

Dressed-atom multiphoton spectroscopy : anomalous electromagnetically induced absorption

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Introduction: the dressed-atom

Total Hamiltonian: $H = H_A + H_F + H_{AF}$

H_A : **Atomic Hamiltonian**

H_F : **Field Hamiltonian**

H_{AF} : **Interacting Hamiltonian**

Two-level systems

- Two-level atoms in the presence of a single-mode radiation field

$$H_A |g\rangle = -\frac{1}{2}\omega |g\rangle$$

$$H_A |e\rangle = \frac{1}{2}\omega |e\rangle$$

$$H_F |n\rangle = \omega_F (n + \frac{1}{2}) |n\rangle$$

ω : Atomic frequency ω_F : Field frequency

Uncoupled states (bare states)

Uncoupled Hamiltonian : $H_0 = H_A + H_F$

Uncoupled states : $\left\{ |I\rangle = |g, n\rangle , |F\rangle = |e, n-1\rangle \right\}$

$$H_0 |I\rangle = E_I |I\rangle \quad \text{with} \quad E_I = -\frac{1}{2}\omega + n\omega_F$$

$$H_0 |F\rangle = E_F |F\rangle \quad \text{with} \quad E_F = \frac{1}{2}\omega + (n-1)\omega_F$$

$$E_F - E_I = (\omega - \omega_F) = \Delta$$

As $\Delta = 0$, $E_F = E_I = (n - \frac{1}{2})\omega$

Coupled states (dressed states)

Dressed states : $H|\Psi\rangle = E|\Psi\rangle$

$$\text{(I)} \quad E = E_+(n) = (n - \frac{1}{2})\omega + \frac{1}{2}\Omega \quad (\Delta = 0)$$

$$|\Psi\rangle = |+, n\rangle = \frac{1}{\sqrt{2}} \left[e^{-i\phi_g} |g, n\rangle + |e, n-1\rangle \right]$$

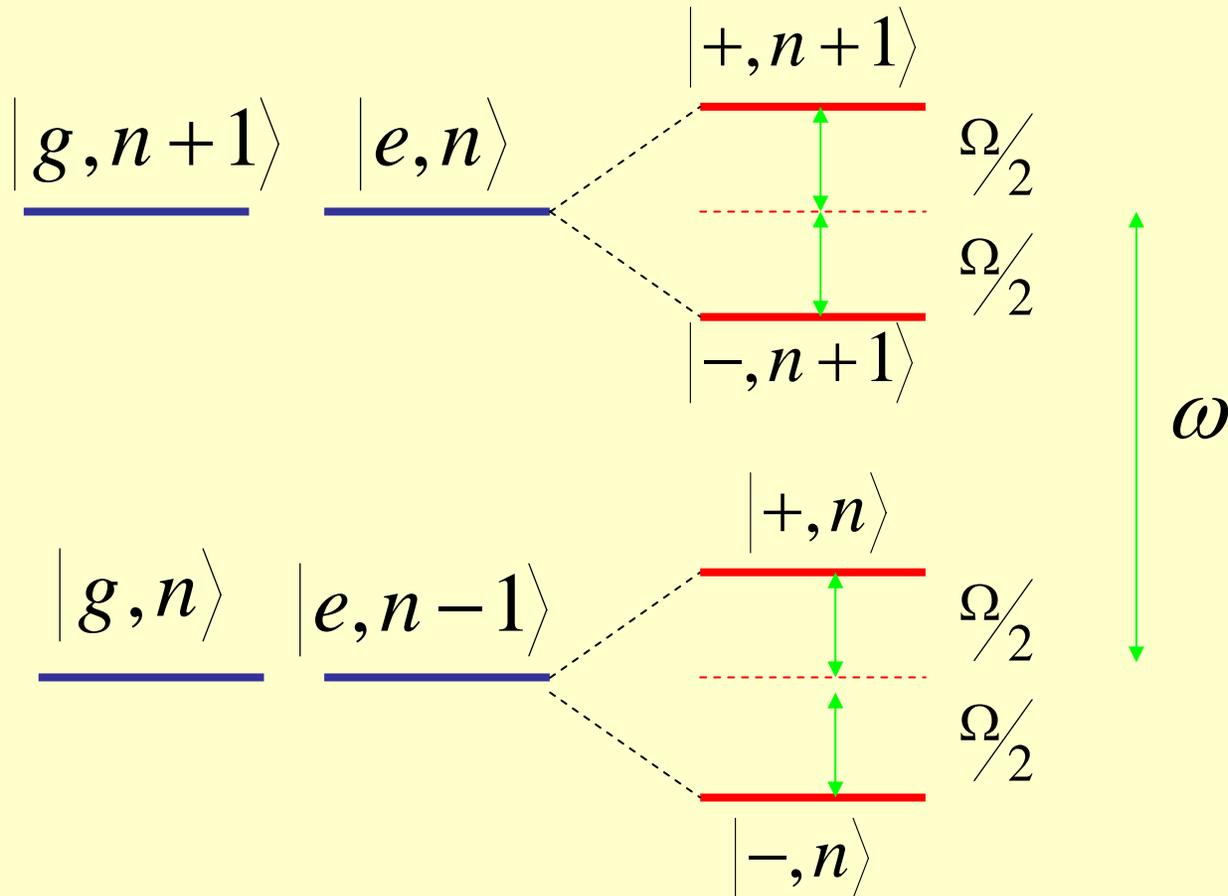
$$\text{(II)} \quad E = E_-(n) = (n - \frac{1}{2})\omega - \frac{1}{2}\Omega \quad (\Delta = 0)$$

$$|\Psi\rangle = |-, n\rangle = \frac{1}{\sqrt{2}} \left[|g, n\rangle - e^{i\phi_g} |e, n-1\rangle \right]$$

Rabi frequency : $\Omega = 2|q|\sqrt{n}$

with $\langle e, n-1 | H_{AF} | g, n \rangle = q\sqrt{n} = |q|e^{i\phi_q} \sqrt{n}$

Ladder of energy level



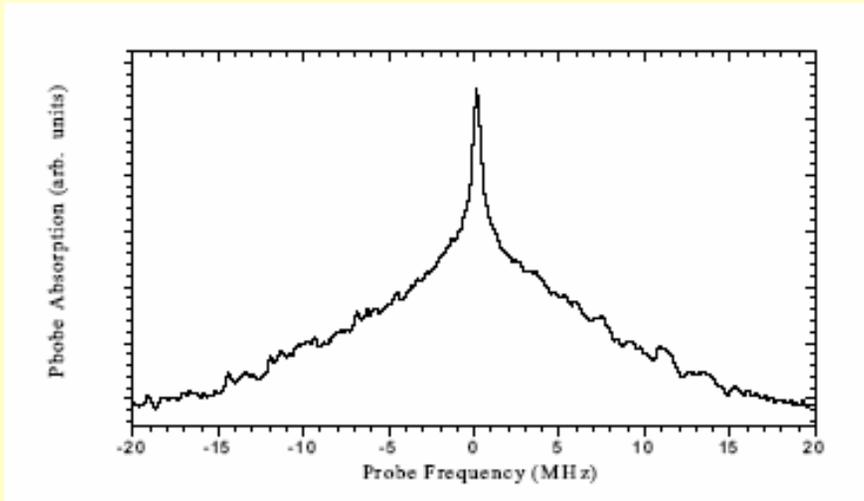
— : Bare states

— : Dressed states

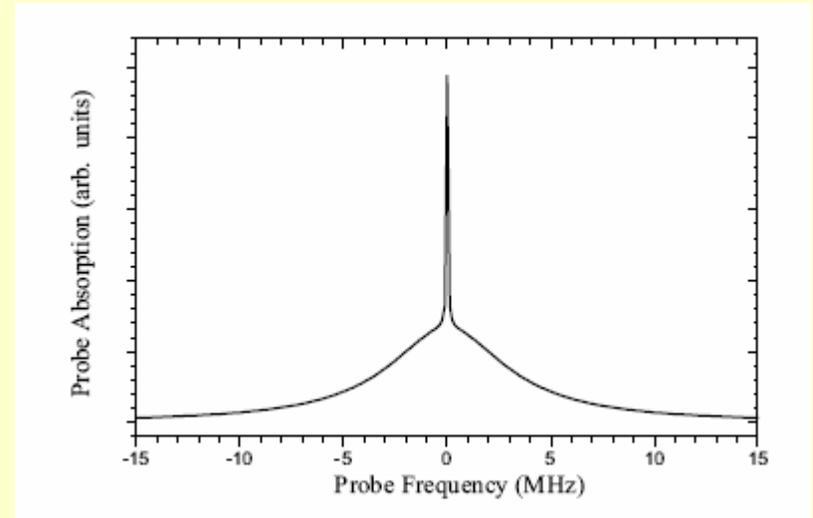
Dressed-atom multiphoton spectroscopy

- In the first step, the coupled system “**atoms + coupling photons**” is described by the dressed-state wave functions which describe the coupling field **to all orders**.
- In the second step, we use perturbation theory to treat the probe field.
- **Quantum interference** arises naturally in the dressed-atom multiphoton spectroscopy.

Electromagnetically induced absorption (EIA)



(1) Experiment



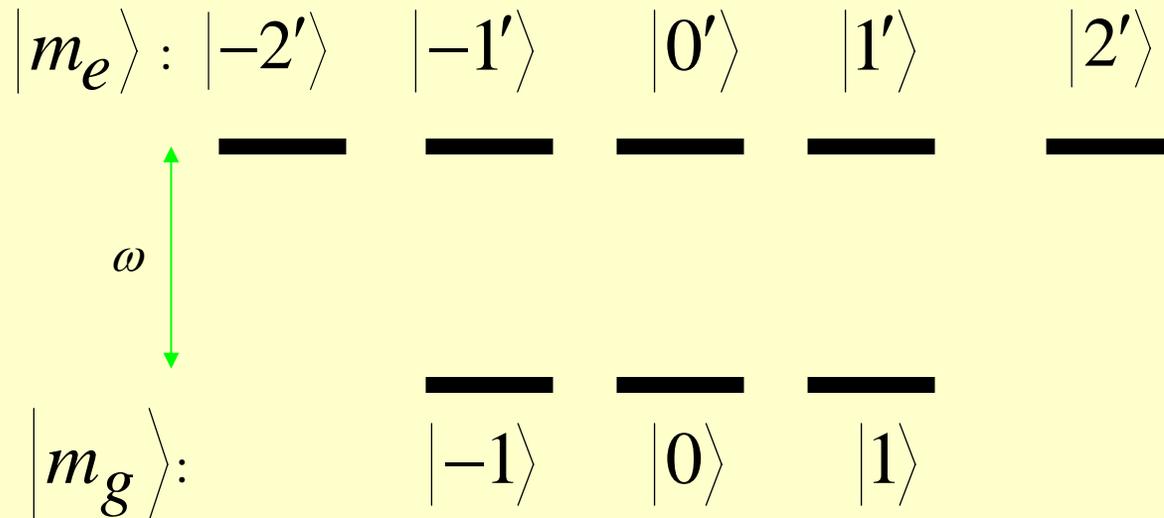
(2) Theory

The absorption of the probe beam is substantially enhanced when **copropagating orthogonally polarized probe and coupling beams** interact with a **degenerate two-level system**.

Ref. : A. M. Akulshin *et al*, Phys. Rev. A57, 2996 (1998).

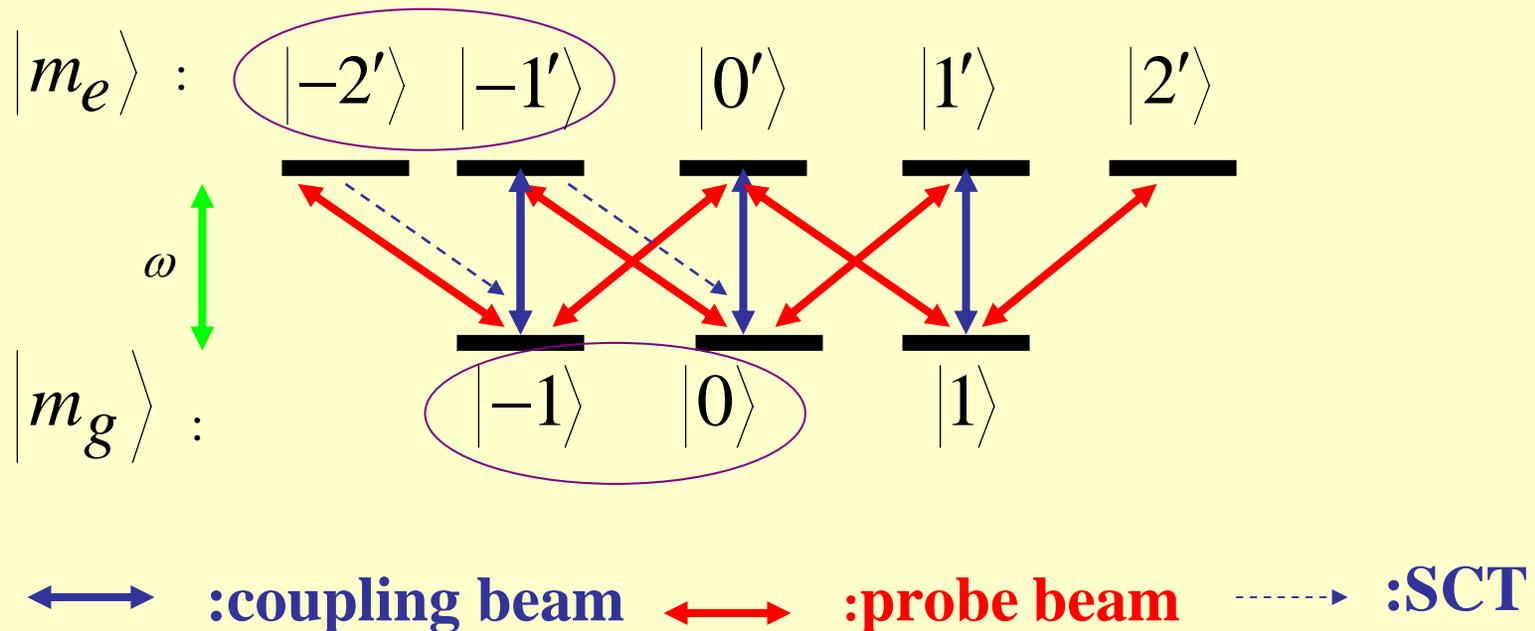
Lezama's condition for EIA

$$F_e = F_g + 1$$



Ref. : A. Lezama *et al*, Phys. Rev. A59, 4732 (1999).

Spontaneous coherence transfer (SCT)

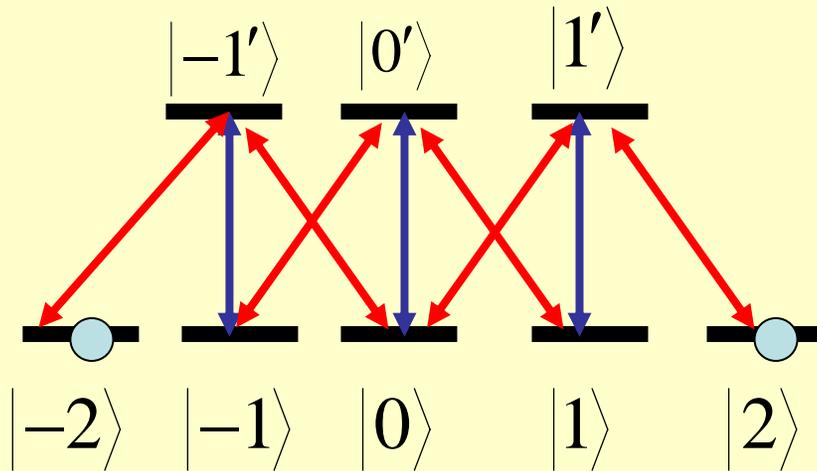


EIA is caused by the spontaneous transfer of the light-induced Zeeman coherence from the excited level to the ground level.

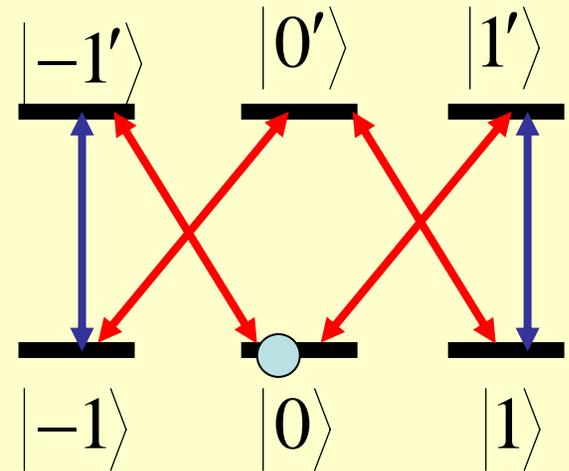
Ref. : A. V. Taichenachev *et al*, JETP Lett. 69 819 (1999).

Interpretations of Lezama's condition

(I): $F_e = F_g - 1$



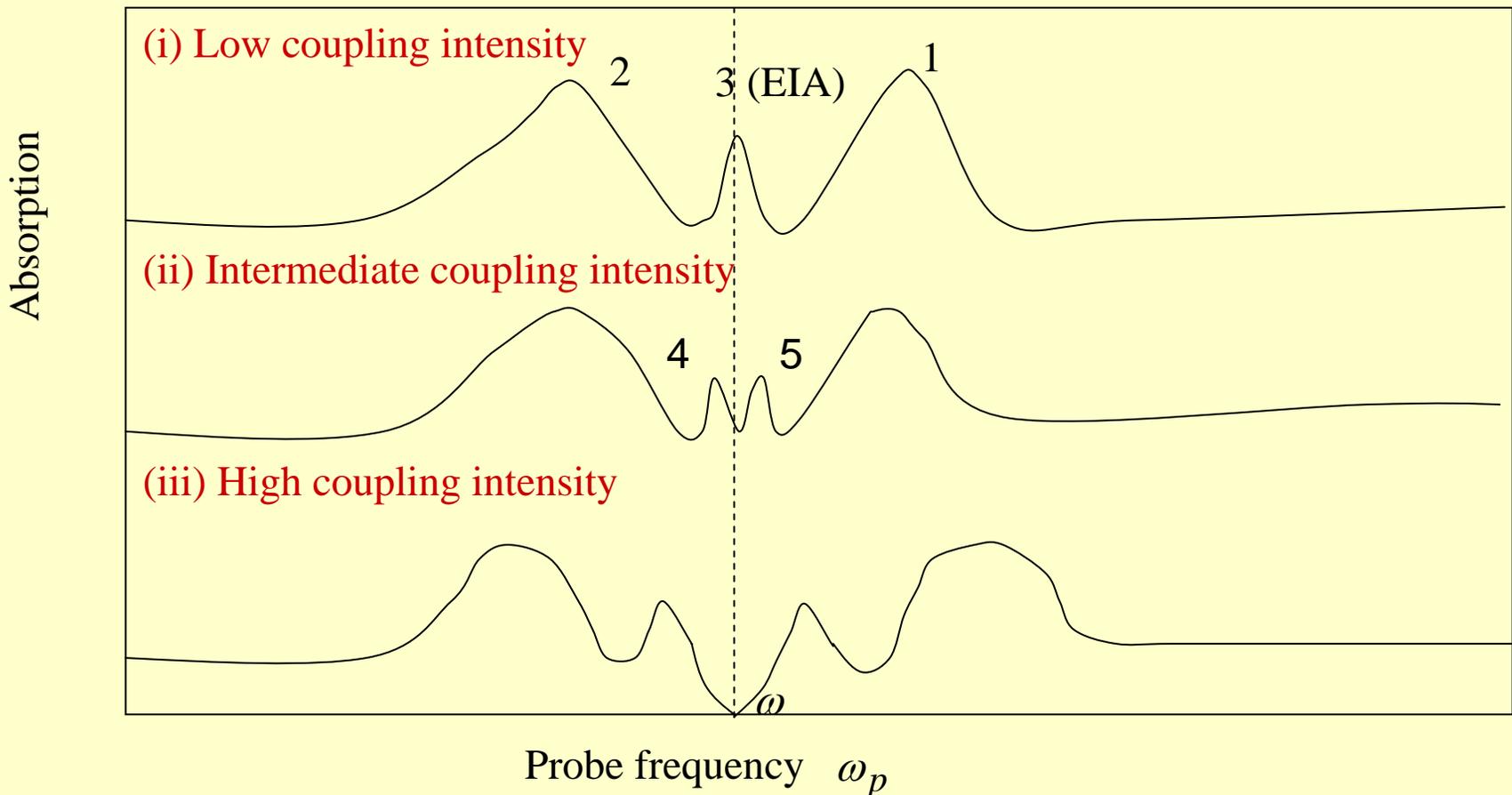
(II): $F_e = F_g$



The excited-state coherences are very small for systems with $F_e = F_g - 1$ and $F_e = F_g$, because the populations are trapped in the lower levels. **SCT and EIA can not take place for such systems.**

Anomalous EIA $F_e = F_g - 1$

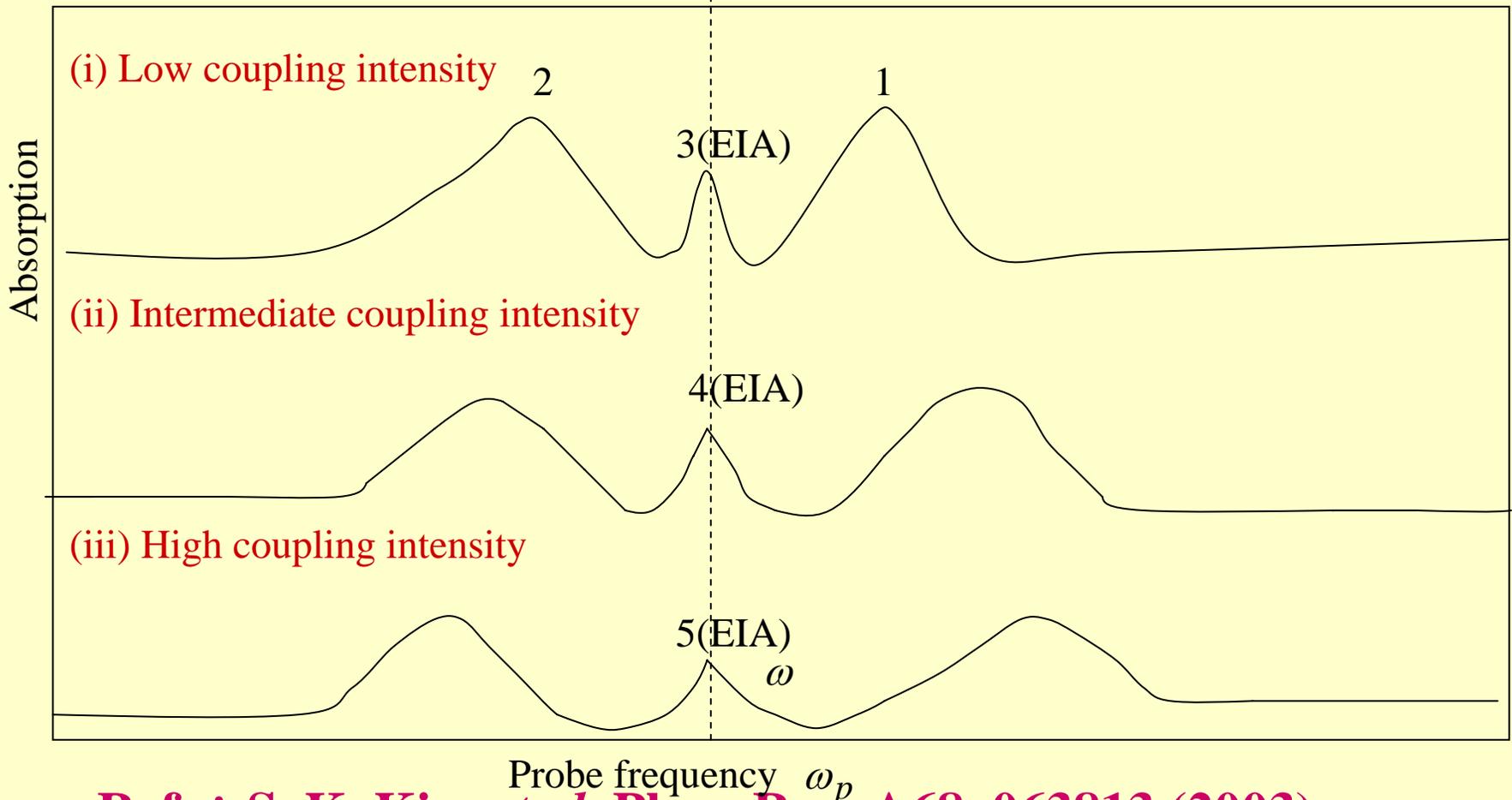
- **Transition $F_g = 3 \rightarrow F_e = 2$ in the D_1 line of ^{85}Rb**



Ref. : S. K. Kim *et al*, Phys. Rev. A68, 063813 (2003).

Anomalous EIA $F_e = F_g$

- **Transition $F_g = 1 \rightarrow F_e = 1$ in the D_1 line of ^{87}Rb**



Ref. : S. K. Kim *et al*, Phys. Rev. A68, 063813 (2003).

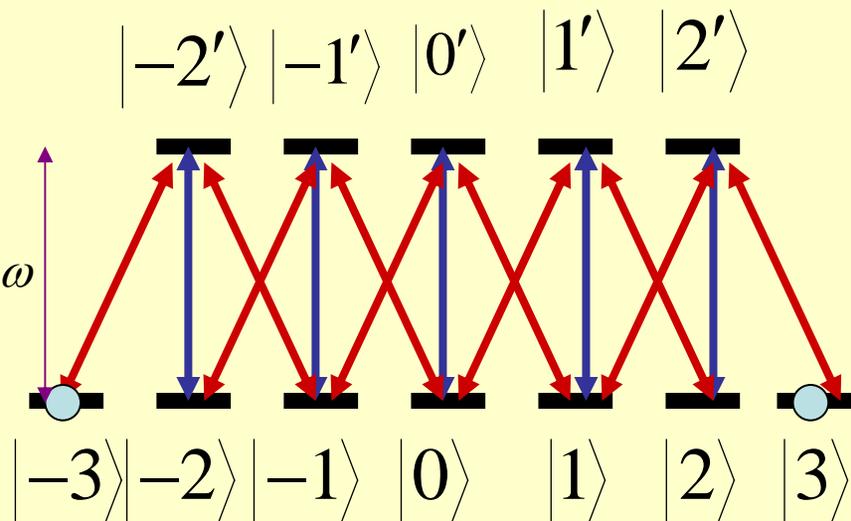
Anomalous EIA $F_e = F_g$

- **Transitions $F_g = 2 \rightarrow F_e = 2$ and $F_g = 3 \rightarrow F_e = 3$ in the D_1 line of ^{87}Rb**

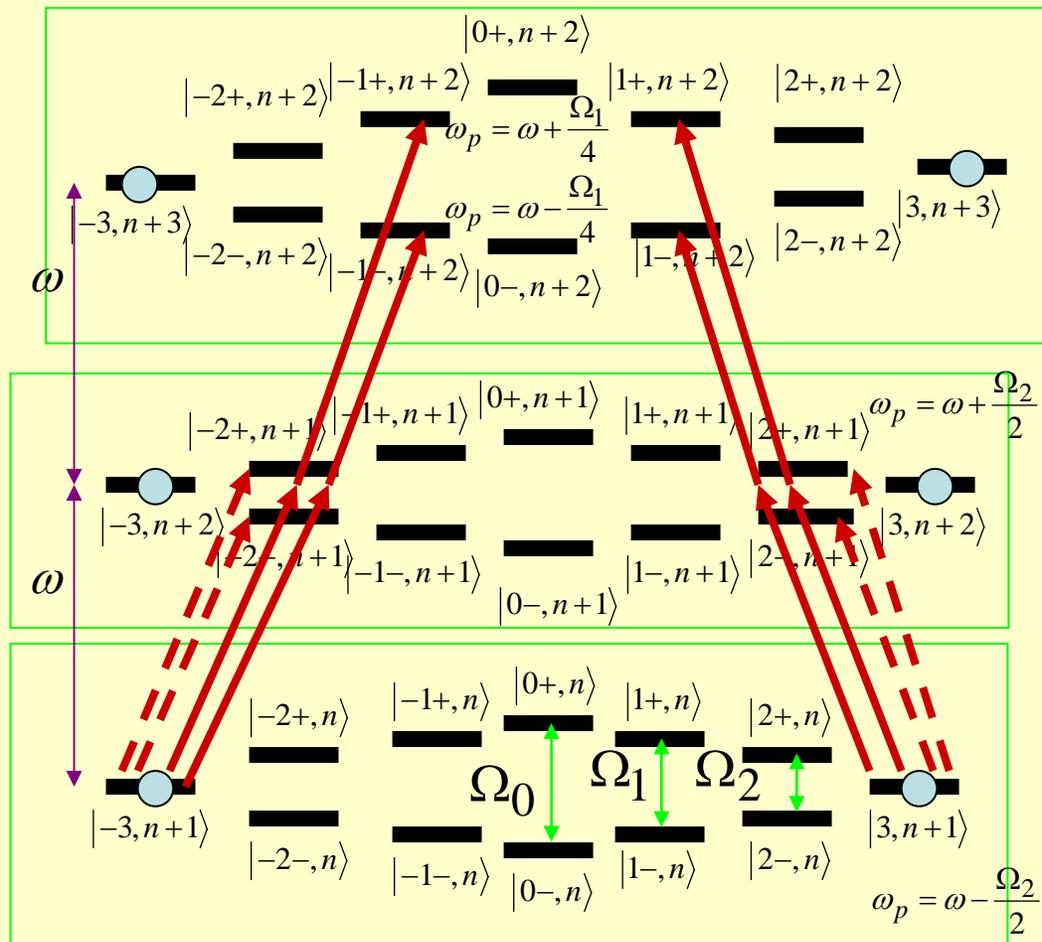
The EIA peak breaks up again at intermediate coupling intensity.

Ref. : S. K. Kim *et al*, Phys. Rev. A68, 063813 (2003).

EIA in $F_g = 3 \rightarrow F_e = 2$ transition



(I) Bare-atom picture

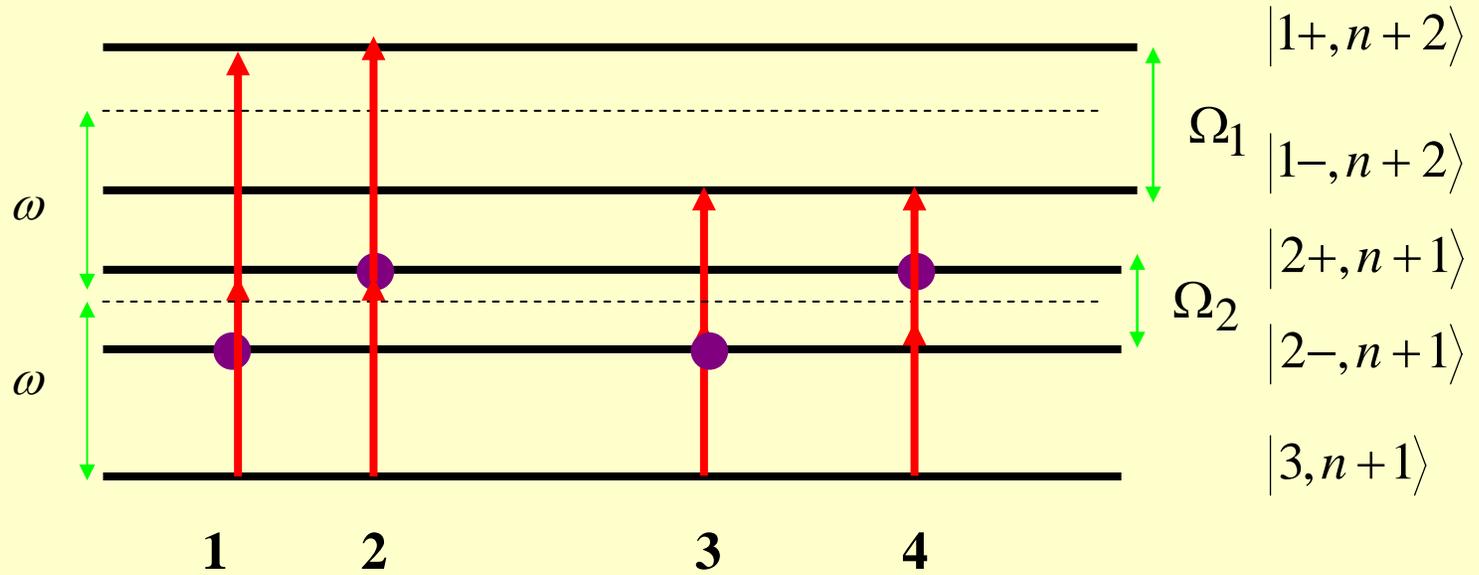


(II) Dressed-atom picture

\longleftrightarrow :coupling beam

\longleftrightarrow :probe beam

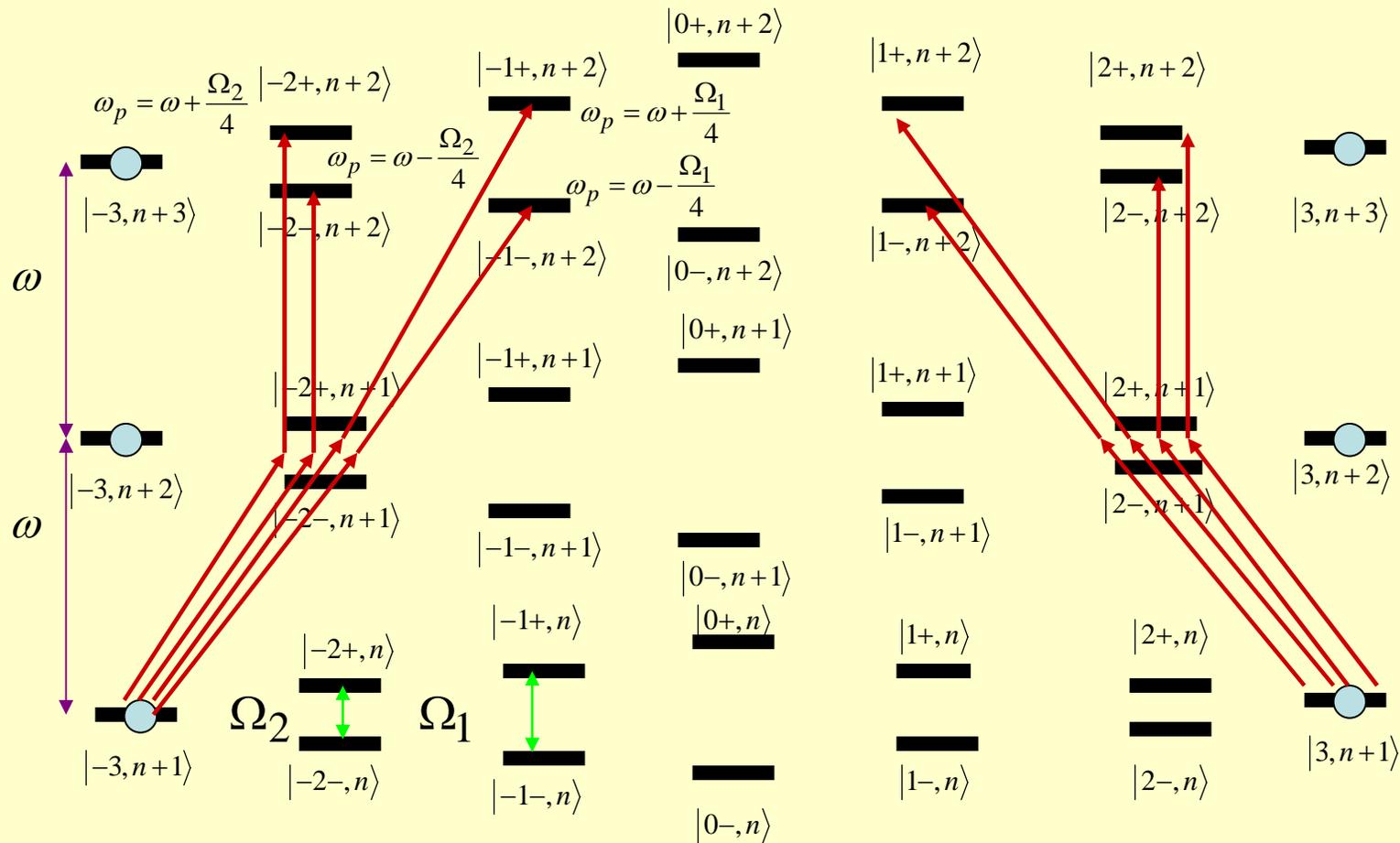
Two-photon processes



● : intermediate states

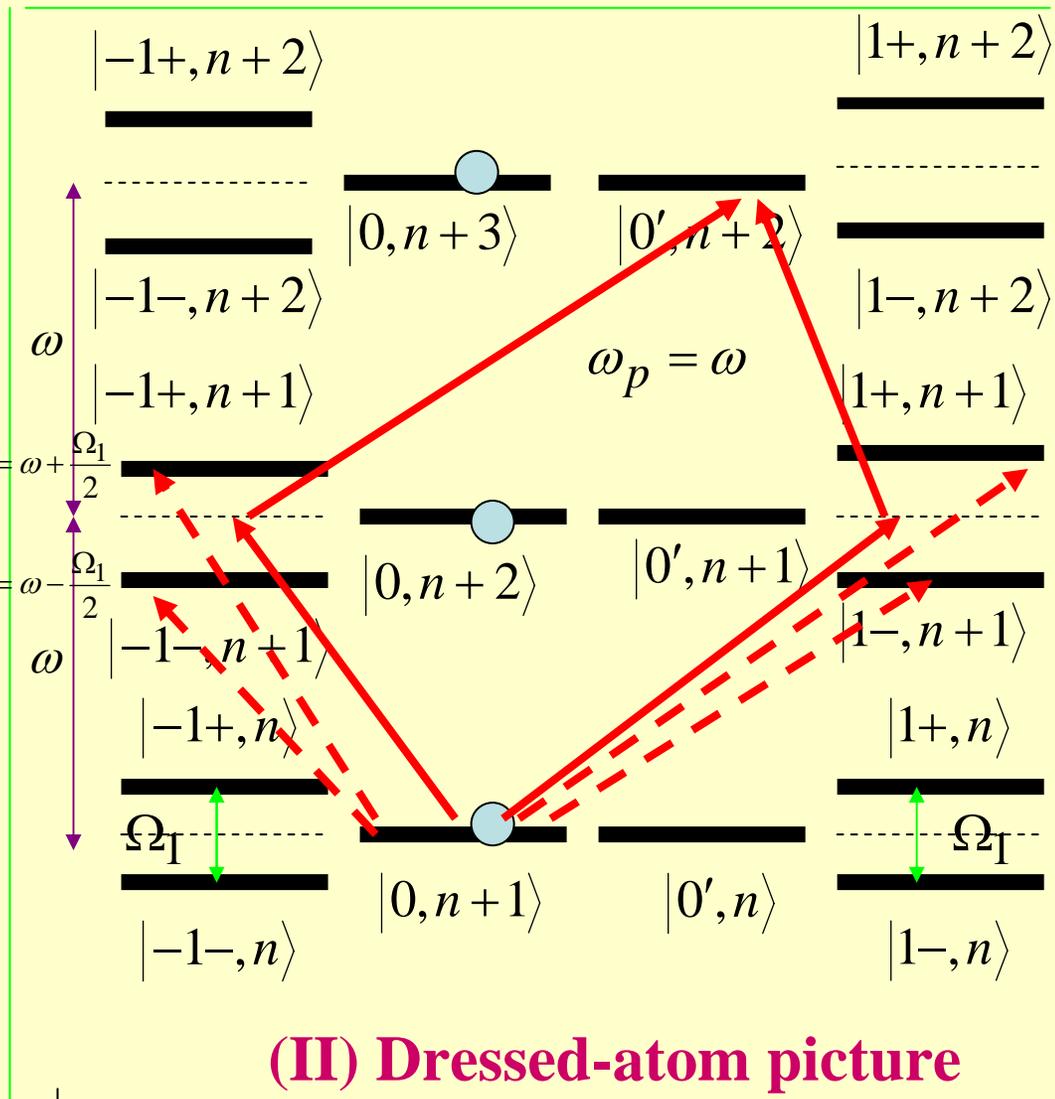
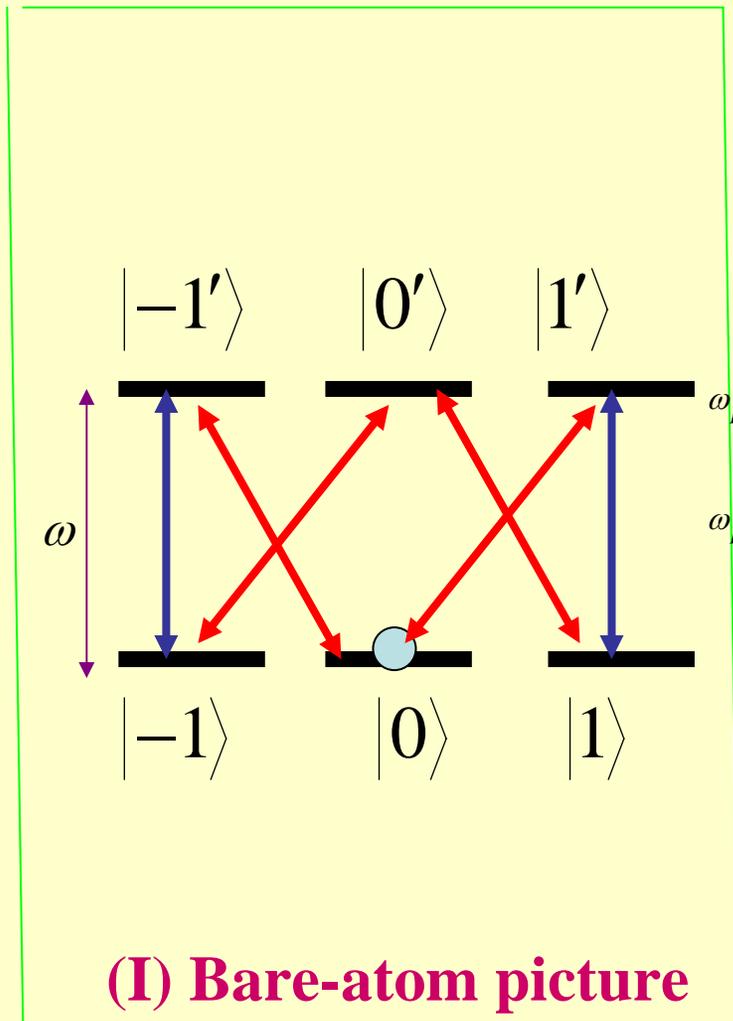
- Positions of 1,2 : $\omega_p = \omega + \frac{\Omega_1}{4}$, Positions of 3,4 : $\omega_p = \omega - \frac{\Omega_1}{4}$
- **Constructive** interferences between 1,2(3,4) lead to two peaks.
- At low coupling intensity, the two peaks overlap at $\omega_p = \omega$ and produce an EIA peak. At intermediate intensity, the peak splits.

Polarizations are not perpendicular

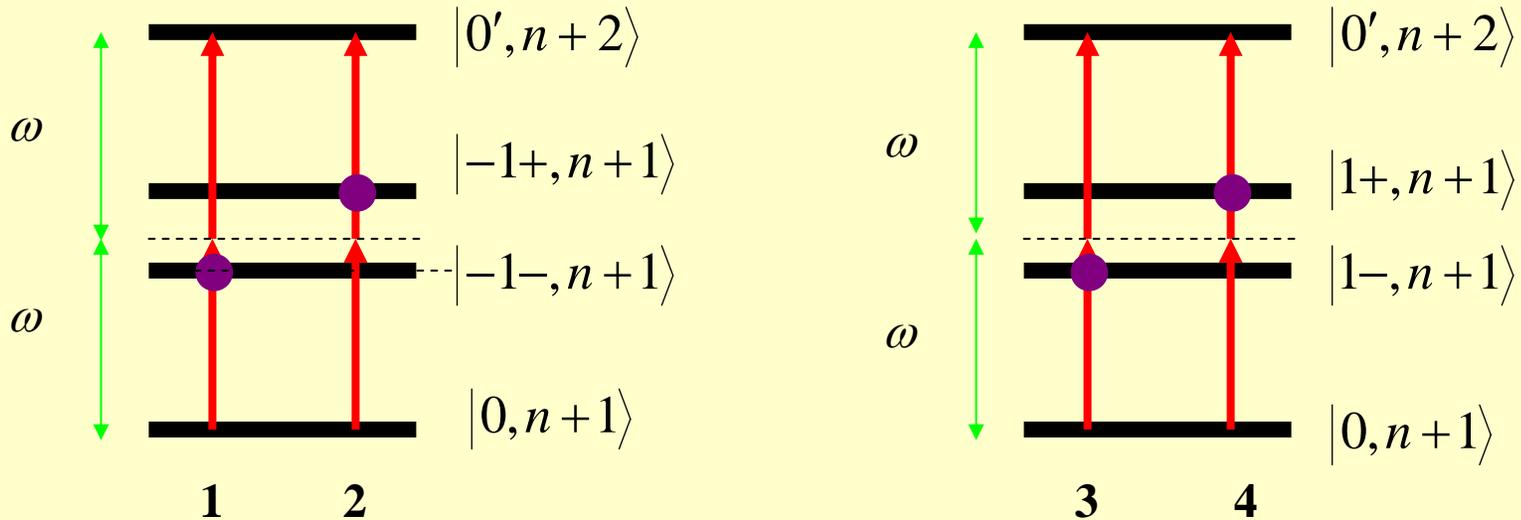


The EIA peak splits into four peaks as the coupling intensity increases.

EIA in $F_g = 1 \rightarrow F_e = 1$ transition

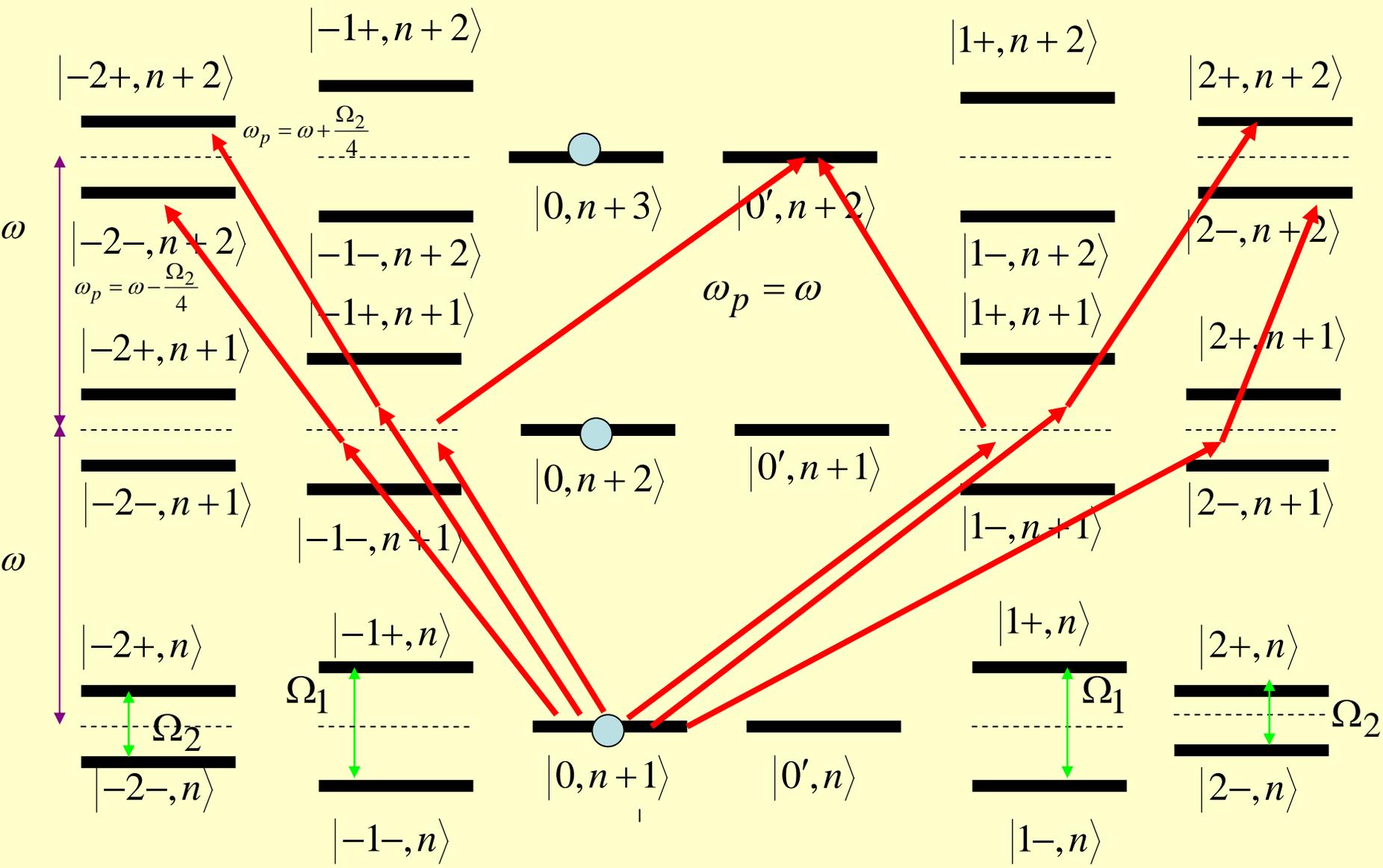


Two-photon processes

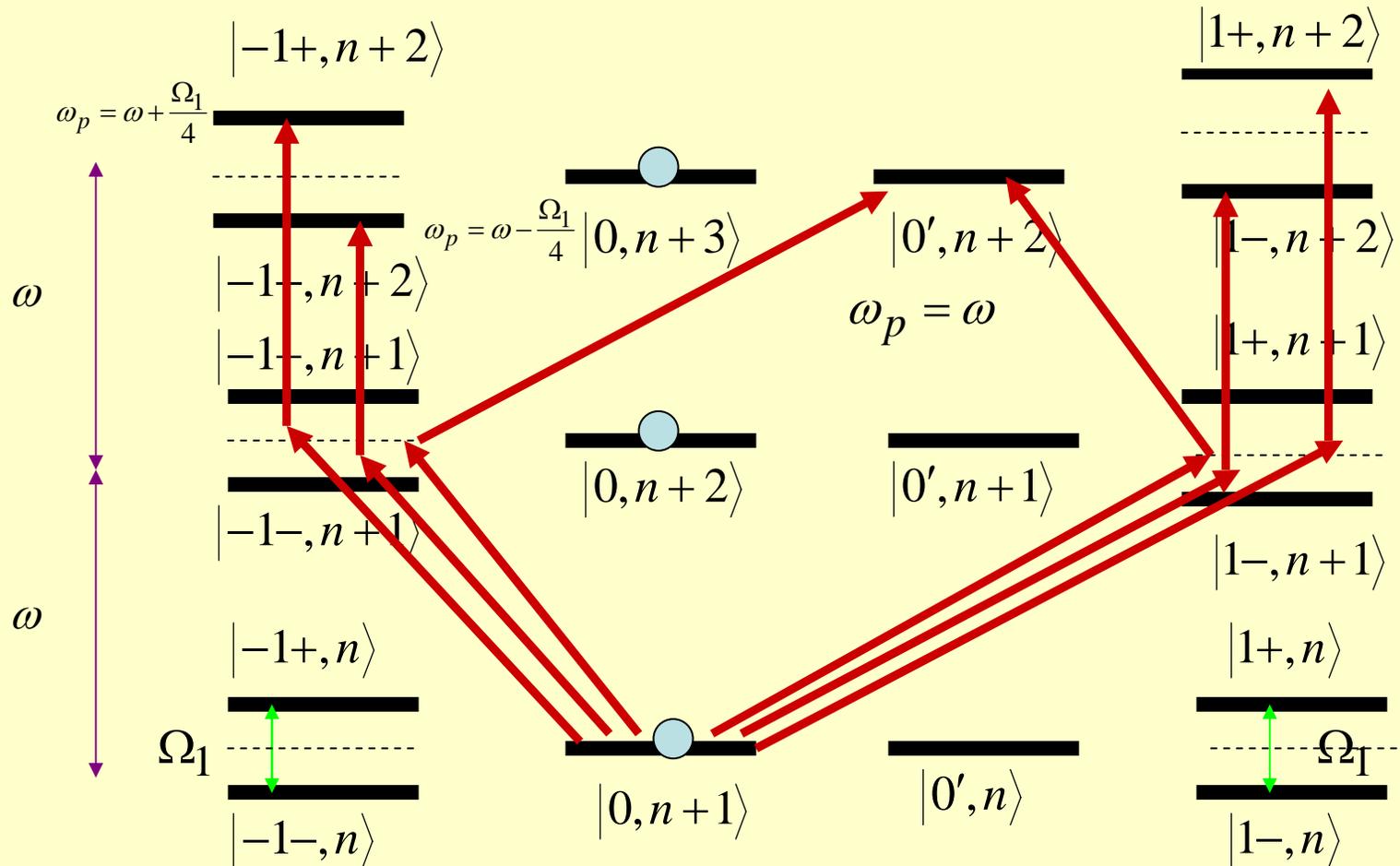


- **Positions of 1,2,3,4** : $\omega_p = \omega$
- **Transition amplitudes** : $T^{(1)} = T^{(2)} = T^{(3)} = T^{(4)}$
- **Constructive** interferences among 1,2,3,4 lead to an **EIA peak** at $\omega_p = \omega$.

EIA in $F_g = 2 \rightarrow F_e = 2$ transition



Polarizations are not perpendicular



The EIA peak splits into three peaks as the coupling intensity increases.

Summaries

- We propose a new method-**dressed atom multiphoton spectroscopy (DAMS)** to interpret probe spectra of driven degenerate atomic systems.
- We apply the DAMS to provide a clear interpretation for the anomalous EIA.

Future perspectives

- We have applied the DAMS to unveil the underlying mechanism of the **central dispersion-like resonances** in cold atoms. The DAMS can not only interpret the lineshape of the central resonances, but also predicts precisely the positions of the resonances.
- We will apply the DAMS to shed new light on higher-order processes in other probe spectroscopy setup.

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