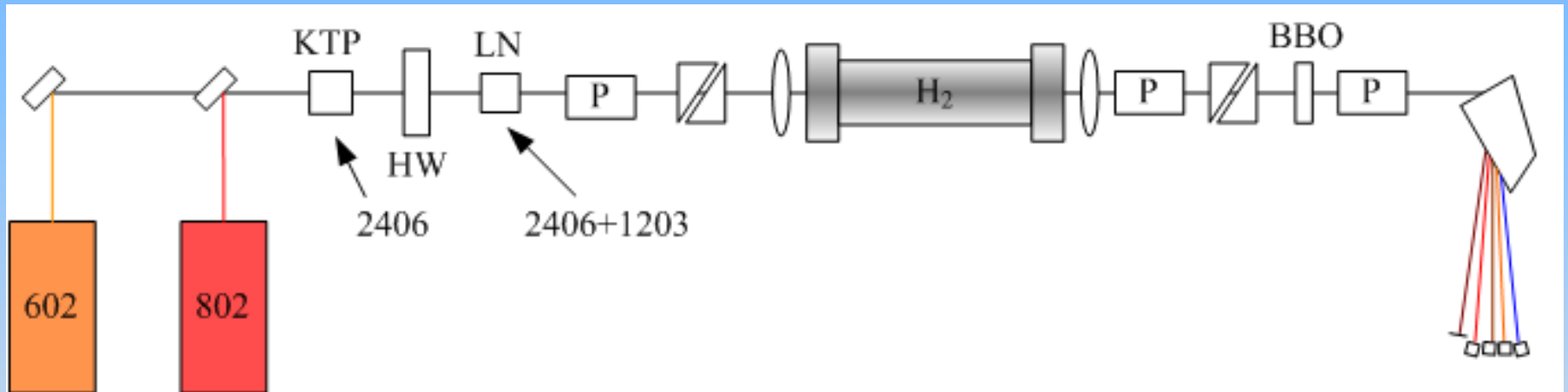


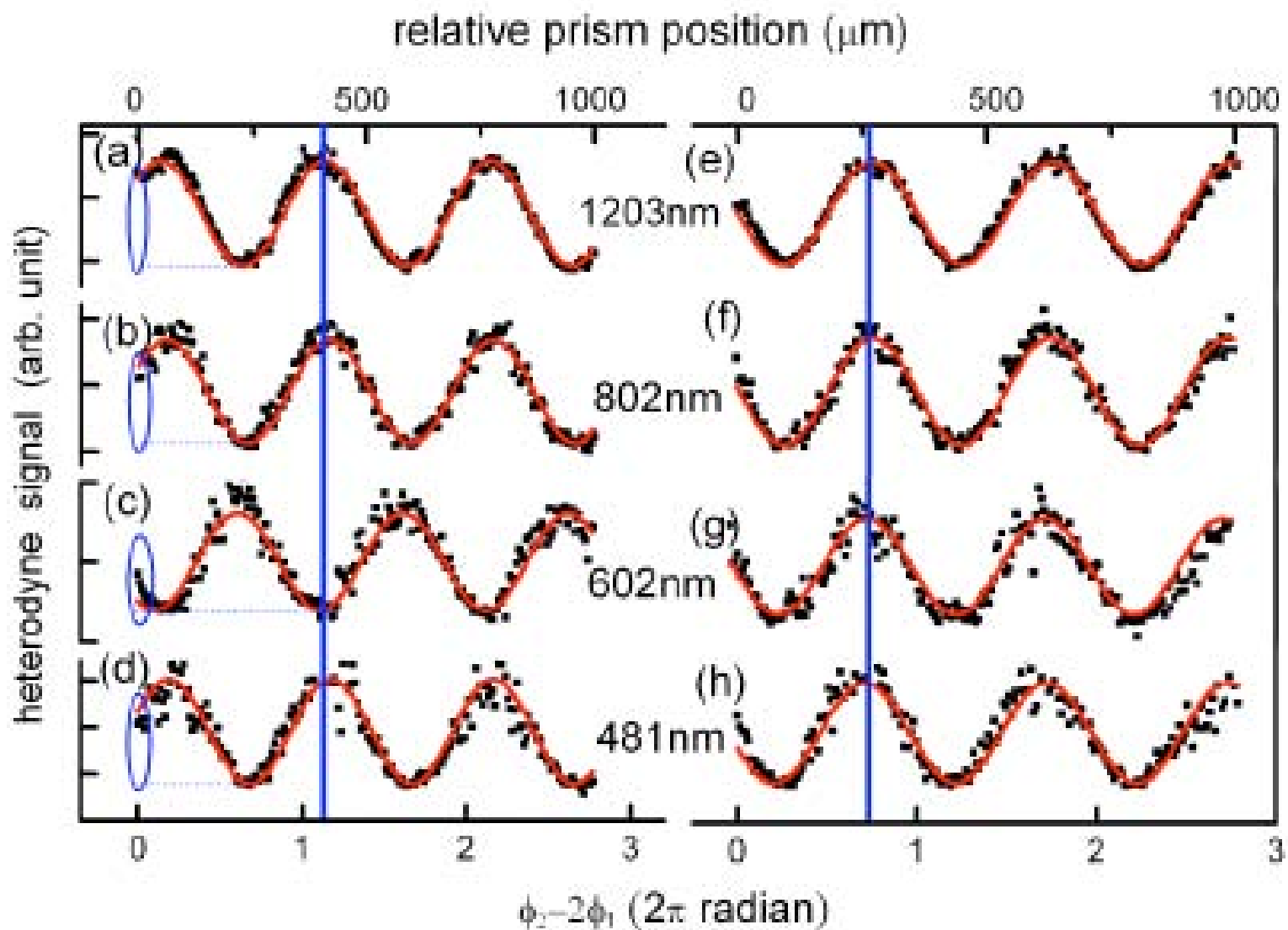
Total spectral span $>70,000 \text{ cm}^{-1}$

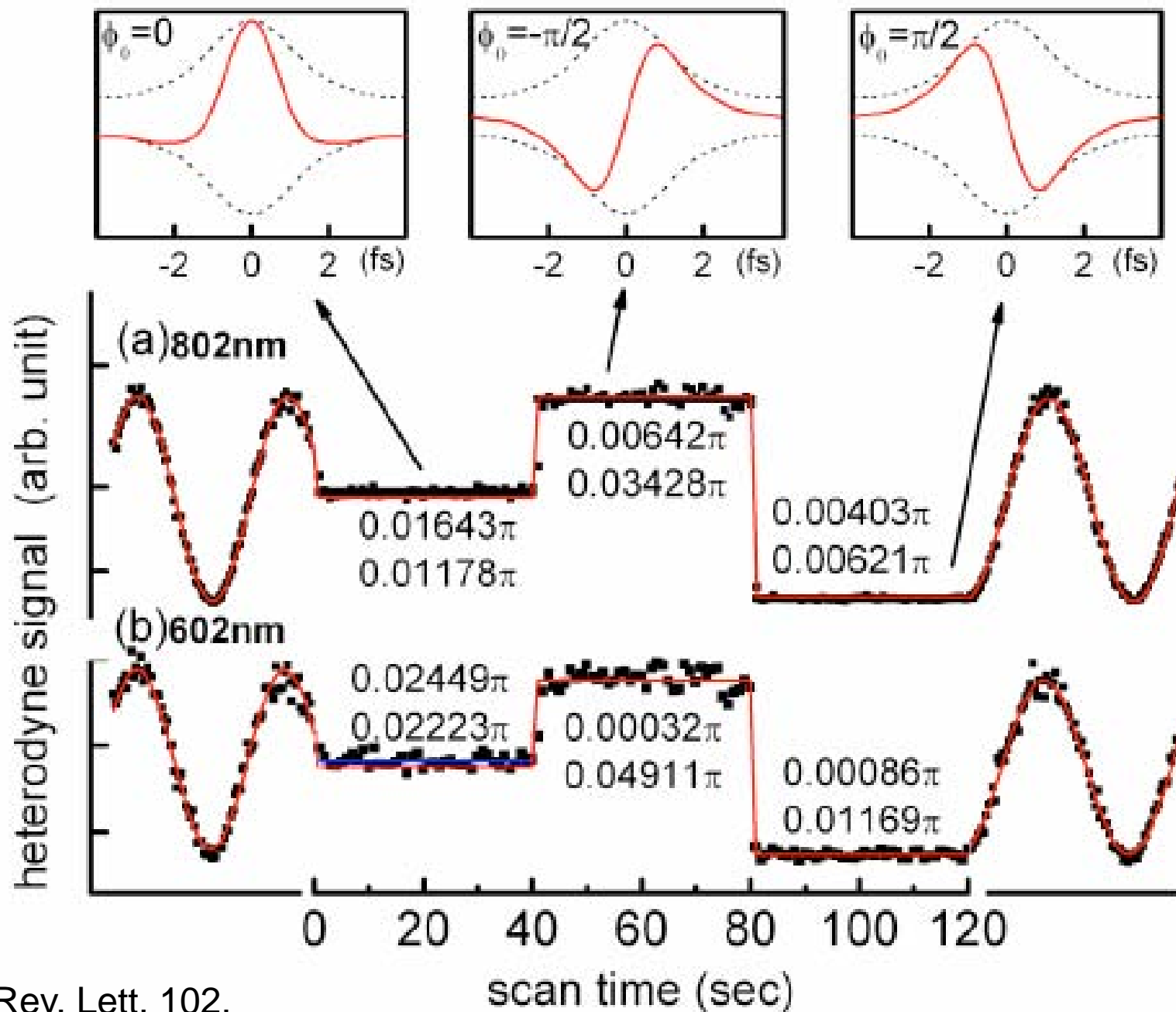
Ingredients of an attosecond single-cycle optical pulse:

1. Broad spectrum – 2 or more octaves
2. In phase condition
3. Constant carrier envelope phase:
 - Commensurate frequencies
 - Constant phase difference between adjacent spectral components
- 4. Stable and controllable carrier envelope phase**

CEP control







Summary and Outlook

- Generated commensurate pulse train
- Single pulse duration 1.4fs
- Sub-single-cycle pulse: 0.8 cycles
- CEP (carrier-envelope phase) control

- Sub-femtosecond pulse generation
- Arbitrary waveform
- Application for ultra-fast dynamics

Harmonics

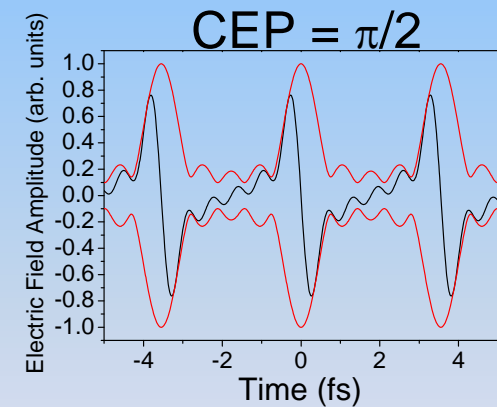
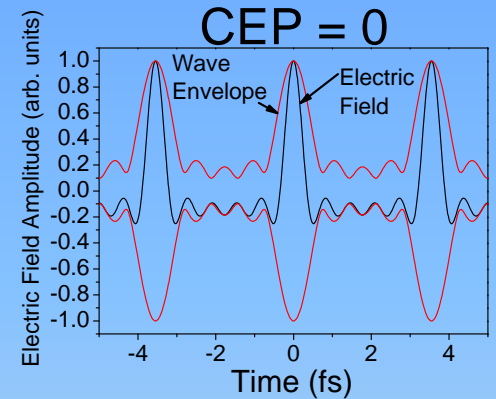
1203
802
602
481
401
344
301

0.833 cycle per pulse
1.4 fs envelope
440 as cycle width
 constant carrier envelope phase
 2 ns pulse train duration
 8.0 fs pulse spacing
~1 MW peak power

1064
532
355
266
213

~37,600cm⁻¹

~25,000cm⁻¹



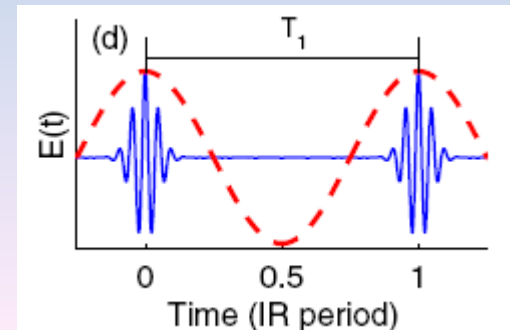
Attosecond pulse train

Raman Order	nm	cm ⁻¹
1	2407	4155
2	1203	8310
3	802	12465
4	602	16620
5	481	20775
6	401	24930
7	344	29085
8	301	33240
9	267	37395
10	241	41550
11	219	45705
12	201	49860
13	185	54015

Nd:YAG Harmonics	nm	cm ⁻¹
1	1064	9398
2	532	18796
3	355	28194
4	266	37592
5	213	46990

We can control the CEP and shape the pulse waveform.

We can synthesize a waveform which like the XUV-IR combination.



Advance Concepts

Technology

- Generate subfemtosecond pulses: add more sidebands and improve sideband power
- Increase pulse-to-pulse spacing
- Develop control of carrier envelope phase
- Modulate in photonic crystal fiber
- Arbitrary waveform synthesis

Science

- Optical-deep uv attosecond pump-probe
- Tracing molecular vibrational wavepacket
- Low energy electron dynamics in atoms
- Electron dynamics in semiconductors: direct bandgap vs indirect bandgap

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