

Indirect Dark Matter Search

Implication on the IceCube Detector

2nd Int'l Workshop on PPCHP

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arXiv:1408.5471(2014) (JCAP Accepted)

G.-L. Lin, Yen-Hsun Lin and F.-F. Lee

arXiv: 1409.3094(2014)

1896

Outline

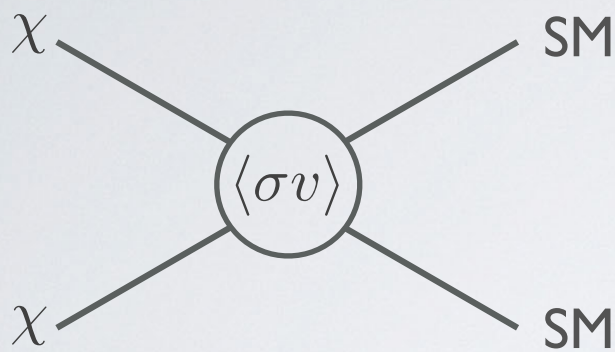
- DM interactions
 - Annihilation
 - Scattering with nucleus
 - *Scattering among DMs (self-interaction)*
- DM evolving in the Sun/Earth
- Physical implications
- Detection and sensitivity in IceCube/PINGU
- Summary



Dark Matter Interactions

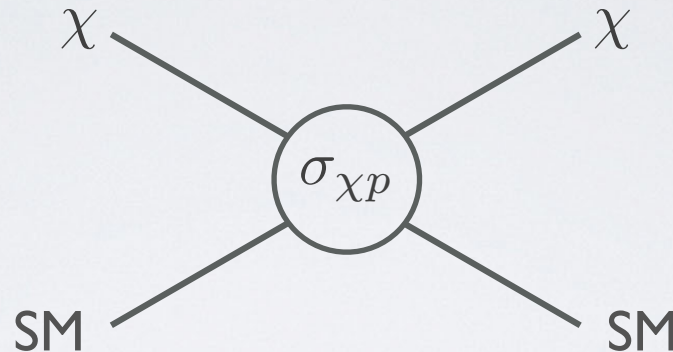
Annihilation, scattering and all that...

Possible interactions



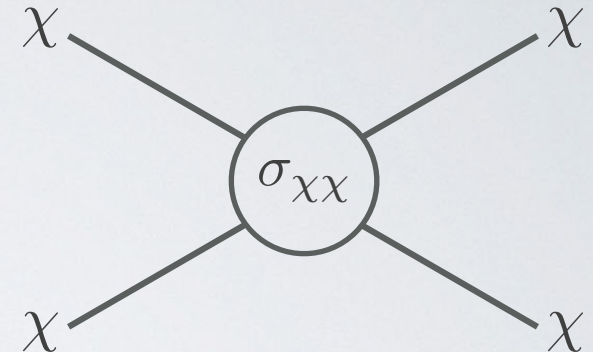
Annihilation

Dark matters annihilate among themselves and Standard Model particles produced in the final state.



Nucleon scattering

Dark matter scatters with nucleon and momentum is transferred between them.



Self-interaction

Dark matter scatters among themselves. Momentum is transferred during the process.

DM scattering with nucleus

- Spin-dependent

$$\sigma_{\chi N}^{\text{SD}} = A^2 \left(\frac{m_\chi + m_p}{m_\chi + m_N} \right)^2 \frac{4(J+1)}{3J} |\langle S_p \rangle + \langle S_n \rangle|^2 \sigma_{\chi p}^{\text{SD}}$$

spin expectation
value of the nucleus

Divari et al., PRC **61**, 054612(2000)

- Spin-independent

$$\sigma_{\chi N}^{\text{SI}} = A^2 \left(\frac{m_\chi + m_p}{m_\chi + m_N} \right)^2 \left[Z + (A - Z) \frac{f_n}{f_p} \right]^2 \sigma_{\chi p}^{\text{SI}}$$

$\neq 1$ indicates *isospin-violation*

Kurylov and Kamionkowski, PRD **69**, 063503(2004)

DM self-interaction (self-int.)

Buckley and Fox, PRD **81**, 083522(2010)

Fan et al., PRL **110**, 211302(2013)

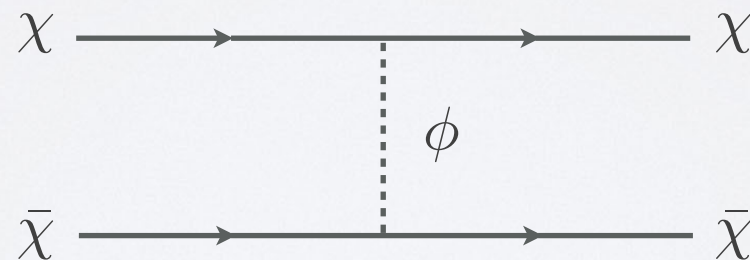
Feng, Kaplinghat and Yu, PRL **104**, 151301(2010)

Kaplinghat, Tulin and Yu, PRD **89**, 035009(2014)

Loeb and Wiener, PRL **106**, 171302(2011)

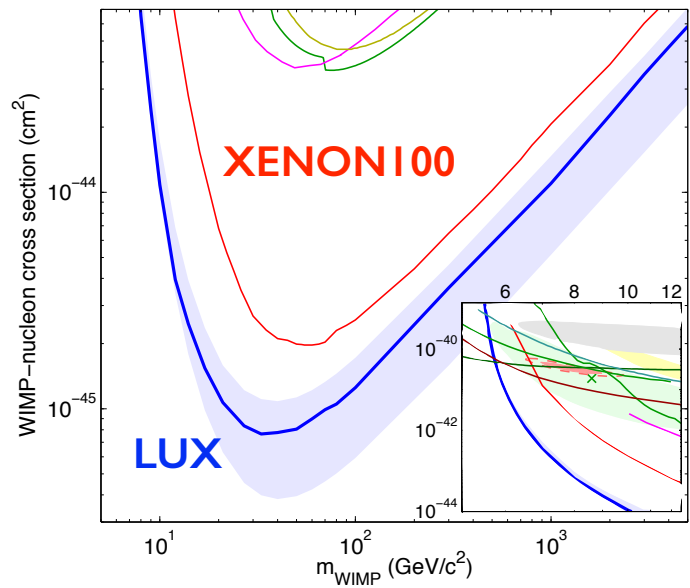
- Many models are on progress
- Commonly described by a Yukawa interaction:

$$\mathcal{L}_{\text{int}} = \begin{cases} g_\chi \bar{\chi} \gamma^\mu \chi \phi_\mu, & \text{vector mediator} \\ g_\chi \bar{\chi} \chi \phi, & \text{scalar mediator} \end{cases}$$



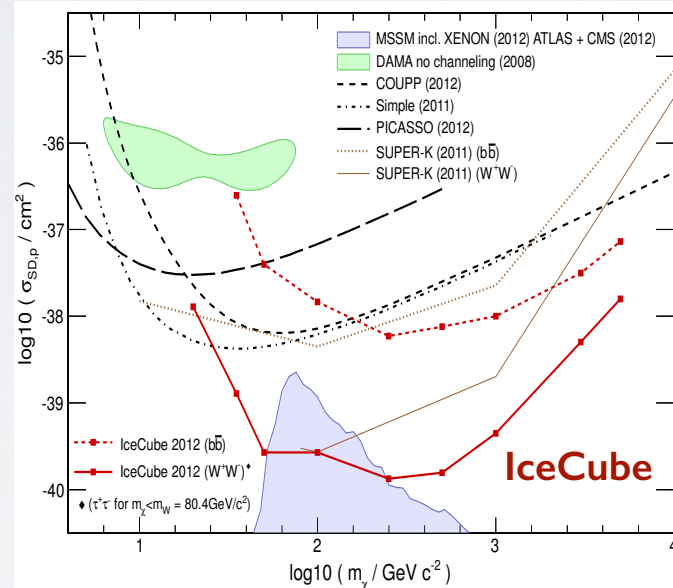
- Here we treat it as a phenomenological parameter $\sigma_{\chi\chi}$, *self-int. scattering cross section*, and discuss the kinematics only

Experimental constraints



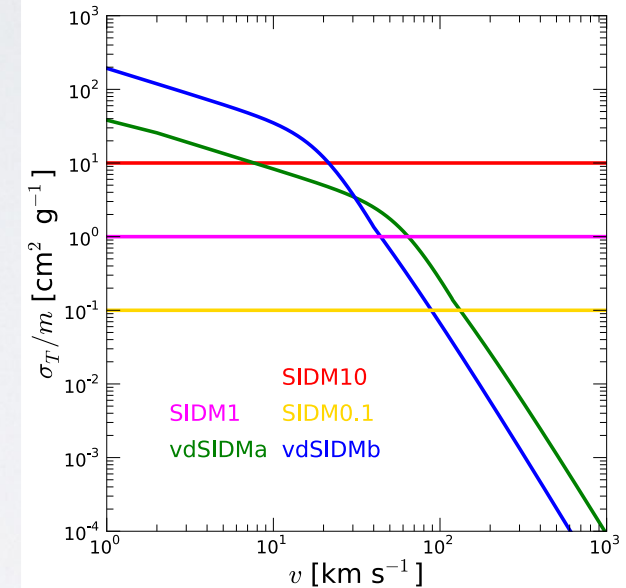
Spin-independent: $\sigma_{\chi p}$

Akerib et al. [LUX Collabo.]
PRL **112**, 091303(2014)



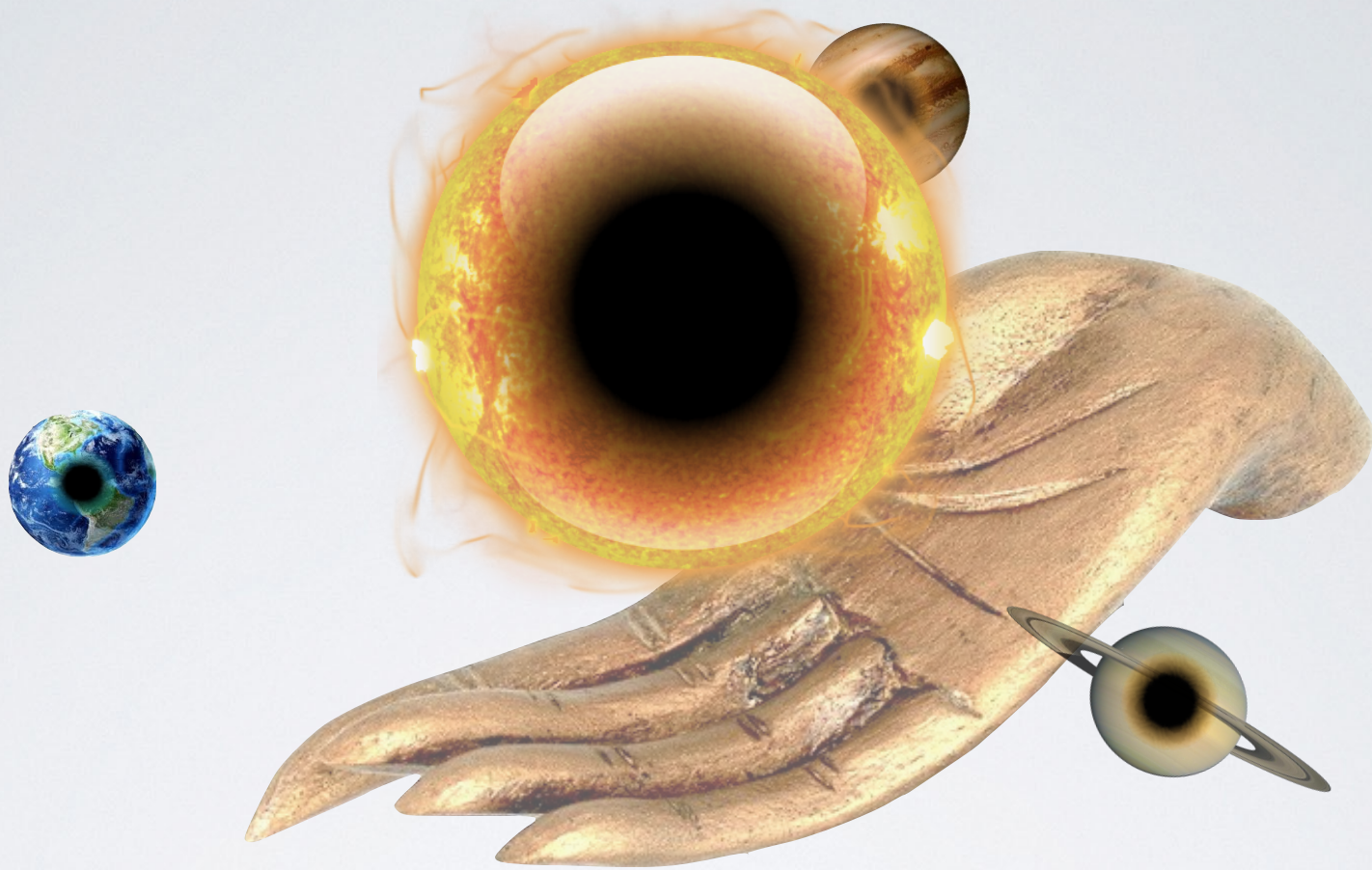
Spin-dependent: $\sigma_{\chi p}$

Aartsen et al. [IceCube Collabo.]
PRL **110**, 131302(2013)



Self-interaction: $\sigma_{\chi\chi}$

Zavala, Vogelsberger and Walker
Mon.Not.R.Astron.Soc. **431**, L20(2013)

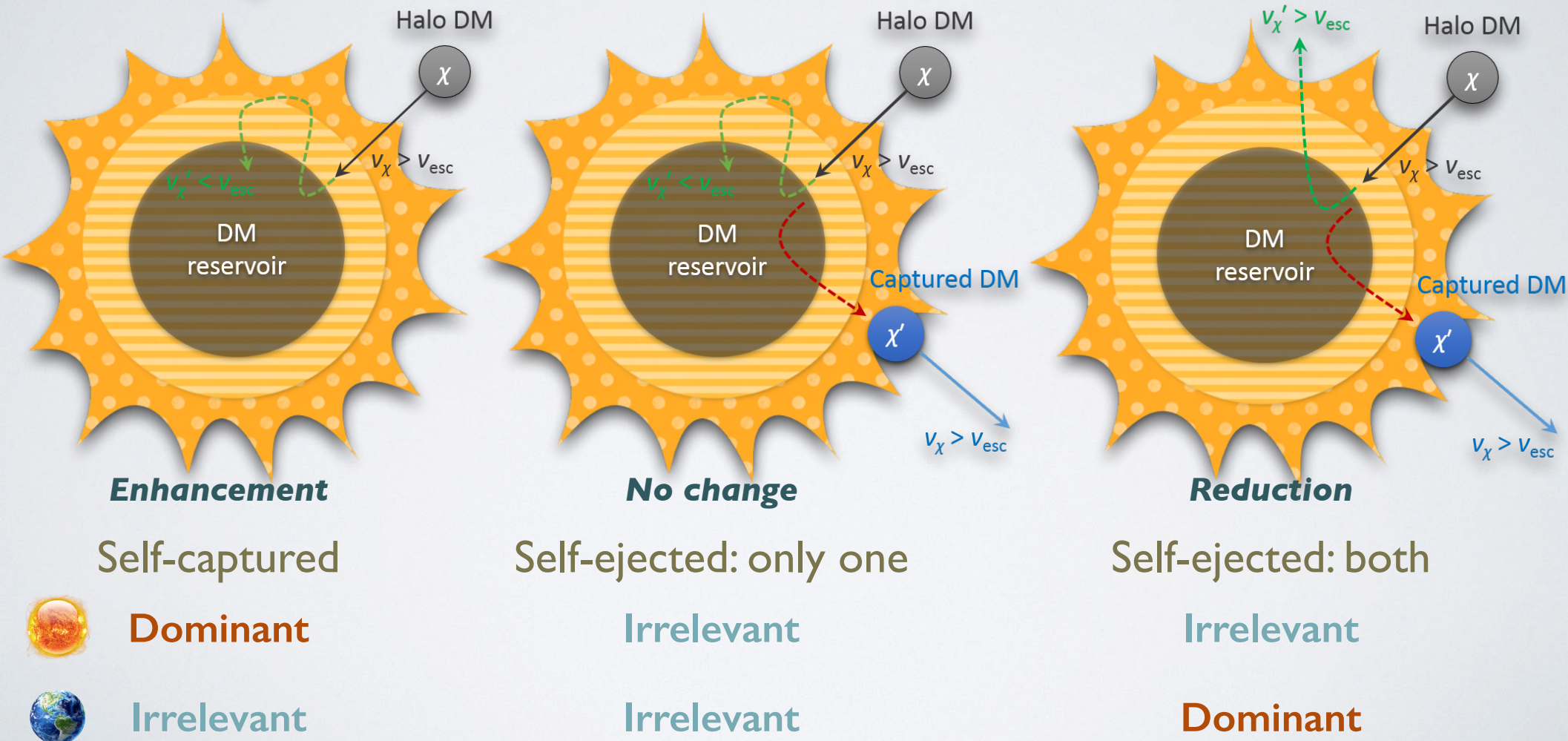


Dark Matter Evolving

The influence of self-int. to the DM captured by the stars

Schematic view of self-int.

Gravitational capture of DM

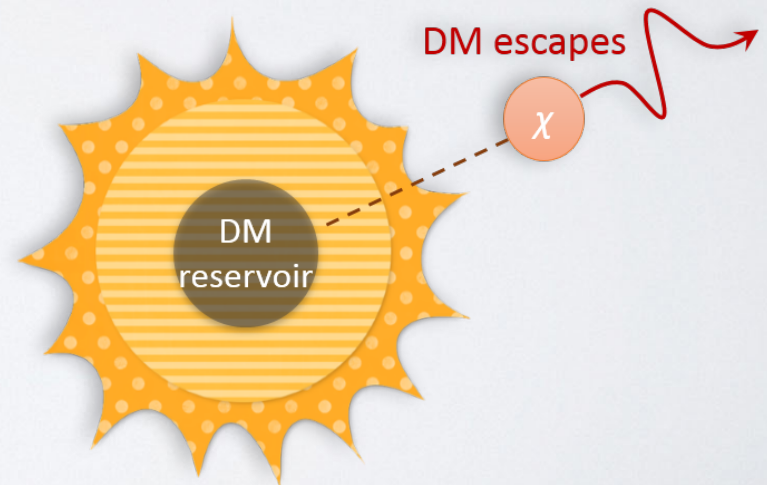
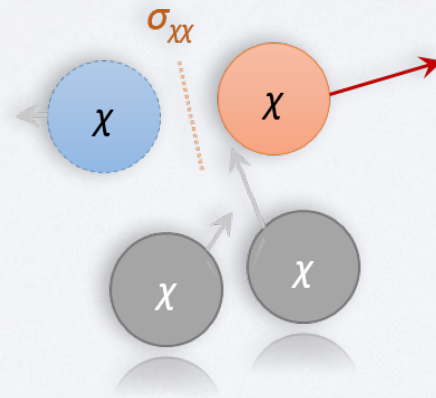
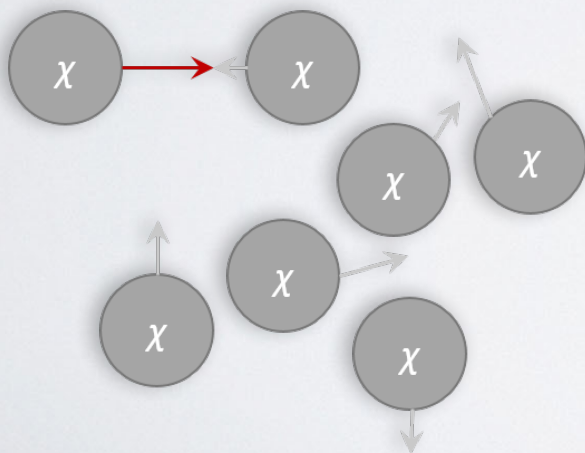


Disadvantage of self-int.

- DM in the reservoir scatters with other as well
- Such scattering may leads to the ejection of captured DM
- It is described as *self-int. induced evaporation*

Chen et al., 1408.5471 (2014)
Accepted by JCAP

In the DM reservoir



Self-int. induced evaporation

Chen et al., 1408.5471 (2014)
Accepted by JCAP

- Such interaction contributes to the **reduction** of DM number in the Sun
- It makes evaporation to occur earlier
- The rate, C_{se} , is given by:

$$C_{se} = \frac{\int \frac{dC_{se}}{dV} d^3r}{\left(\int_{\odot} n_{\chi}(r) d^3r \right)^2}$$

General DM evolution equation

Chen et al., 1408.5471 (2014)
Accepted by JCAP

- The general DM evolution equation:

$$\frac{dN_\chi(t)}{dt} = C_c - (C_e + C_{se} - C_s)N_\chi(t) - C_a N_\chi^2(t)$$

- With the solution

$$N_\chi(t) = \frac{C_c \tanh(t/\tau_A)}{\tau_A^{-1} - (C_s - C_e) \tanh(t/\tau_A)/2}$$

- And the equilibrium time-scale

$$\tau_A = \frac{1}{\sqrt{C_c(C_a + C_{se}) + (C_s - C_e)^2/4}}$$

How N_χ evolves?

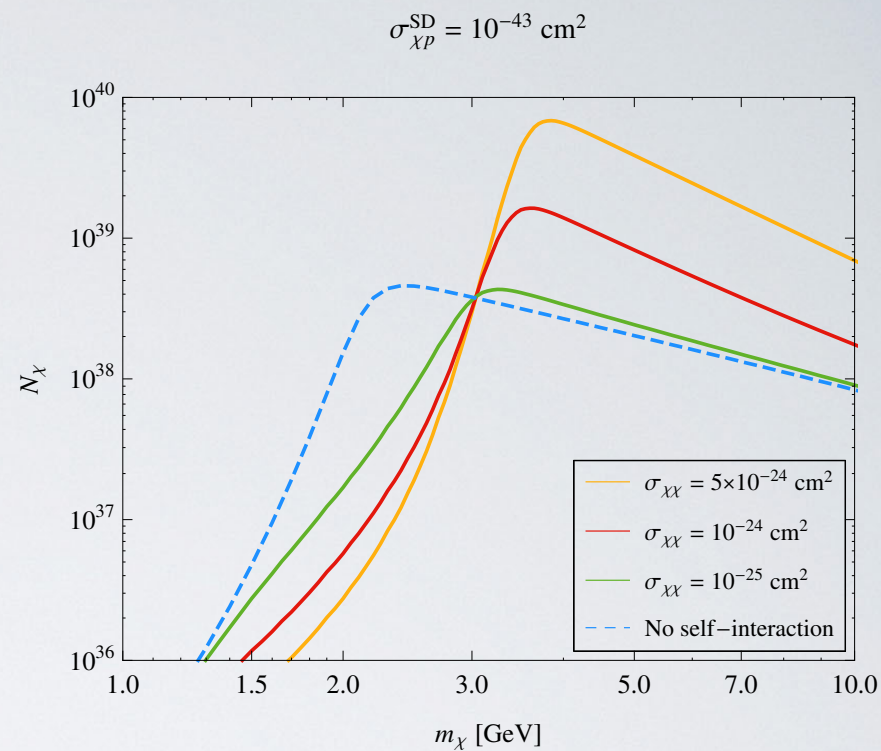
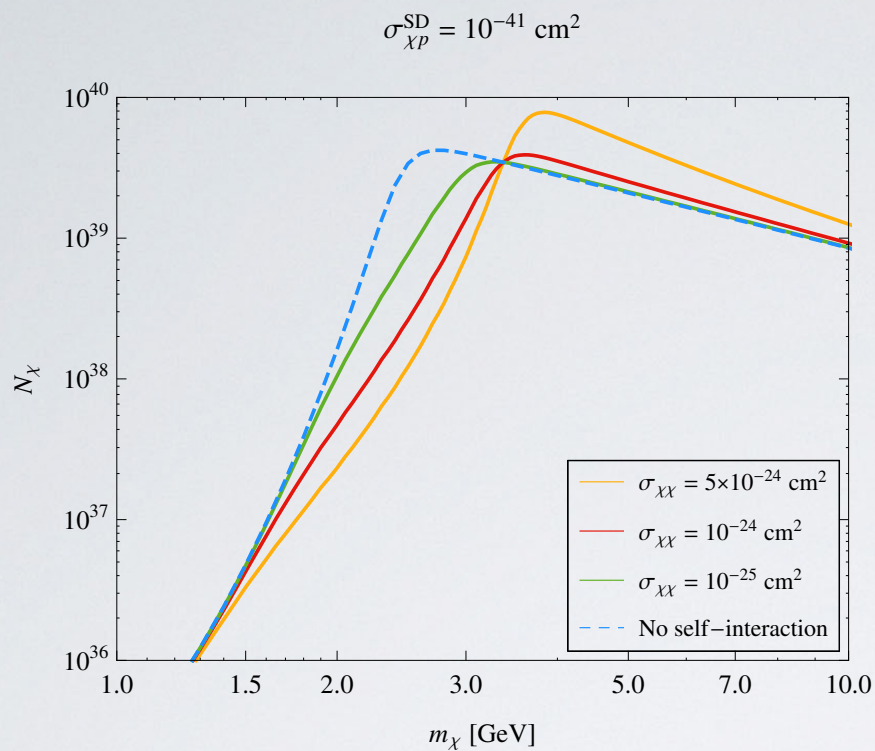
- By equilibrium state we mean $\tanh(t/\tau_A) \rightarrow 1$, thus

$$N_{\chi,\text{eq}} = \sqrt{\frac{C_c}{C_a + C_{se}}} \left(\pm \sqrt{\frac{R}{4}} + \sqrt{\frac{R}{4} + 1} \right)$$

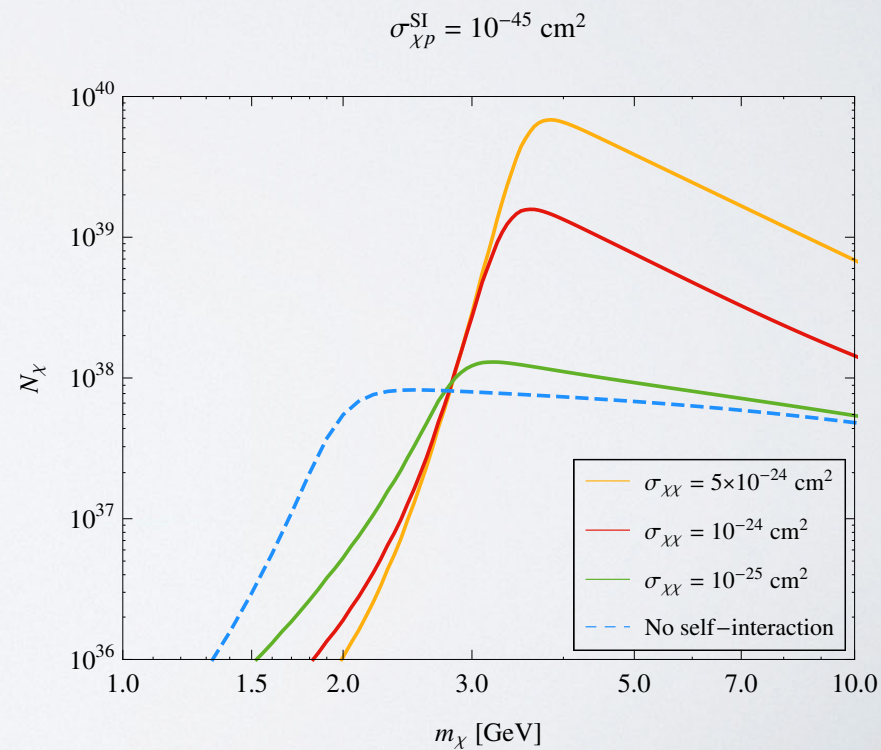
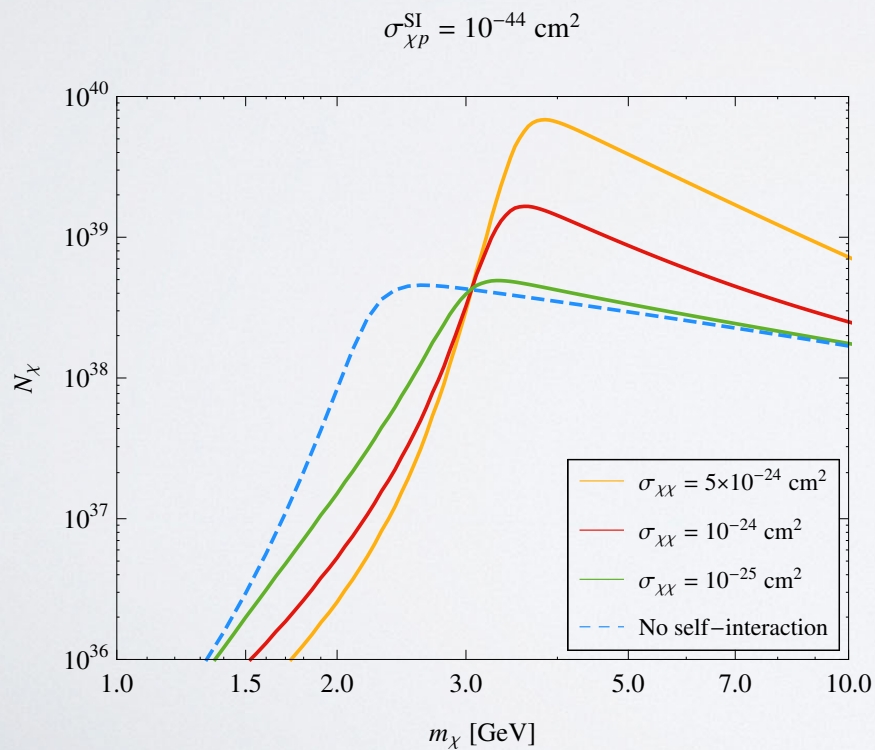
- R determines self-int. is important or not:

$$R \equiv \frac{(C_s - C_e)^2}{C_c(C_a + C_{se})} \rightarrow \begin{cases} > 1, \text{ important} \\ < 1, \text{ irrelevant} \end{cases}$$

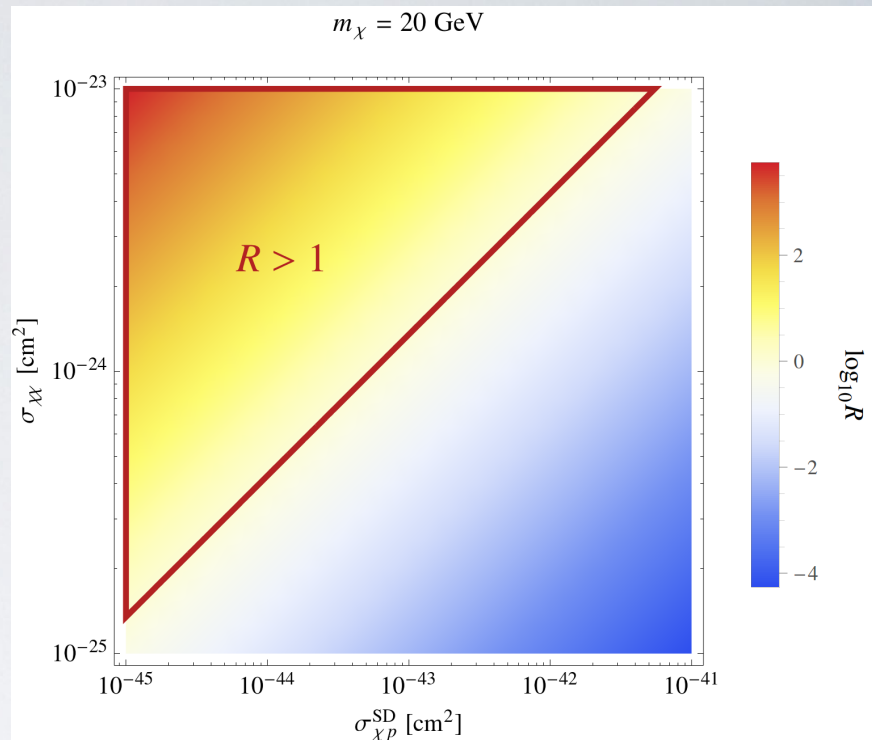
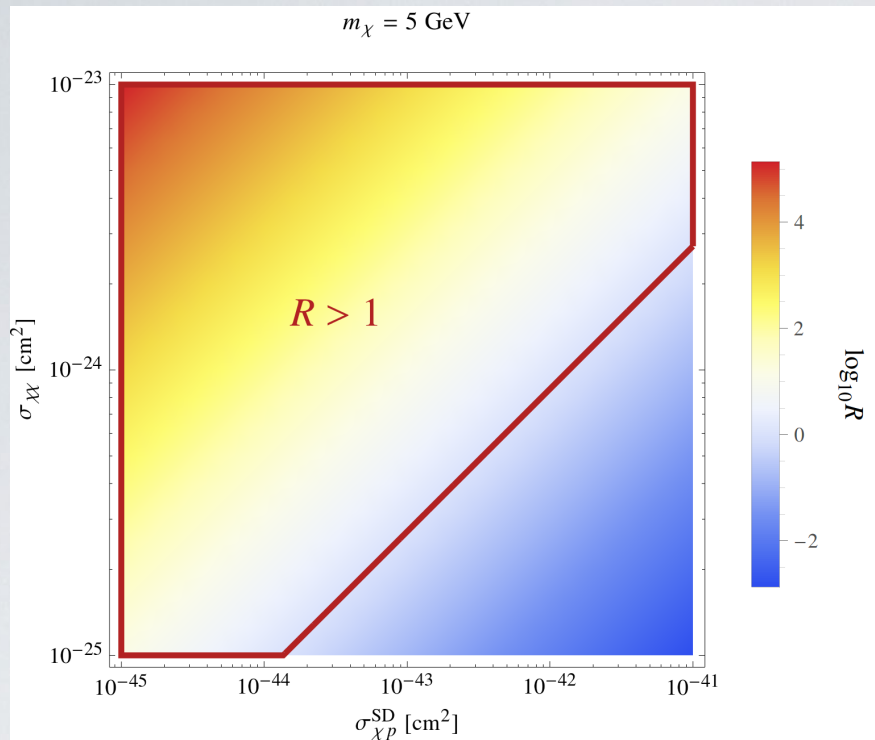
Spin-dependent



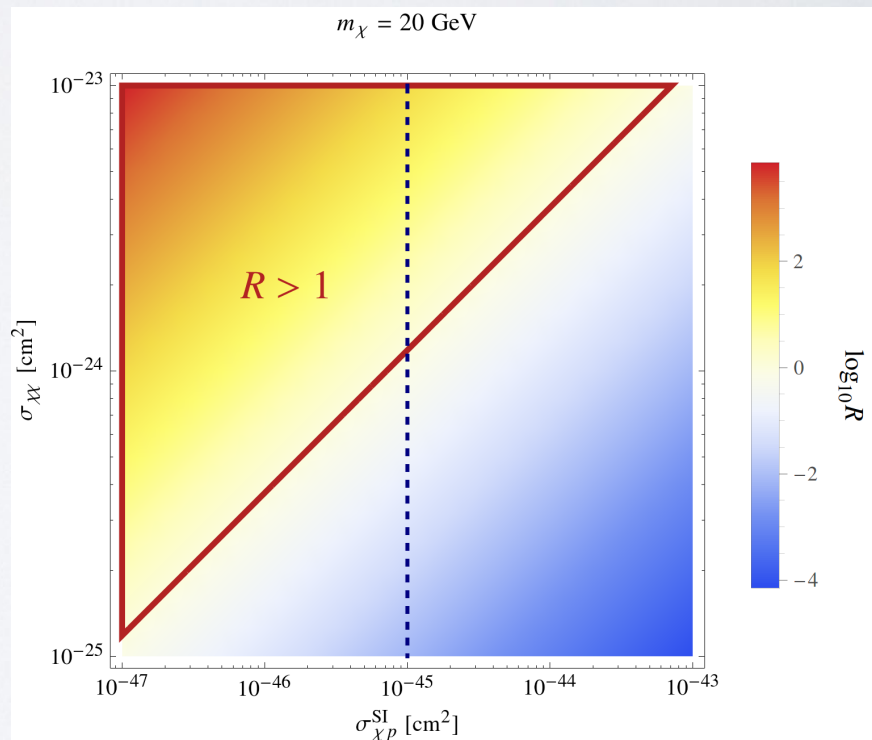
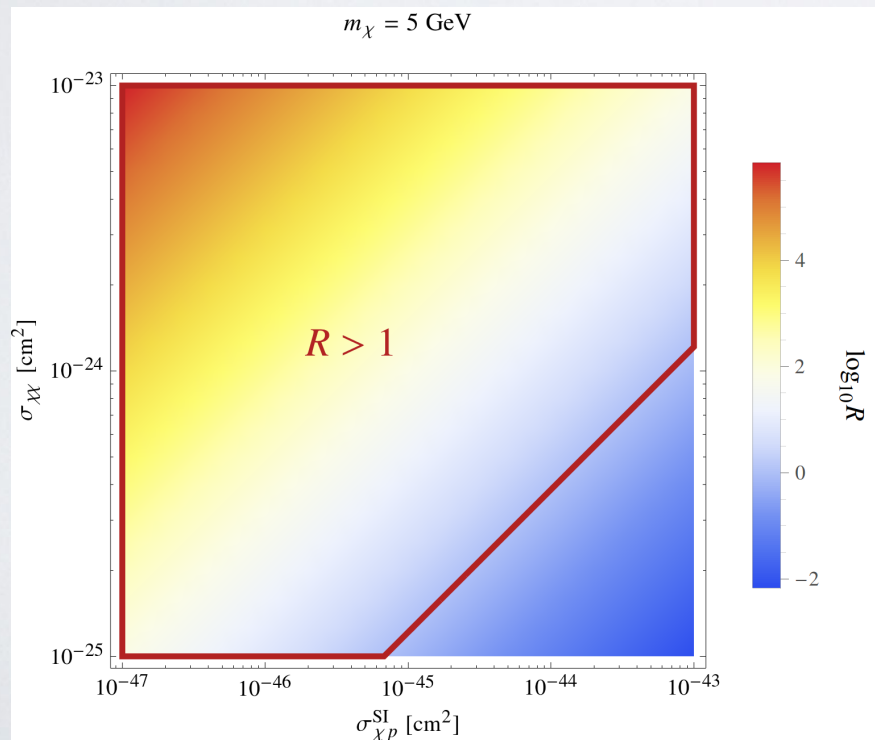
Spin-independent



Spin-dependent



Spin-independent

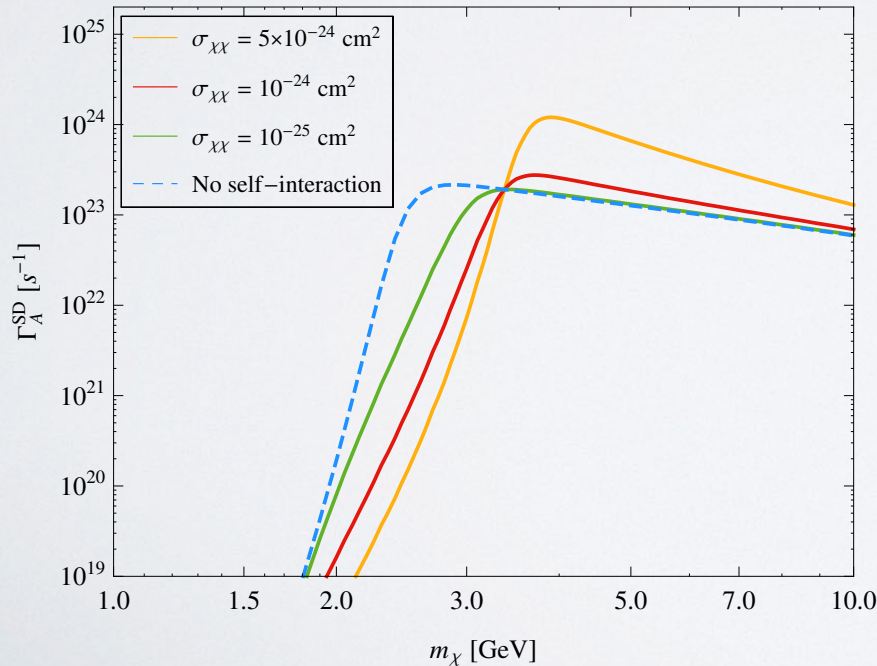


Annihilation rate of the Sun

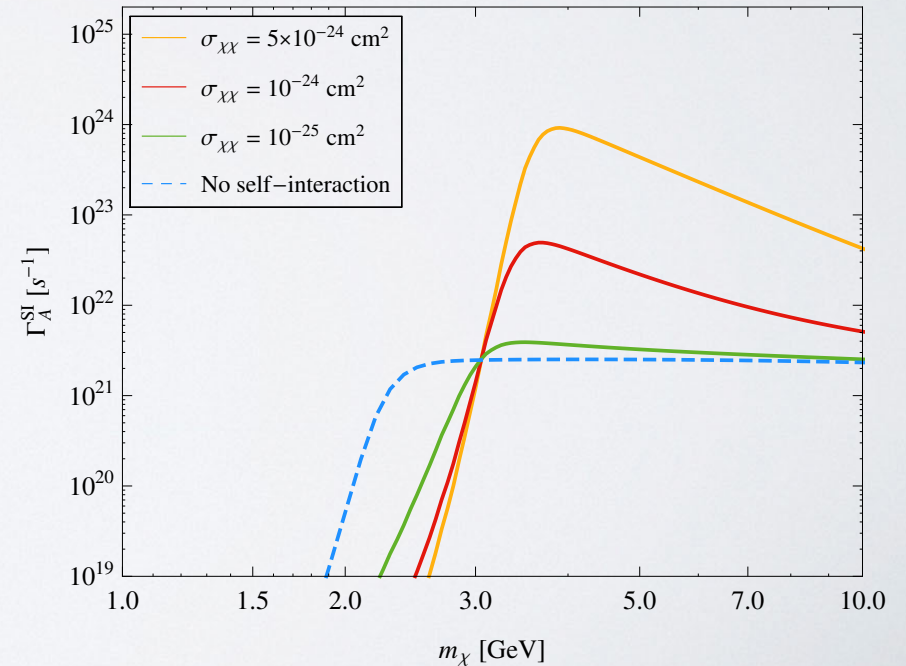
- The total annihilation is

$$\Gamma_A = \frac{1}{2} C_a N_\chi^2$$

$$\sigma_{\chi p}^{\text{SD}} = 10^{-41} \text{ cm}^2$$



$$\sigma_{\chi p}^{\text{SI}} = 10^{-44} \text{ cm}^2$$





Glimmer in the Dark

Detecting possible neutrino signal from DM annihilation

Neutrino as the messenger

- The neutrino flux from DM annihilation

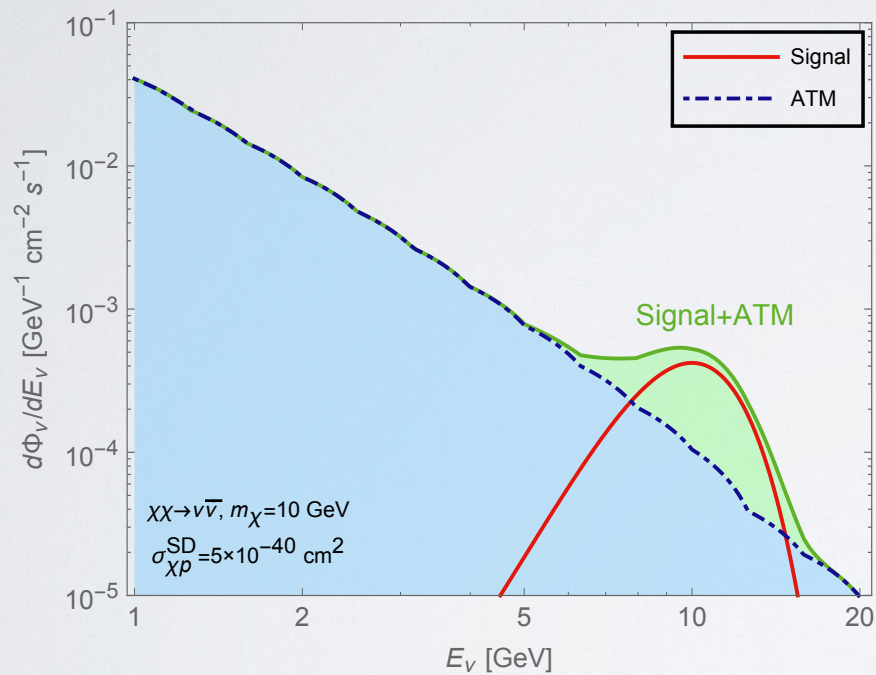
$$\frac{d\Phi_{\nu_i}}{dE_{\nu_i}} = \frac{\Gamma_A}{4\pi R_\odot^2} P_{\nu_j \rightarrow i}(E_\nu) \sum_f B_f \left(\frac{dN_{\nu_j}}{dE_{\nu_j}} \right)_f$$

- The event rate, $N_\nu(m_\chi)$:

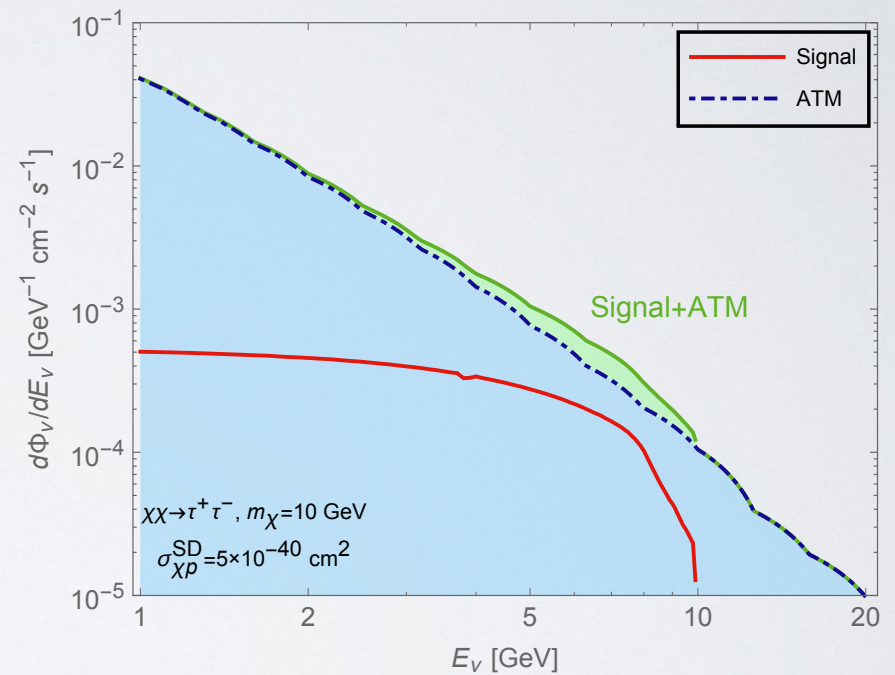
$$N_\nu(m_\chi) = \int_{E_{\text{thr}}}^{m_\chi} \frac{d\Phi_\nu}{dE_\nu} A_{\text{eff}}(E_\nu) dE_\nu$$

- A_{eff} is the detector effective area

Expected neutrino spectra



$$\chi\chi \rightarrow \nu\bar{\nu}$$



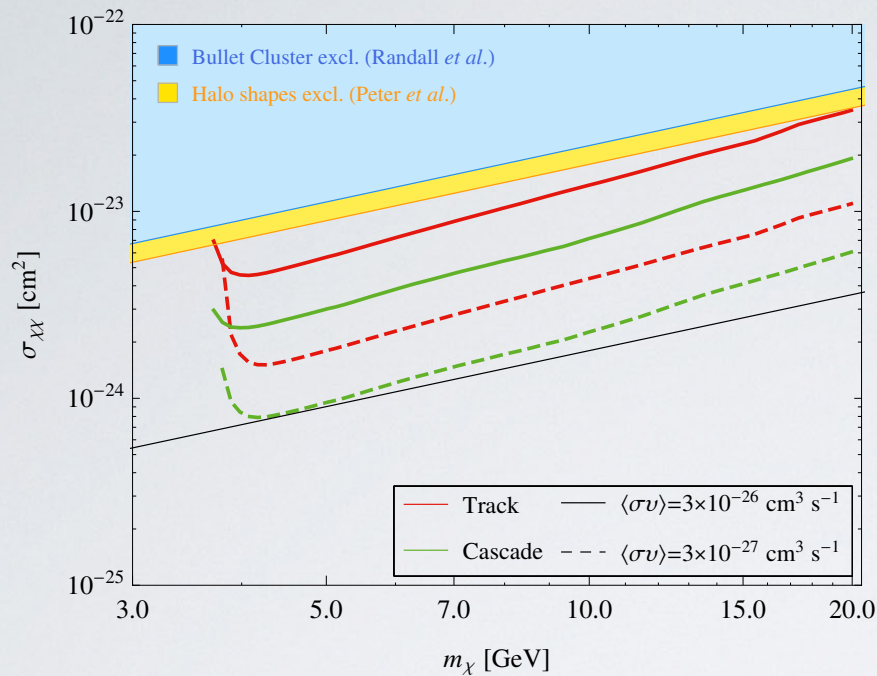
$$\chi\chi \rightarrow \tau^+\tau^-$$

$\sigma_{\chi\chi}$ sensitivity: 5-yr 2σ

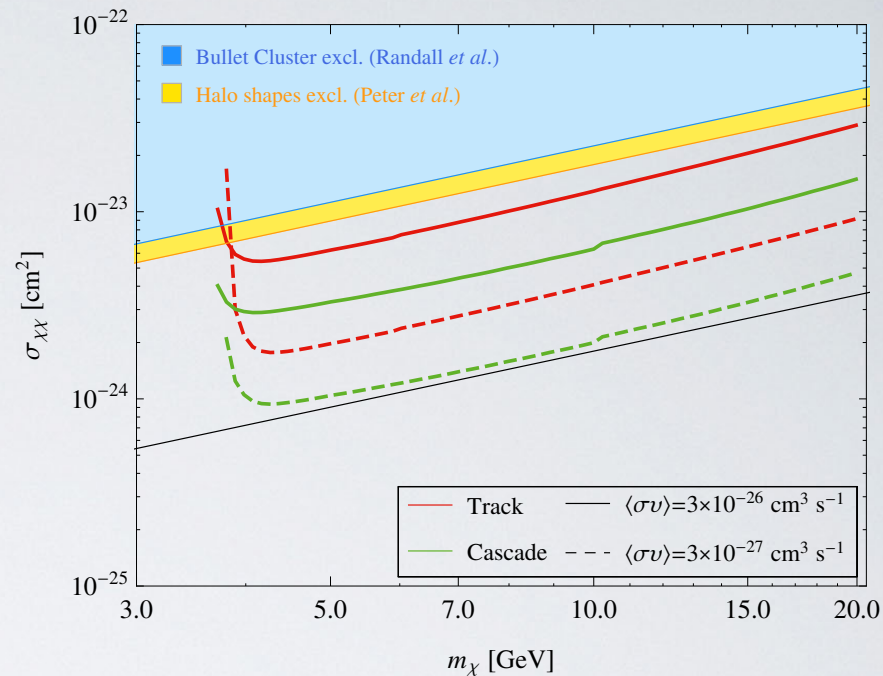
- Examining self-int. using the solar DM by PINGU
- Testing channels: τ and ν , due to less suffering from attenuation
- Two $\langle\sigma v\rangle$ scenarios: 3×10^{-26} and $3 \times 10^{-27} \text{ cm}^3 \text{ s}^{-1}$
- DM mass range are chosen to cover the sensitivity of PING

Spin-dependent

$$\chi\chi\rightarrow\nu\bar{\nu}, \sigma_{\chi p}^{\text{SD}} = 10^{-41} \text{ cm}^2$$

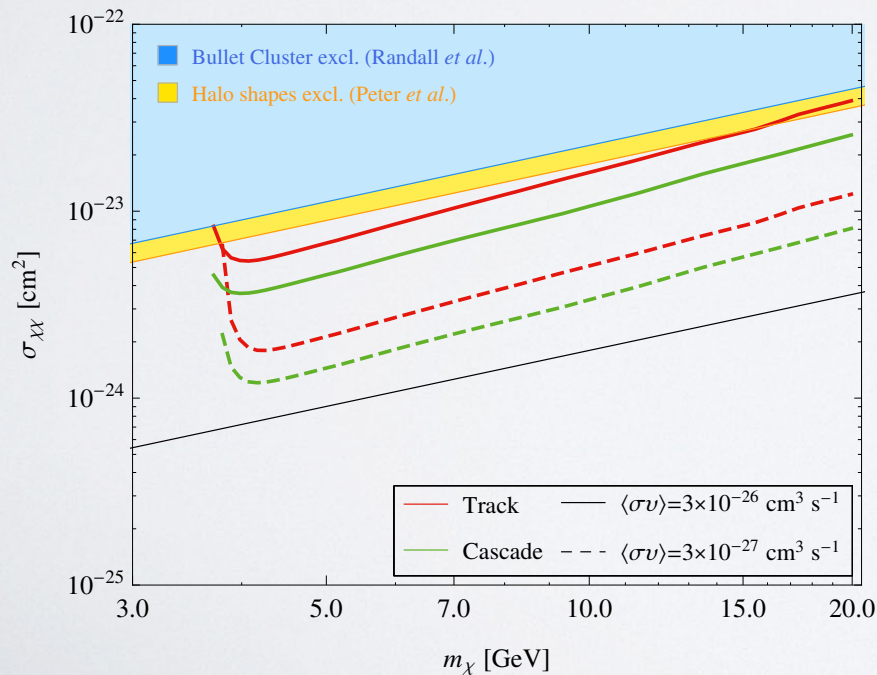


$$\chi\chi\rightarrow\tau^+\tau^-, \sigma_{\chi p}^{\text{SD}} = 10^{-41} \text{ cm}^2$$

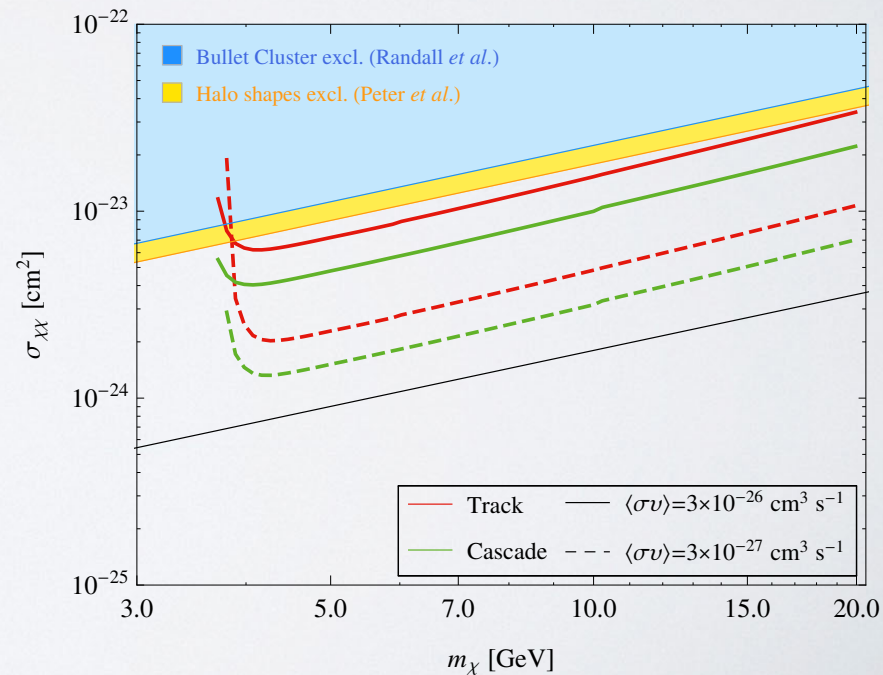


Spin-independent

$$\chi\chi\rightarrow\nu\bar{\nu}, \sigma_{\chi p}^{\text{SI}} = 10^{-44} \text{ cm}^2$$



$$\chi\chi\rightarrow\tau^+\tau^-, \sigma_{\chi p}^{\text{SI}} = 10^{-44} \text{ cm}^2$$



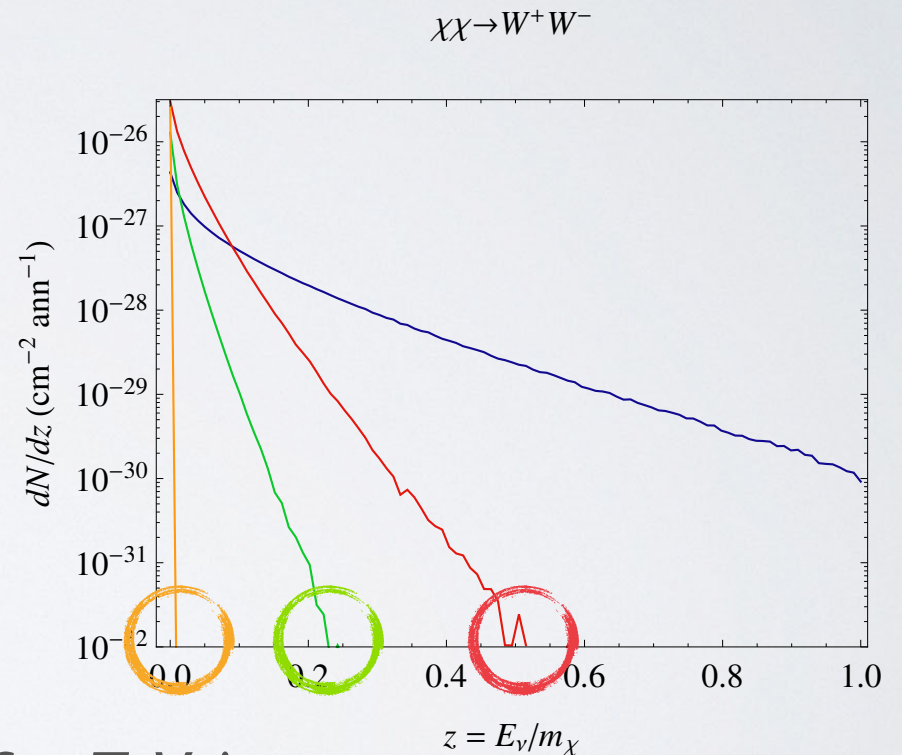
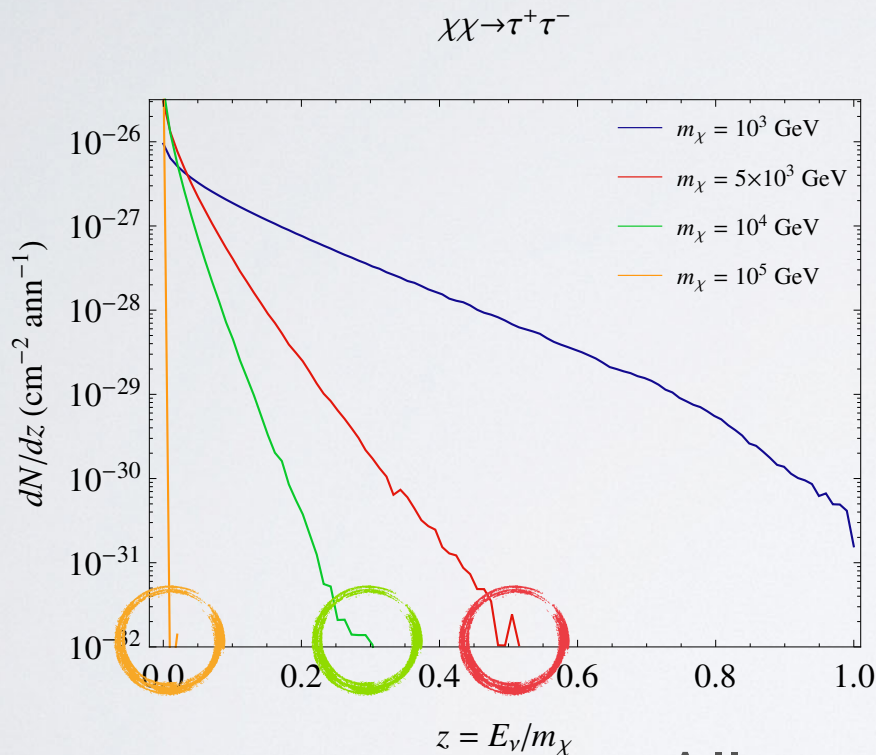
How about Earth?

Lin, Lin and Lee, I409.3094(2014)

- DM particle is *easier to escape* due to weak gravitational binding → No good to test GeV DM
- Self-int. will lead to the *ejection* of DM in the Earth
- Self-int. is *insignificant* at higher mass, $m_\chi \gg \text{GeV}$
- If DM is *very heavy*, these troubles no longer exist
- No experimental constraint on $m_\chi > 10 \text{ TeV}$
- Higher energy neutrino suffers from severe *energy attenuation* during the propagation in the Sun
- Ideal place to test *isospin-violation* with *heavy DM*

Neutrino attenuation in the Sun

Cirelli et al., Nucl.Phys.B **727**, 99(2005)
Y.-H. Lin, talk @ CosPA2013 & PASCOS2013



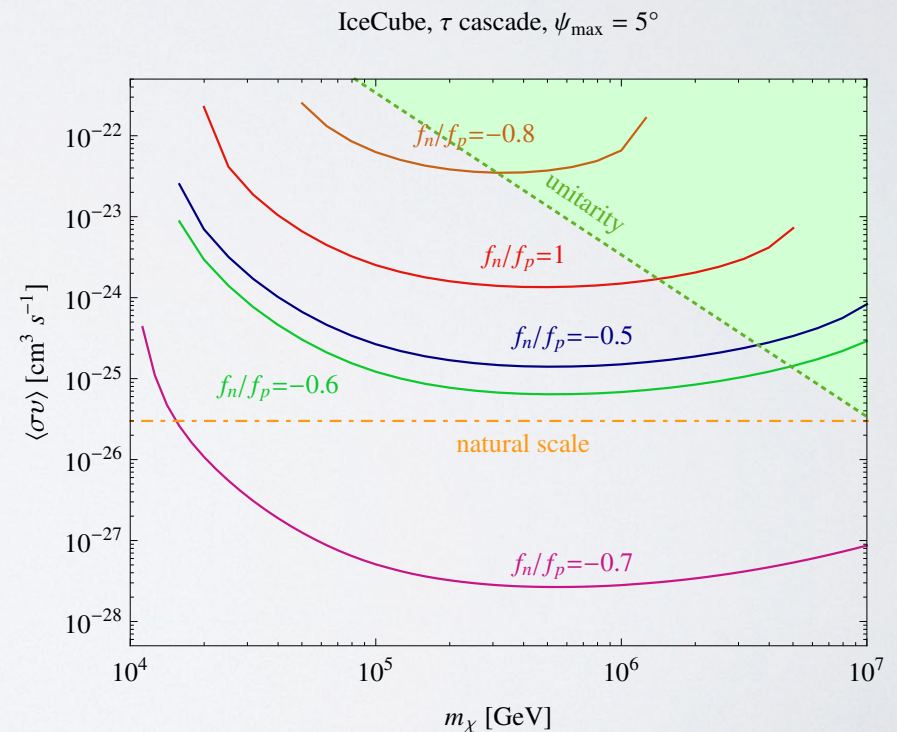
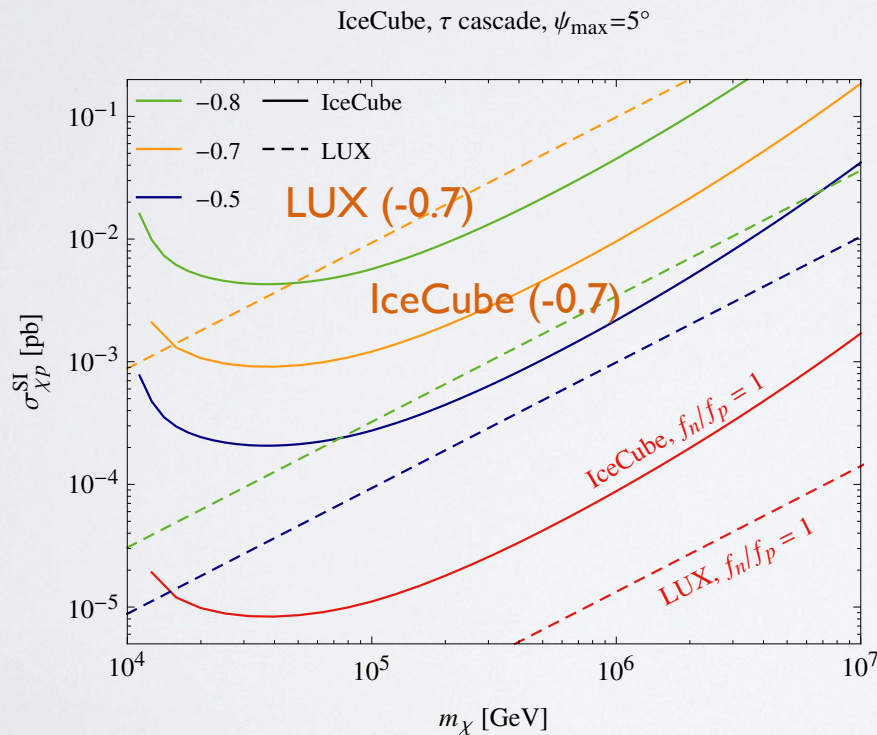
All stop at a few TeVs!

The neutrino carries energy greater than a few TeV cannot escape the Sun!
The spectrum is severely distorted. All primary DM information is lost!

$\sigma_{\chi p}$ and $\langle \sigma v \rangle$ sensitivities

Lin, Lin and Lee, I 409.3094(2014)

- Examining isospin-violation, using Earth DM and IceCube





Epilogue

To summarize so far...

Summary

- To the Sun:
 - Self-int. can be examined by PINGU in the foreseeable future
 - Self-int. plays a significant role when $m_\chi \sim \text{GeV}$
 - When m_χ is sufficient light, the self-int. induced evaporation contributes as well $\rightarrow$ *firstly investigated* by us to our knowledge
- To the Earth:
 - An ideal place probing $m_\chi \gg \text{GeV}$
 - Less neutrino energy attenuation than the Sun
 - Isospin-violation can be tested